

Status of cryopump analysis for NSTX

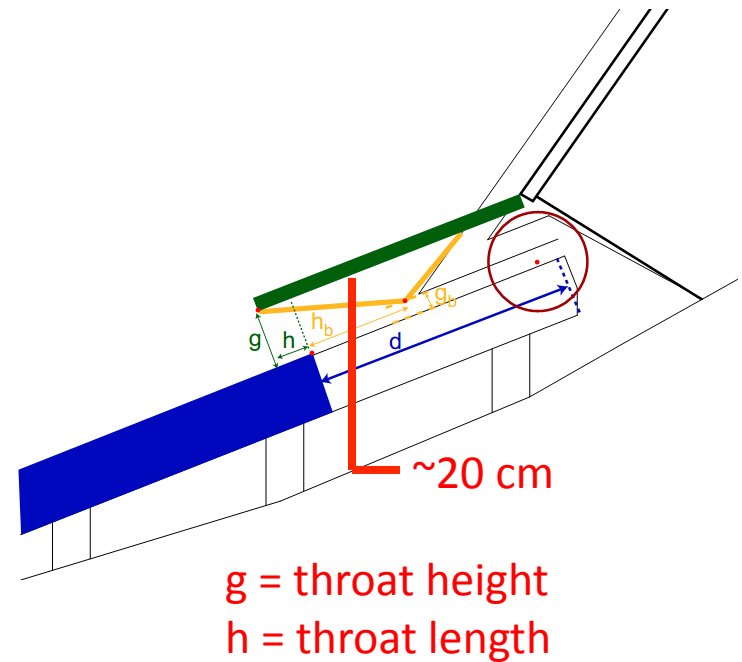
Some assumed pump parameters

- Pump parameters based on Menon design (similar to D3D)
 - $S=24,000$ l/s @ $R=1.2$ m
 - Need plenum pressure of 0.83 (~1) mtorr to pump beam input (10MW~20 torr-l/s)

- Pumping rate:

$$I_{pump} = P_{pl} S = \frac{I_0}{S + C} S$$

- P_{pl} = plenum pressure
- I_0 = neutral flux into plenum
- C = throat conductance
- Assumes that throat conductance is much smaller than conductance to pump within plenum
 - Probably ok as long as “g” is much smaller than the height of the rest of the plenum
 - “ g_b ” looks like the only threat to this
- To optimize, need $C(g,h)$, $I_0(g,h)$



Analytic pumping model* used to optimize pumping chamber

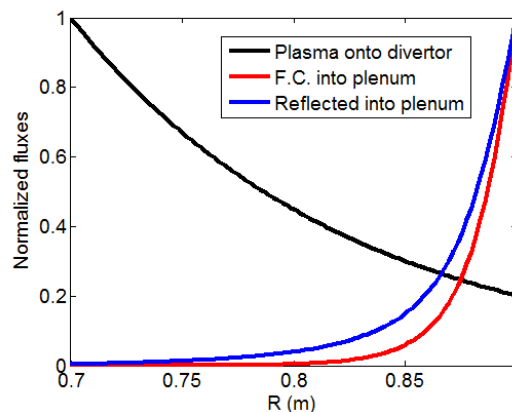
- Uses first-flight model for neutral flux into pump plenum
- Requires knowledge of divertor plasma profiles
- Validated against DIII-D experiments

$$P_{pl} = \frac{I_0}{S + C}$$

$$I_0 = \int_{R_{min}}^{R_{max}} \Gamma_0(r) F(r) T(r) 2\pi R_m dr \quad \leftarrow \text{Neutral current into plenum}$$

$$F(r) = \frac{1 - \cos \Theta_{max}(r)}{2}; \Theta_{max}(r) = \tan^{-1} \left(\frac{g}{R - R_{ent}} \right) \quad \leftarrow \text{Solid angle of plenum entrance}$$

$$T(r) = \exp \left[\frac{-1}{v_\alpha} \int_R^{R_{max}} n_e(r) \langle \sigma v \rangle_{EII}(r) dr \right] \quad \leftarrow \text{Transmission of neutrals through plasma}$$



Origin of neutrals making it into plenum tends to be localized to near-entrance region
 Dominantly due to solid angle factor

Penetration of neutrals through a long throat is accounted for to correct the conductance

- $I_{D0} = I_{D0}(x)$ = current of “fast” atomic deuterium entering from plasma

If fast atoms are turned into thermal molecules on collision with the wall, then:

$I_{D0}(x) = I_{D0}(0) * F(x)/F(0)$, where F is the solid angle factor evaluated along x

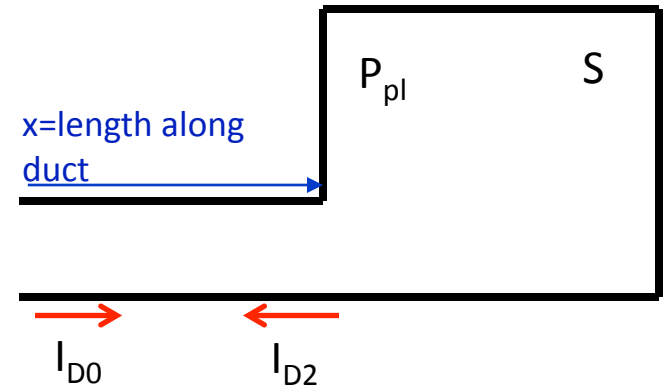
- I_{D2} = current of thermal molecules leaving
- I_{D2} = volume integral of sources (I_{D0}), sinks ($P_{pl}S$)
 $\Rightarrow I_{D2}(x) = I_{D0}(x) - P_{pl}S$

- Pressure is $\Delta P = \int_0^h I(x) \sigma(x) dx, \sigma = \frac{3}{4\bar{v}} \frac{H}{A^2}, \frac{1}{C} = \int_0^h \sigma(x) dx$
- So plenum pressure is

$$P_{pl} = \int_0^h I_{D2}(x) \sigma(x) dx = \int_0^h I_{D0}(x) \sigma(x) dx - \int_0^h P_{pl} S \sigma(x) dx$$

$$= I_{D0}(0) \int_0^h \frac{F(x)}{F(0)} \sigma(x) dx - \frac{P_{pl} S}{C} = \frac{I_{D0}(0)}{C_{eff}} - \frac{P_{pl} S}{C} = \frac{I_{D0}(0)}{S + C} \frac{C}{C_{eff}}$$

$$C_{eff} = \int_0^h \frac{F(x)}{F(0)} \sigma(x) dx$$



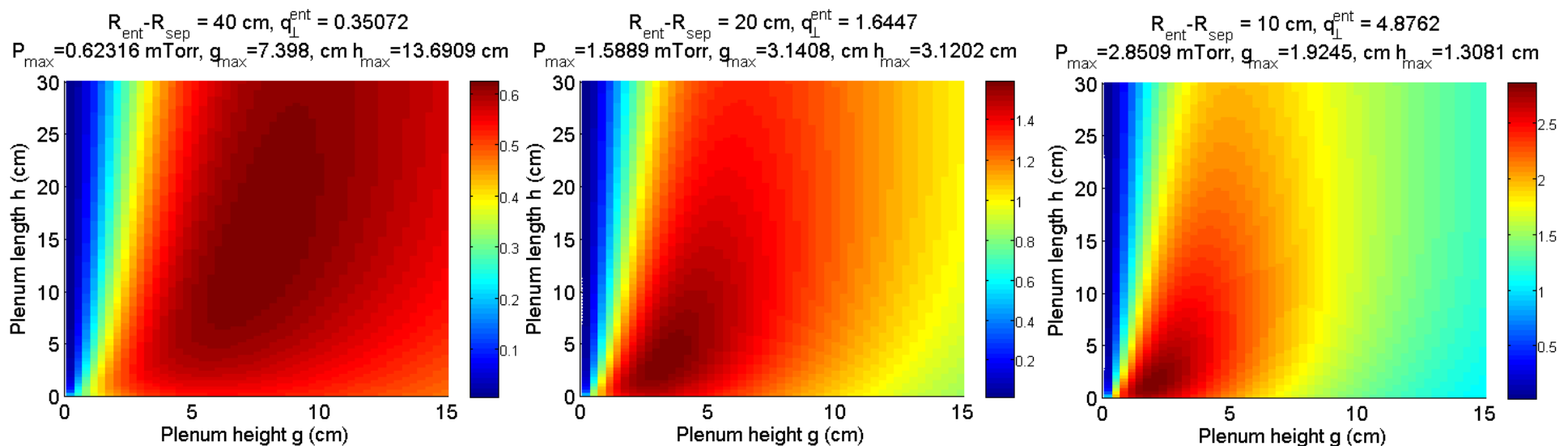
Plasma parameters are estimated to optimize plenum geometry

- Assume heat flux (scaling expts), angle of B wrt surface (α , LRDFIT), and plasma temperature (“typical” T_e from HDLP), -> density and particle flux profiles:

$$\Gamma_{\perp} = q_{\perp} / 7T$$

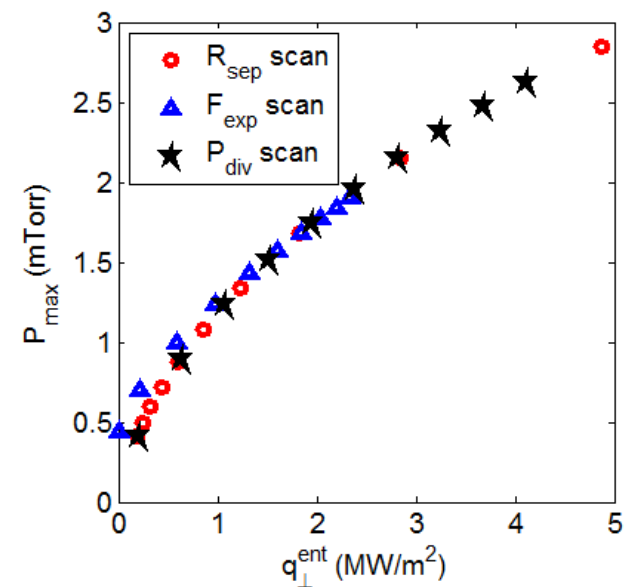
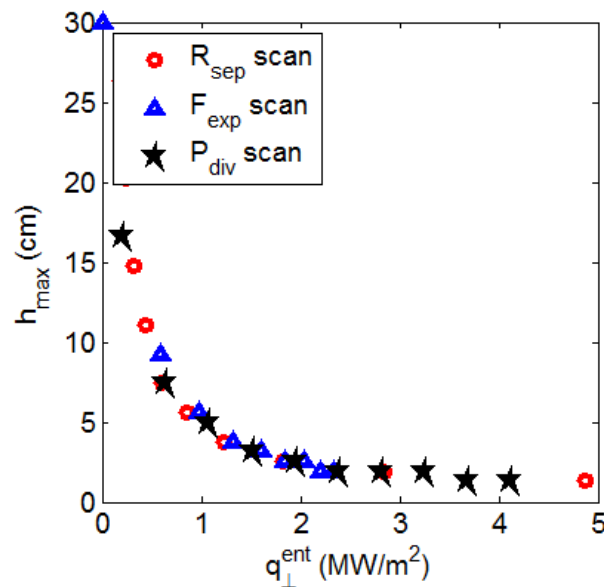
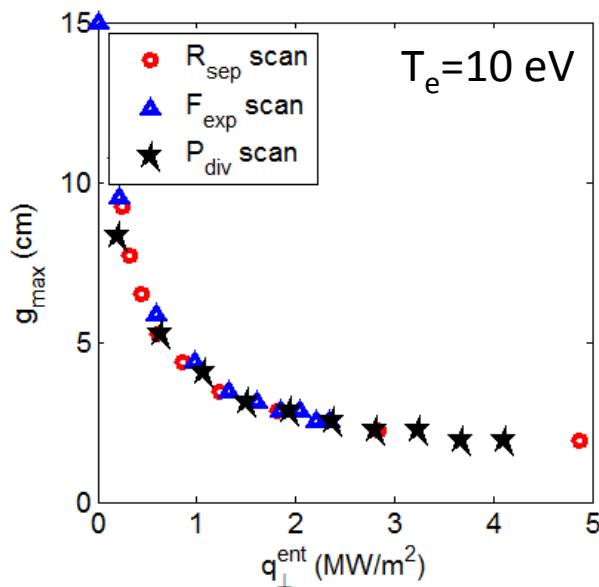
$$n = \Gamma_{\perp} / \left(\sin \alpha \sqrt{2T/m} \right)$$

- Radial q_{\perp} profiles used for calculations below, with $T_e=10.0$ eV
 - $P_{\text{div}} = 4\text{MW}$, $\lambda_q = 0.5\text{cm}$, $f_{\text{exp}} = 25$
 - A few outer strike point positions tried



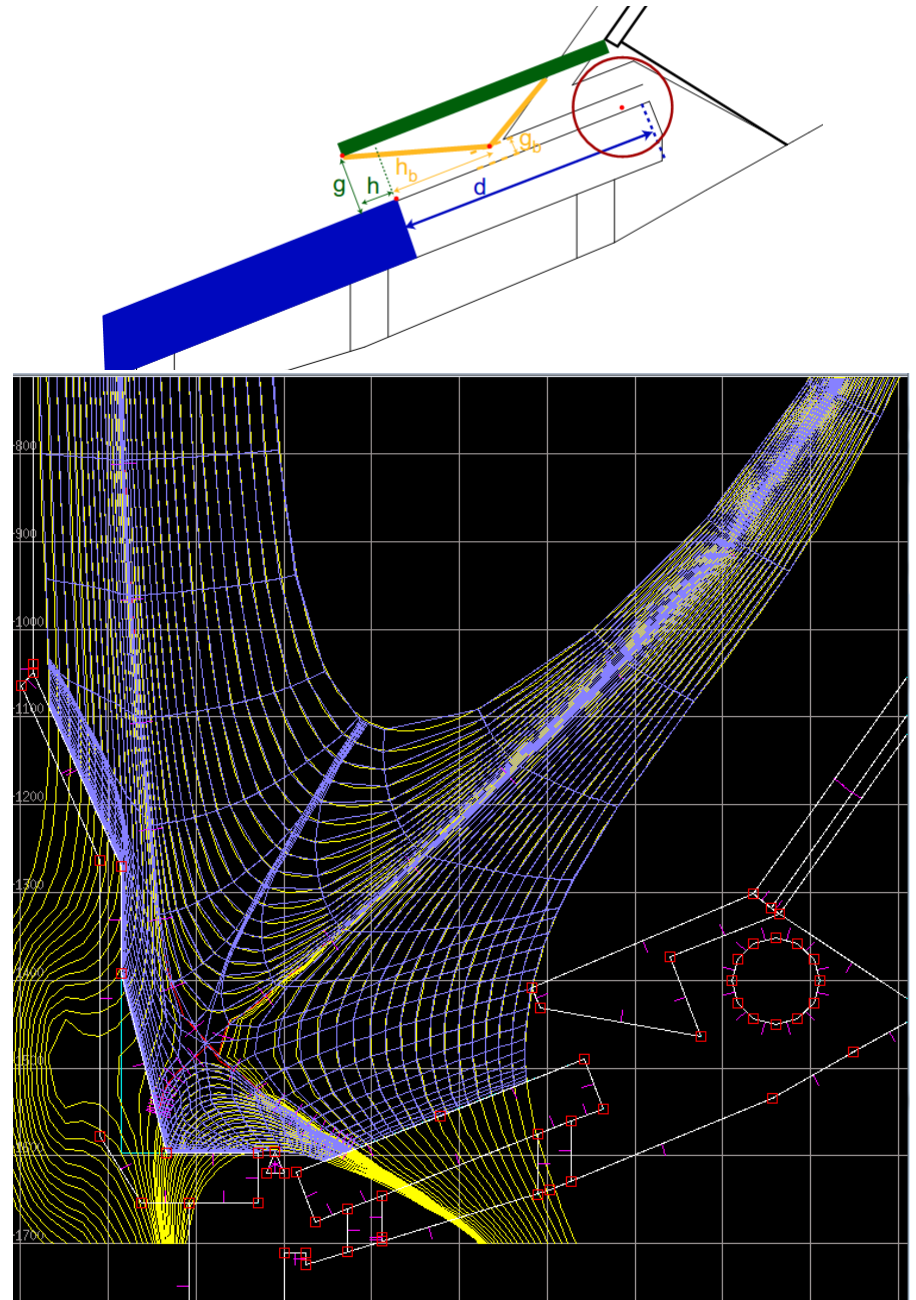
Heat flux at pump entrance orders the “optimal” pump geometry parameters

- Optimal throat height/length depend mainly on heat flux near entrance
 - Doesn't matter if it's varied by moving the OSP, changing flux expansion, or changing total power
 - T_e affects maximum pressure achievable, but only weakly affects g/h
- Optimizing for $P=1\text{mTorr}$ at $T_e=10.0\text{ eV}$ gives $g\sim 4\text{ cm}$, $h\sim 5\text{ cm}$ at $q\sim 1\text{ MW/m}^2$
 - Need more concrete projections for heat flux, T_e to determine how close to OSP plenum entrance needs to be



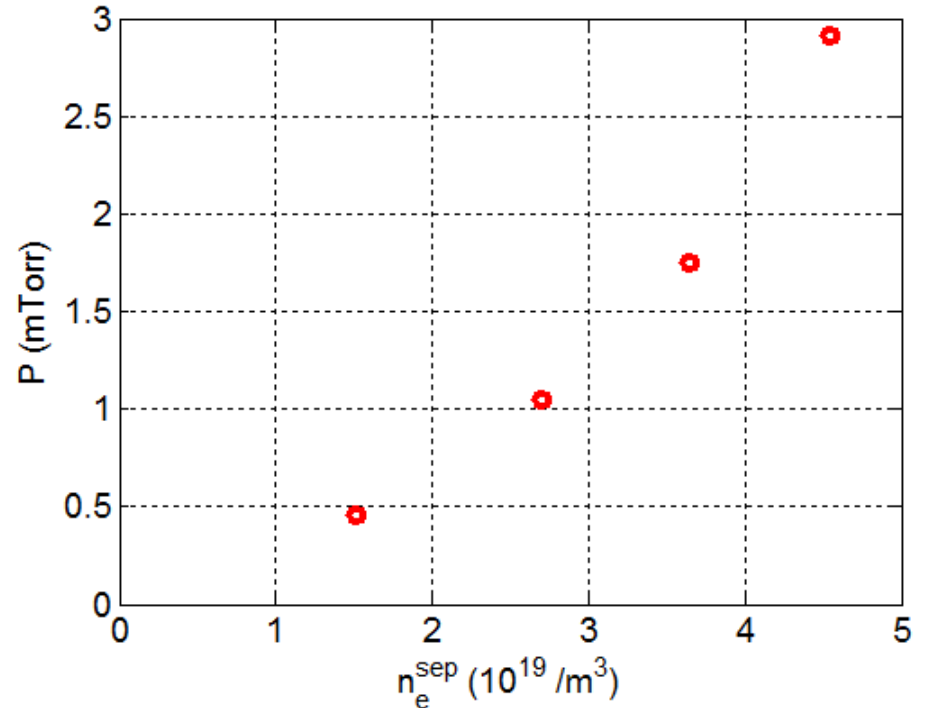
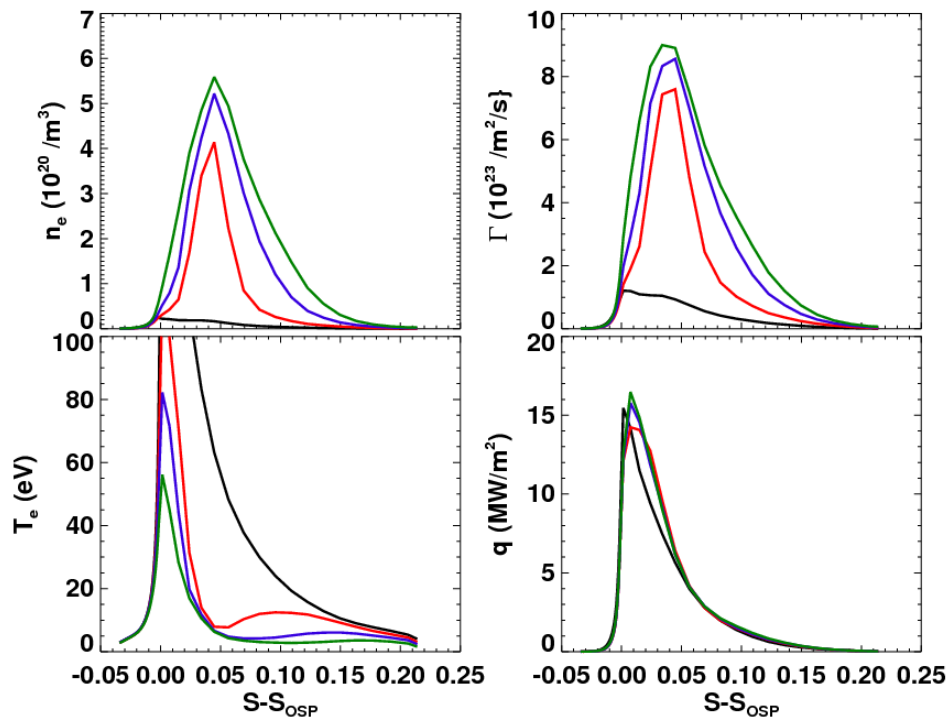
Next up: SOLPS modeling (first attempt shown here)

- New equilibrium developed
 - Outer leg flared onto outer divertor
 - Should be good for pumping
- Initial cryo geometry roughly matching optimized parameters
- Constant $D=0.5$, $\chi_{e,i}=2.0 \text{ m}^2/\text{s}$
 - Gives $\lambda_q^{\text{mid}} \sim 5\text{mm}$
 - But no attempt to match expt
- $P=10\text{MW}$
- n_e at core boundary fixed
 - Particle throughput not controlled, but easy to do density scan
- So far only pumping at target
 - No pumping at cryo
 - Measure P at cryo (will be reduced with pump on)



Plenum pressure vs. n_e^{sep}

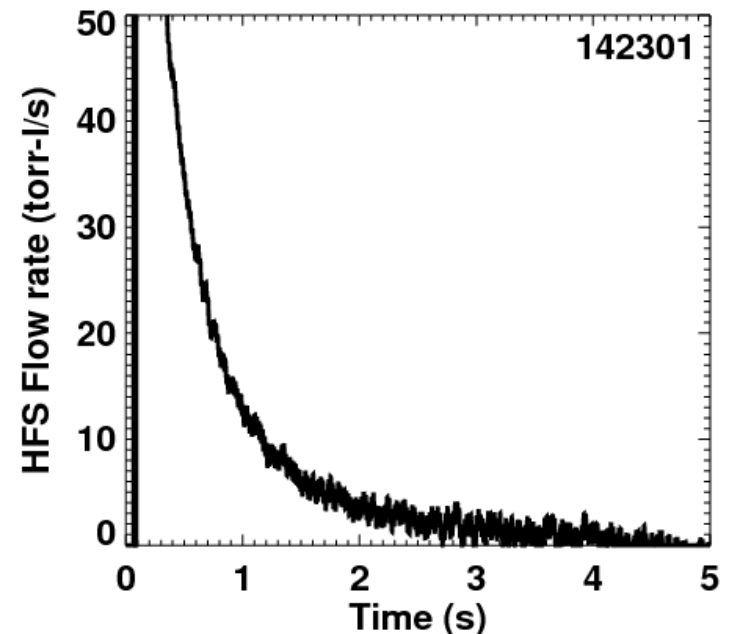
- Outer divertor profiles shown for density scan ($n_e^{\text{core}}=3/5/7/9 \cdot 10^{19} /\text{m}^3$)
- $P > 1$ mTorr at higher densities/lower temperatures
 - Enough for pumping?
 - This is the pressure without the cryo; will be reduced when pumping is turned on
- So far no attempt to match present experimental profiles
 - Will need radially varying transport coefficients
 - Need to improve basis for projecting near-plenum plasma parameters



Backup

How much pumping do we need?

- Neutral beam input
 - D3D beams ~ 2.1 torr-l/s per MW
 - Think we went through this last year, NSTX similar
 - So 10 MW = 21 torr-l/s
- Gas puff can probably be made small for long pulse shots
 - So far CS valve is generally used
 - Can't be turned off during short shots, but can after ~ 2 s
- So to pump high PNBI shots during later phases of long shots, aim for pumping rate of ~ 20 torr-l/s
 - To pump before 2s, either increase pumping or replace HFS puff



Conductance vs. throat height

- Conductance through an aperture* (m³/s, m; molecular flow)

$$C = \frac{\bar{v}}{4} A \approx 36.5 A \sqrt{T/M} \approx 313 A \approx 1970 R_{ent} g$$

- Through a duct of length h (again, units are m and m³/s)*

$$C = \frac{4}{3} \bar{v} \int_0^h \frac{H}{A^2} dl \approx 195 \sqrt{T/M} \frac{A^2}{Hh} \approx 5.3 \times 10^3 Rg^2 / h$$

- Here A is the area of the aperture (=2πR_{ent}g), H is the perimeter length of the aperture (=4πR_{ent}), and h is the length of the duct
 - I'm ignoring toroidal effects (i.e., treating H and A as constant in the integral)
 - And I've assumed room temperature D2 (sqrt(T/M)~8.59)
- These add in series as 1/C_{tot} = 1/C_{ap} + 1/C_{duct}
- For Menon's parameters (g=0.028, h=0.136, R_{ent}=1.0) I get:
 - C_{aperture} = 55,000, C_{duct} = 30,500, C_{tot} = 19,600 l/s
 - He get's 21,000, but he's probably doing things like accounting for toroidicity (boring!)

*Need to check this, correct me if it's wrong

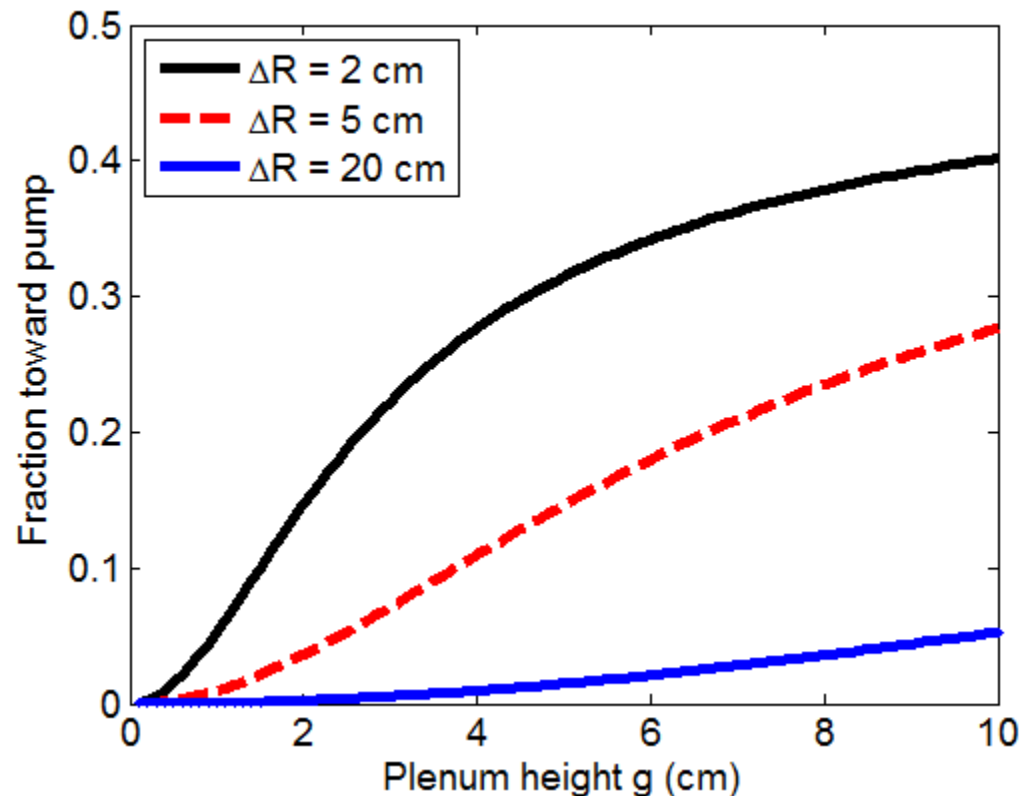
Neutral flux into plenum vs. throat height

- Fraction of neutrals heading towards plenum entrance is

$$F(r) = \frac{1 - \cos \Theta_{\max}(r)}{2}$$

$$\Theta_{\max}(r) = \tan^{-1} \left(\frac{g}{R - R_{ent}} \right)$$

- This will depend on the distance from the entrance of the origin of the neutrals
 - Which depends on the neutral mfp for ionization by the plasma
 - For now we can consider a few characteristic radii



Transmission probability of neutrals through divertor plasma

- Transmission factor for Franck-Condon D (i.e., fraction not ionized on its way to the plenum entrance):

$$T(r) = \frac{I_0^{plen}(R_{\max})}{I_0^{plen}(R)} = \exp\left[\frac{-1}{v_0} \int_R^{R_{\max}} n_e(r) \langle \sigma v \rangle_{EII}(r) dr\right]$$

- To estimate this, assume heat flux (perpendicular to divertor surface), angle of B wrt surface (α), and plasma temperature, use this to infer density and particle flux profiles

$$\Gamma_{\perp} = q_{\perp} / 7T$$

$$n = \Gamma_{\perp} / \left(\sin \alpha \sqrt{2T/m} \right)$$

- In the example shown, two plasma temperatures are used: 20 eV and 3eV
- Radially constant profiles used, with $\alpha=5^{\circ}$
- T doesn't matter much ($n \langle \sigma v \rangle \sim \text{constant}$)
- Neutral fall-off lengths in this case $\sim 0.8-8$ cm
 - Let's start with throat height of 5 cm

