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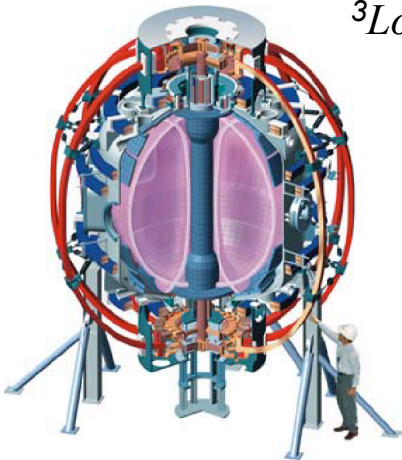
# Improved Resistive Wall Mode Detection on NSTX

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**NSTX**

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# Upgraded RWM/Locked Mode Sensors Allow Greater Analysis & Increased Performance

- **Motivation**

- ❑ RWM strongly damps rotation
- ❑ Mode structure measurement and detection needed for physics analysis and active feedback
- ❑ Internal sensor array gives earlier mode detection & greater spatial resolution than present external array

- **Outline**

- ❑ RWM structure aids in understanding rotation damping mechanism
- ❑ Internal sensors offer advantages over external array
- ❑ New sensor array has been installed inside NSTX vacuum vessel
- ❑ New array is capable of  $n = 1-3$  mode identification

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# Accurate $\beta$ Measurement Will Allow for Rotation Damping Calculation

- RWM growth & locking damp rotation
  - leads to  $\beta$ -collapse without rotational stabilization
- Tearing modes usually present
  - does not explain onset of strong core damping when  $\beta_N > \beta_{N \text{ no-wall}}$
- Strong core damping is non-resonant
  - neoclassical viscous model with RWM provides candidate
    - damping  $\propto B_r^2 T_i^{0.5}$
    - detailed RWM structure needed to perform accurate calculations
- Calculations ongoing
  - tearing mode coupled with error fields first step
    - see poster LP1.013 by W. Zhu
  - RWM contribution being added



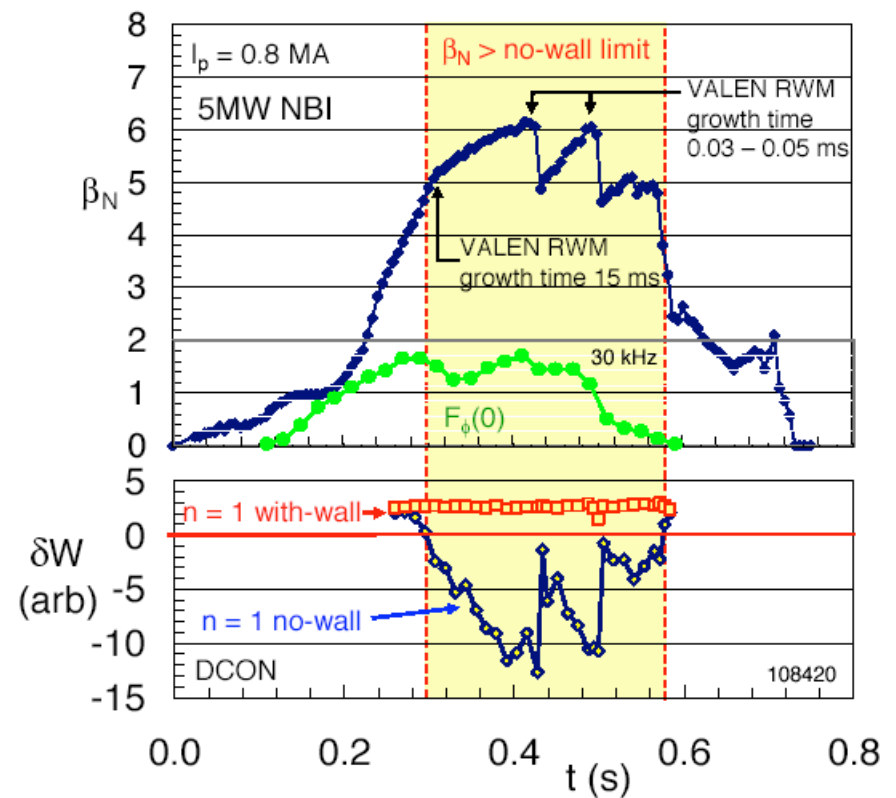
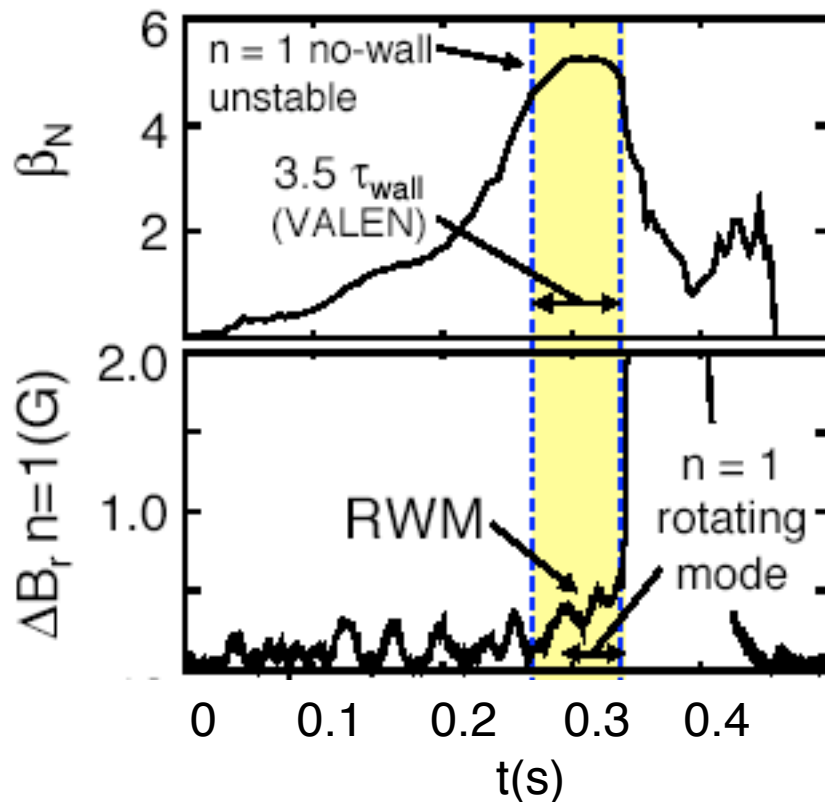
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# Increased Sensitivity and Mode Structure Detection with New Sensor Array

- Perturbed field measured inside conducting structure
  - present system observes mode after wall penetration
- Improved system capable of resolving up to  $n = 3$ 
  - present set only measures  $n = 1$
  - $n = 2$  predicted to be unstable at high- $\beta_N$
- New system has higher spatial resolution
  - new set has 12 toroidal locations above and below midplane
  - present set has 6 midplane coils each w/60 deg. toroidal coverage
- New system has fast response for feedback control
  - present set is inadequate for feedback

# External Array Shows Weak n=1 signal

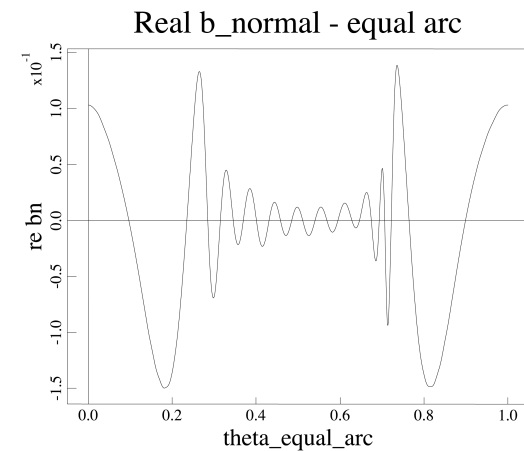
- Weak locked mode signal
- No locked mode signal - RWM?
  - internal array should distinguish



# New Sensors Modeled with VALEN 3D and DCON Computed Mode Structure

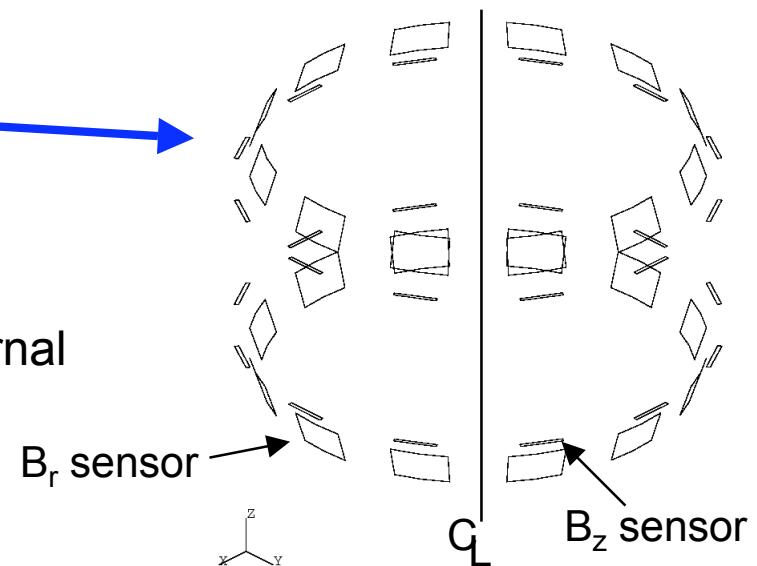
- **DCON gives ideal mode structure** →

- computed from shot 108420
  - $I_p = 0.8 \text{ MA}$ ,  $\bar{n}_N = 6$ ,  $\bar{n}_t = 18\%$ ,
- perturbations strongest at outboard midplane
  - due to ballooning character at high- $\bar{n}$
- eigenfunctions provide input to circuit model



- **VALEN simulates sensor array** →

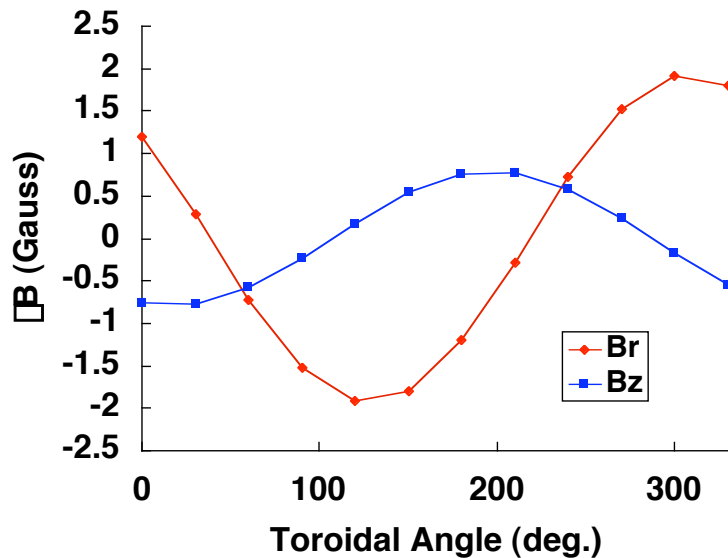
- existing  $n=1$  data used for calibration
  - assume locked, slowly growing mode
  - compare predicted to measured external flux



# Internal Sensors Have Greater Spatial Resolution & Detect Larger Field Perturbation

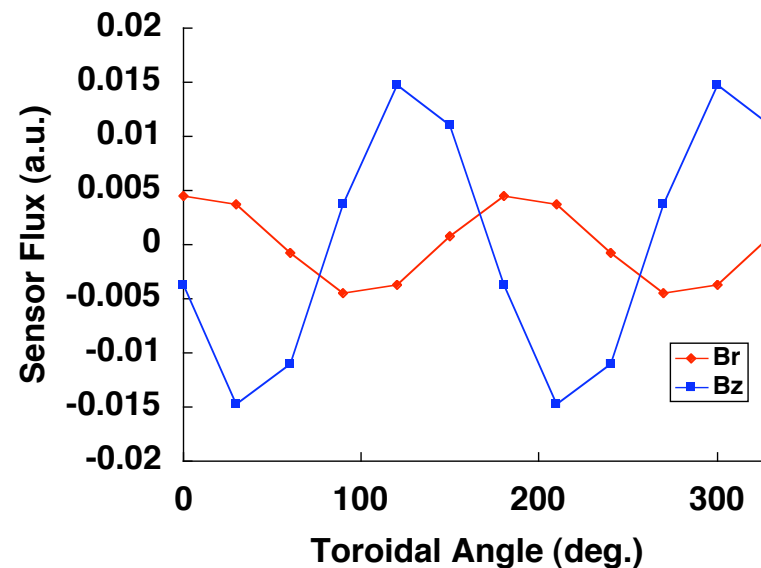
- $B_r$  perturbation  $\sim 4x$  larger at internal location than external
  - Maximum external  $n=1$   $\Delta B_r$  signal is 0.47 Gauss

Internal  $n=1$   $\Delta B$



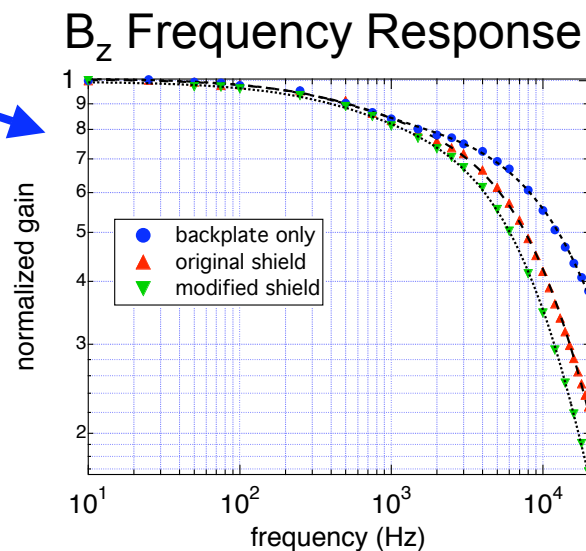
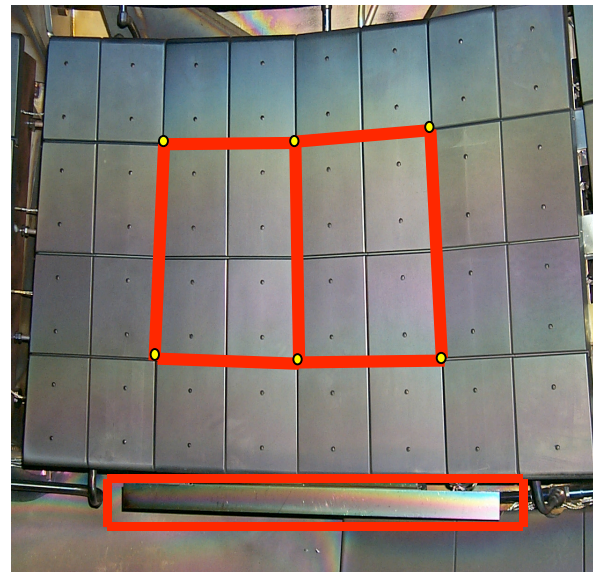
- Calculated mode structure from NSTX shot 108420
  - No external  $n=2$   $\Delta B$  data for calibration

Internal  $n=2$   $\Delta B_{norm}$



# Internal Sensor Array Installed

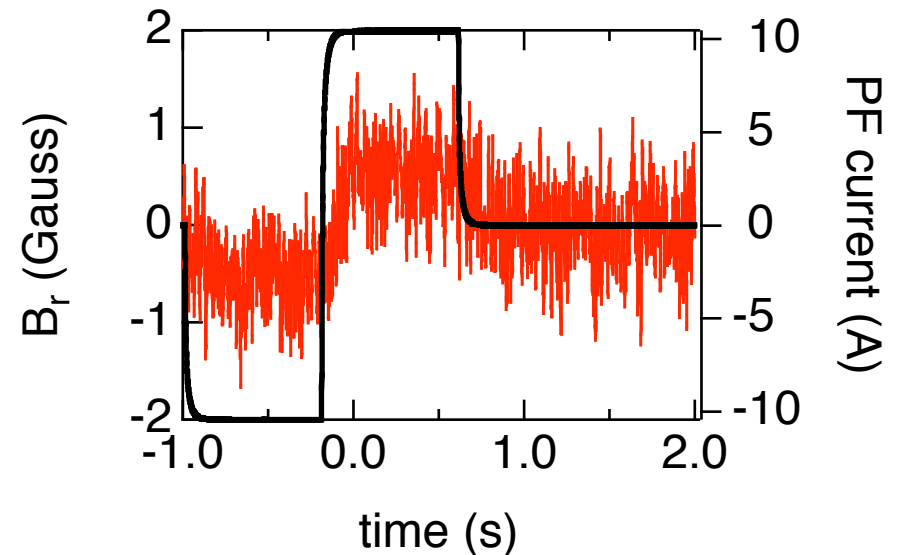
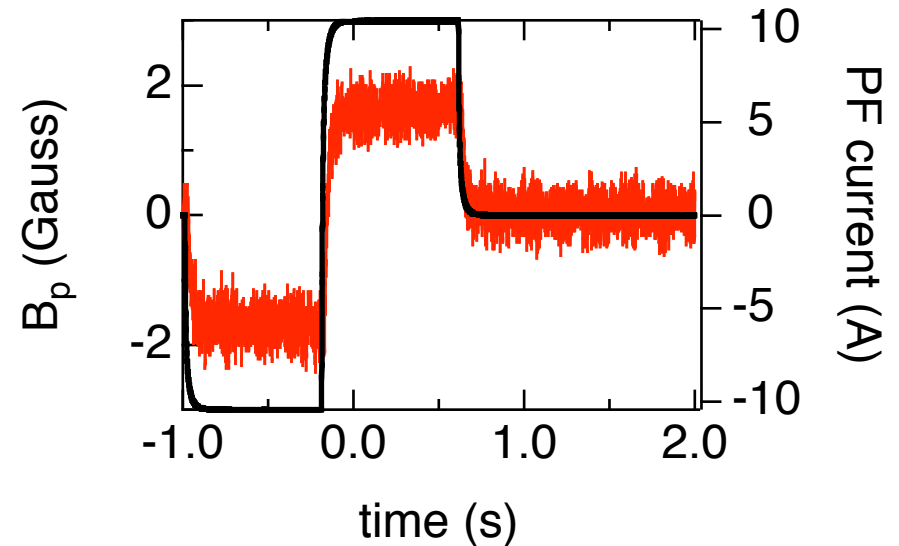
- Toroidally symmetric  $B_z$  and  $B_r$  arrays at 12 locations
  - upper and lower arrays □ 48 sensors total
- $B_r$  behind carbon tiles on primary passive plates
- $B_z$  mounted on midplane side of plates
- Adequate frequency response
  - RWM rotates slowly
    - □  $\sim 1/\tau_{\text{wall}}$
  - $B_r$  sensors are much lower inductance
- Instrumentation currently being commissioned





# Sensors Capable of < 1G mode Detection

- Initial sensor tests show good sensitivity
  - limited by sensor area
- noise due to wall/plate eddy currents must be subtracted
  - fields-only shots for calibration
  - noise level of  $\sim 0.3$  Gauss achieved with external sensors
    - utilized local  $B_z$  and  $B_\theta$  compensation sensors
    - compensation not available with internal sensors
- plasma signal must also be subtracted
  - $n = 0$  motion

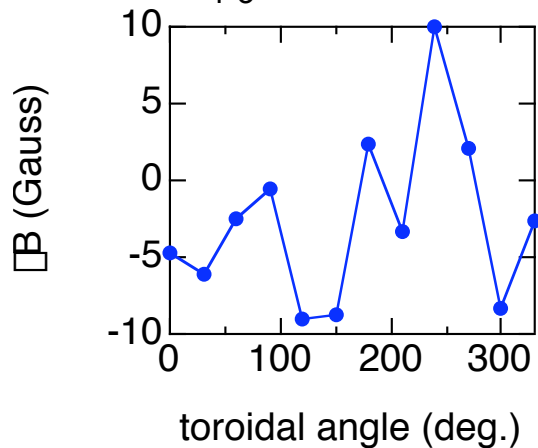


# New Sensors Provide Robust Mode Detection for $n = 1-3$

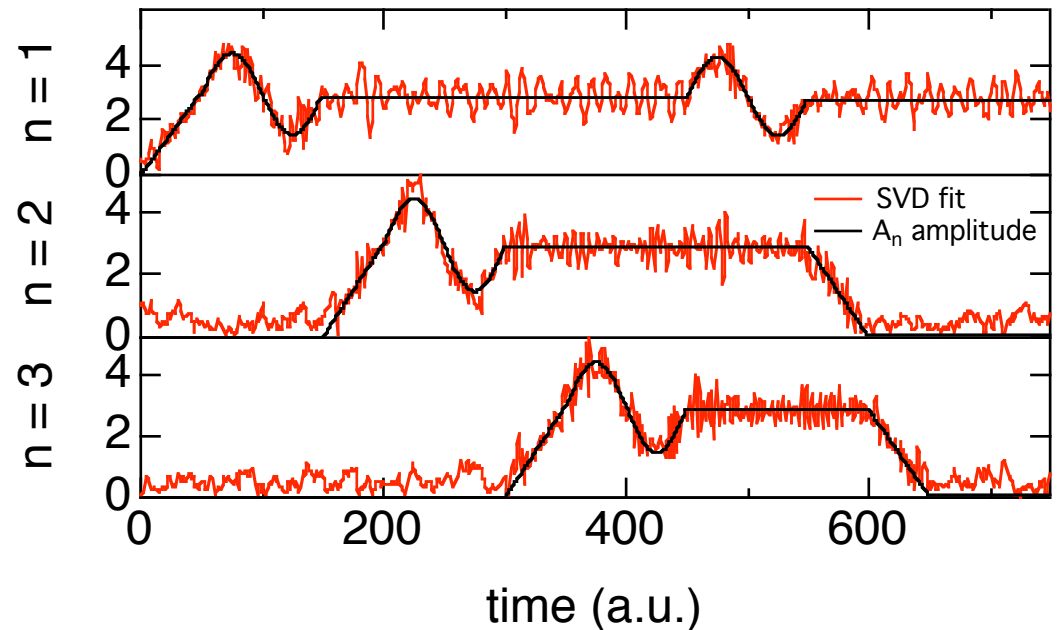
- Noisy signals input to SVD mode detection algorithm
  - signal at each sensor location given by:  $S(\varphi) = \sum_{n=1,2,3} A_n \sin(\varphi + \varphi_n)$ 
    - $\varphi$  is toroidal location of sensor
  - Random Gaussian noise added to each signal
  - Modes readily distinguishable

Raw Signals - 1 Gauss noise

$A_{1-3} = 3$  Gauss



SVD Results - 1 Gauss noise



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# NSTX Ready for Further RWM Studies

- Upgraded sensors necessary for further RWM studies
- Internal  $B_p$  &  $B_r$  sensor arrays installed in NSTX
  - allows for earlier mode detection
  - gives greater spatial resolution
  - up to  $n = 3$  mode ID possible
- SVD mode detection algorithm provides  $n = 1-3$  identification
- Future work
  - calibrate background subtraction using full field shots
  - use measured mode structure in rotation damping calculations



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support slides follow

# SVD Analysis Gives Mode Amplitudes and Phases

- SVD fit of signals to solve overdetermined matrix equation:

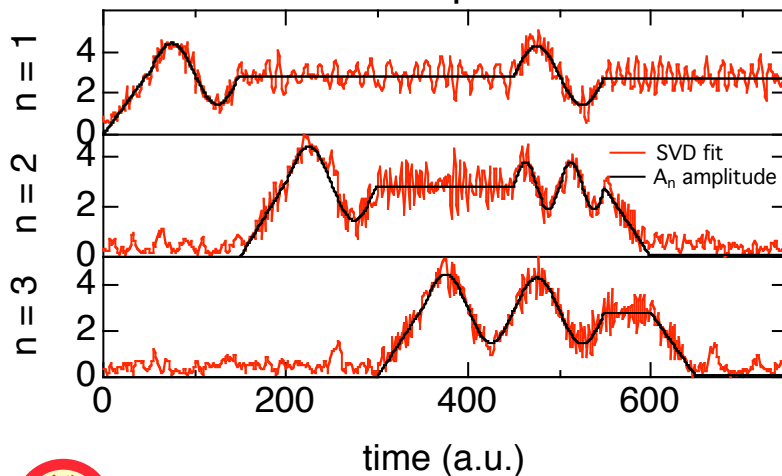
$$\vec{A}\vec{x} = \vec{b} \quad \text{where} \quad \vec{x} = \begin{bmatrix} A_1 \cos \phi_1 \\ A_1 \sin \phi_1 \\ A_2 \cos \phi_2 \\ A_2 \sin \phi_2 \\ A_3 \cos \phi_3 \\ A_3 \sin \phi_3 \end{bmatrix}$$

$\vec{A}$  = coefficient matrix determined by sensor toroidal locations

$\vec{b}$  = vector of measured signal pair sums and differences

-pairs are grouped with 2 x 180 deg. separation + 4 x 90 deg. separation

Mode Amplitudes



Mode Phases

