

IVBRANCH

a code to explore halo current distributions
in arbitrary conducting structures

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$$\begin{bmatrix} [L] & [0] \\ [N]^t & [0] \end{bmatrix} \begin{Bmatrix} \dot{I}(t) \\ \dot{\phi}(t) \end{Bmatrix} + \begin{bmatrix} [R] & [N] \\ [0] & [0] \end{bmatrix} \begin{Bmatrix} I(t) \\ \phi(t) \end{Bmatrix} = \begin{Bmatrix} b(t) \\ f(t) \end{Bmatrix}$$

where :

$\{I(t)\}_{B \times 1}$ = branch currents (tbd)

$\{\phi(t)\}_{N \times 1}$ = node voltages (tbd)

$[L]_{B \times B}$ = branch by branch inductance matrix

$[R]_{B \times B}$ = branch by branch resistance matrix

$[N]_{B \times N}$ = edge node incidence matrix

$\{b(t)\}_{B \times 1}$ = branch voltage (exterior sources)

$\{f(t)\}_{N \times 1}$ = nodal flows (exterior sources)

model conducting structures with
1-D, 2-D, & 3-D elements, end up
with N 'nodes' & B 'branches' in model

user defines:

- 1) exterior magnetic $d(B)/dt$
- 2) surface normal current density
- 3) reference nodal voltage(s) in model

code solves for:

current and voltage in model

IVBRANCH results: may program node voltages, node current sources and sinks, current time history in user described coils
resistive solution shown below

