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## NSTX 2011-2012 Experimental Proposals: RWM Passive Stabilization Physics

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## J.W. Berkery,

#### S.A. Sabbagh, J. Hanson

Department of Applied Physics, Columbia University, New York, NY, USA

#### D. Battaglia

Princeton Plasma Physics Laboratory, Princeton, NJ, USA

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#### **Two RWM Passive Stabilization Physics XP Proposals**

- 1. RWM Stabilization Dependence on Energetic Particle Distribution
- 2. RWM Stabilization Physics at Reduced Collisionality



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### RWM Stabilization Dependence on Energetic Particle Distribution

Motivation

[J.W. Berkery et al., Phys. Plasmas 17, 082504 (2010)]

- EPs are known to play an important role in RMW kinetic stability.
- NSTX-U will have an off-axis neutral beam, so it is important to assess the profile and pitch angle dependence on stability.
- Comparison to DIII-D through 2011 joint experiment.
- Goals
  - The physics of resistive wall mode (RWM) stability on the kinetic effects of energetic particles (EPs) will be investigated by changing the EP distribution function, principally from using off-axis neutral beam injection in downward or horizontally shifted plasmas.
- Addresses:
  - ITPA: MDC-2: Joint experiments on resistive wall mode physics.



#### Including anisotropy requires rewriting code for general f and including new terms

Isotropic Maxwellian:

$$\delta W_K = \sum_j \sum_{l=-\infty}^{\infty} \sqrt{\pi} \int \int \int n_j T_j \left[ |\langle H/\hat{\varepsilon} \rangle|^2 \frac{n \left( \omega_{*N}^j + \left(\hat{\varepsilon} - \frac{3}{2}\right) \omega_{*T}^j + \omega_E \right) - \omega}{n \langle \omega_D^j \rangle + l \omega_b^j - i \nu_{\text{eff}}^j + n \omega_E - \omega} \right] \frac{\hat{\tau}}{B_0} \hat{\varepsilon}^{\frac{5}{2}} e^{-\hat{\varepsilon}} d\hat{\varepsilon} d\Lambda d\Psi$$

General:

$$\delta W_K = \sum_j \sum_{l=-\infty}^{\infty} 2\sqrt{2}\pi^2 \int \int \int \left[ \left| \langle H/\hat{\varepsilon} \rangle \right|^2 \frac{(\omega - n\omega_E) \frac{\partial f_j}{\partial \varepsilon} - \frac{n}{Z_j e} \frac{\partial f_j}{\partial \Psi}}{n \langle \omega_D^j \rangle + l\omega_b^j - i\nu_{\text{eff}}^j + n\omega_E - \omega} \right] \frac{\hat{\tau}}{m_j^{\frac{3}{2}} B} |\chi| \hat{\varepsilon}^{\frac{5}{2}} d\hat{\varepsilon} d\chi d\Psi,$$

Changed pitch angle variable from:  $\Lambda = \mu B_0/\varepsilon$  to:  $\chi = v_{\parallel}/v$ 

A new  $\delta W$  term arises from this term of the perturbed distribution function:

$$\begin{split} \tilde{f}_{j} &= -\boldsymbol{\xi}_{\perp} \cdot \boldsymbol{\nabla} f_{j} + Z_{j} e \frac{\partial f_{j}}{\partial \varepsilon} \left( \tilde{\boldsymbol{\Phi}} + \boldsymbol{\xi}_{\perp} \cdot \boldsymbol{\nabla} \Phi_{0} \right) \\ &+ i m_{j} \left( \omega \frac{\partial f_{j}}{\partial \varepsilon} - n \frac{\partial f_{j}}{\partial P_{\phi}} \right) \left( \mathbf{v} \cdot \boldsymbol{\xi}_{\perp} - \tilde{s}_{j} \right) - \frac{m_{j}}{B} \frac{\partial f_{j}}{\partial \mu} \left( -i \omega \boldsymbol{\xi}_{\perp} \cdot \mathbf{v}_{\perp} + \left( \frac{\mu}{m_{j}} \frac{\mathbf{B}}{B} + \frac{v_{\parallel} \mathbf{v}_{\perp}}{B} \right) \cdot \tilde{\mathbf{B}} \right) \end{split}$$

Also requires corrections to fluid terms with an anisotropic parameter: and effect on equilibrium itself, etc...

$$\sigma = 1 + \frac{\mu_0 \left( p_\perp - p_\parallel \right)}{B^2}$$

[T. Antonsen and Y. Lee, Phys. Fluids 25, 132 (1982)]



#### RWM Stabilization Dependence on Energetic Particle Distribution

#### Approach

- Establish target downward or horizontally shifted plasmas with off-axis neutral beam injection.
  - In 2010 XP1030 (D. Battaglia) produced plasmas that were shifted off axis by  $\Delta z = -25$  cm. He only used 2MW of beam power, however.
- Add n=1, 30 Hz., 1kA peak to peak traveling wave for active MHD spectroscopy.
- Use n=2 and n=3 non-resonant magnetic braking to decrease plasma rotation, find marginal point or peak in RFA.
- Change plasma conditions, such as height and beam power.
  Repeat for comparison to theory at multiple conditions.
  - Can also use previous technique to change the EP content by changing the plasma current and field (which changes the thermal plasma as well).

#### **RWM Stabilization Physics at Reduced Collisionality**

- Motivation
  - In future devices with lower v, plasmas in resonance will gain stability, but the stability gradient with rotation will increase.
- Goals

[J.W. Berkery et al., Phys. Rev. Lett. 106 075004 (2011)]

- Resistive wall mode stability with respect to plasma rotation will be experimentally determined in low v, NSTX-U relevant plasmas, and compared to expectation from kinetic stabilization theory.
- Addresses:
  - NSTX Milestone R(12-3): Assess access to reduced density and collisionality in high-performance scenarios.
  - IR(12-1): Investigate magnetic braking physics and develop toroidal rotation control at low collisionality (incremental).
  - ITPA: MDC-2: Joint experiments on resistive wall mode physics.

# In contrast to previous theory, reduced v<sub>eff</sub> is stabilizing for on-resonance plasmas, increasing stability gradient



Reducing collisions has two competing effects:

- reduces collisional dissipation that is important when plasma rotational resonances are not present
- reduces damping of resonant kinetic stabilizing effects, allowing them to be more powerful

[J.W. Berkery et al., Phys. Rev. Lett. 106 075004 (2011)]

In future devices with lower collisionality:

- plasmas in rotational resonance will be even more stable; off-resonance almost no effect
- plasma stability gradient with rotation will increase
- it will be especially important to avoid unfavorable rotation through rotation or active mode control

#### **RWM Stabilization Physics at Reduced Collisionality**

- Approach
  - Establish target low collisionality plasmas.
    - This XP will leverage the successful development of a reliably operating low collisionality target, which will be pursued as part of the R(12-3) milestone.
  - Add n=1, 30 Hz., 1kA peak to peak traveling wave for active MHD spectroscopy.
  - Use n=3 non-resonant magnetic braking to decrease  $\omega_{\phi}$ .
  - Go to both higher and lower collisionality. Repeat for comparison to theory at multiple conditions.
  - Lower density plasmas are expected to be subject to more EPMs.
    It is possible that we could find EPM-triggered RWMs in this XP.
  - Techniques to diagnose the eigenfunction, with edge ME-SXR, reflectometer, or BES, as in Menard's proposal, can also be tried.

#### **RWM Passive Stabilization Physics - Diagnostics**

- Required diagnostics / capabilities
  - n=2 braking capability highly desired (in addition to usual n=3)
  - RWM sensors
  - CHERS toroidal rotation measurement
  - Thomson scattering
  - USXR
  - MSE
  - Toroidal Mirnov array / spectrogram with toroidal mode number analysis
  - FIDA
- Desired diagnostics
  - Advanced USXR diagnostics
  - Reflectometer
  - BES
  - Fast camera
  - CHERS poloidal rotation measurement

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