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## Flux amplification and sustainment of ST plasmas by double pulsed coaxial helicity injection on HIST

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- 2) HIST device and diagnostics
- 3) Experimental topics
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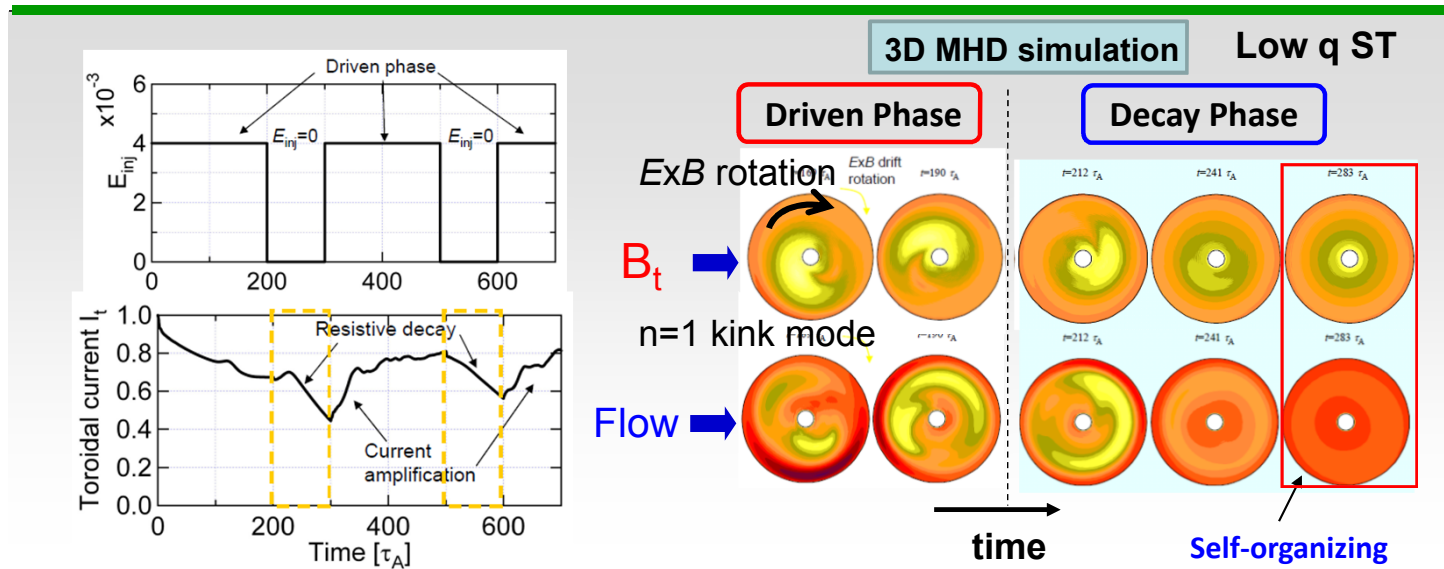
# Introduction

Coaxial Helicity injection (CHI) is an efficient current-drive and start-up method which was used in many spheromak and ST experiments.

A critical issue for CHI is achieving a good energy confinement.

→ A new approach of CHI : **Multi-pulsing CHI or Repetitive transient CHI**

The multi-pulsing scenario of CHI aims to achieve simultaneously a **quasi-steady sustainment** and **good confinement**.



# Multi-pulsing CHI for ST configurations

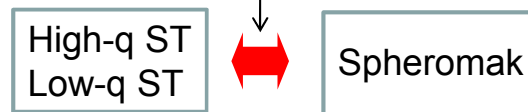


The multi-pulsing CHI (M-CHI) discharges on SSPX at LLNL were successfully demonstrated for a high temperature spheromak. (see Ref.[1,2])

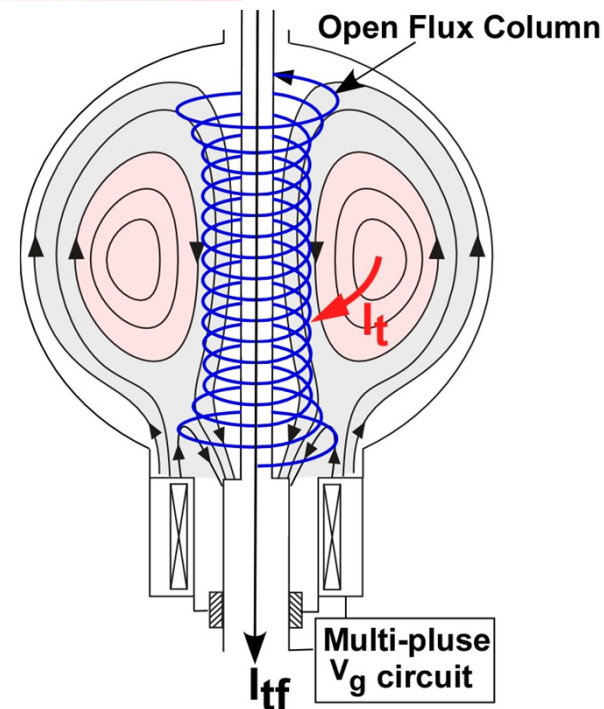
## Application of the M-CHI to ST configurations

- What mechanism of current drive is different from spheromak ?

Flow, Dynamo, Mode structure, etc.

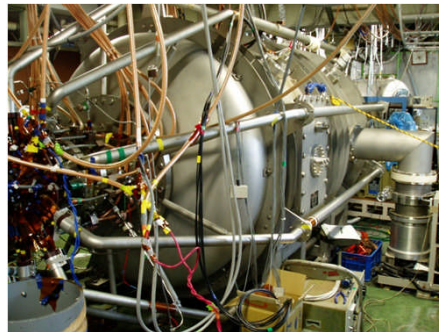
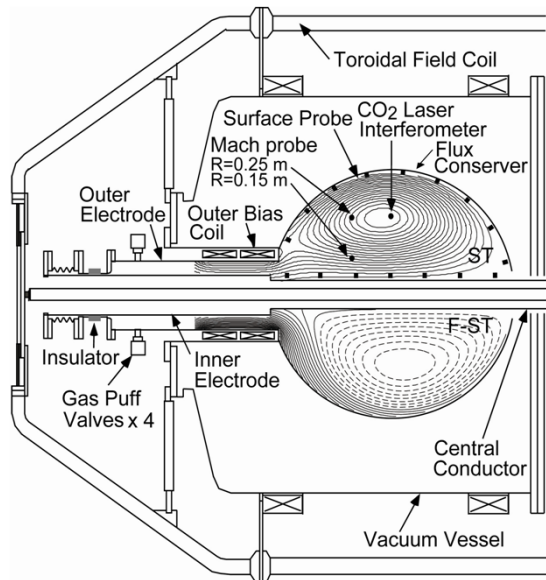


- **Central open flux column** plays an important role in driving a current.
- A purpose of this experiment is to explore characteristics of the M-CHI driven ST.



[1] S. Woodruff, et al. PRL **90**, 205002-1 (2004)  
[2] E.B. Hooper, PPCF **53**, 085008 (2011).

# HIST device and double-pulsing CHI



- **HIST plameters**

$R=0.3 \text{ m}, a=0.24 \text{ m}, A=1.25$

$n_e=0.5-1 \times 10^{20} \text{ m}^{-3}$

$T_e, T_i = 10-40 \text{ eV}$

$I_t < 150 \text{ kA}, h_e = \omega_{ce} \tau_{ie} = 50-200$

$S^* = R/I_i \sim 10 \quad I_i = (c/\omega_{pi}) = 2 \sim 3 \text{ cm}$

- **TF coil current**

**Spheromak, Low-q ST:**  $q \sim I_{tf} (= 0-30 \text{ kA}) / I_t < 1$

**High-q ST:**  $q \sim I_{tf} (= \sim 150 \text{ kA}) / I_t > 1$

- **Power supply system for double-pulse**

**Formation capacitor banks**

$V = 3-10 \text{ kV}, C = 0.6 \text{ mF}$

Injection current :  $I_g \sim 30 - 60 \text{ kA}$

- **Sustainment capacitor banks**

**First pulse** :  $V < 900 \text{ V}, C = 336 \text{ mF}$

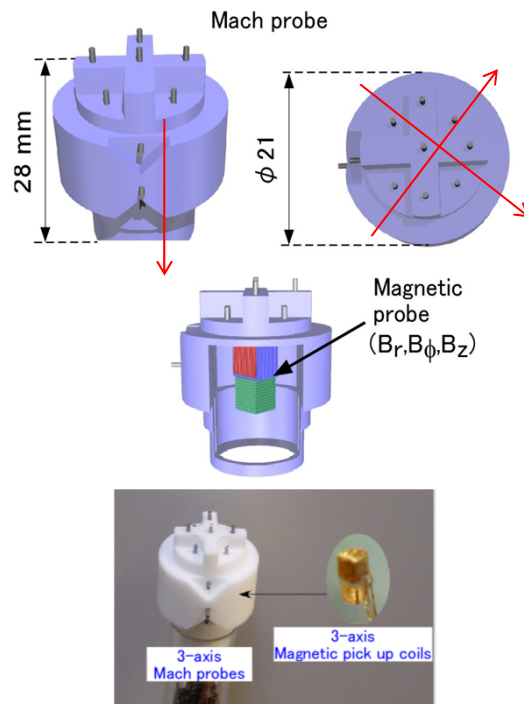
**Second pulse** :  $V < 900 \text{ V}, C = 195 \text{ mF}$

2<sup>nd</sup> pulse voltage :  $V_g \sim 400 \text{ V}$   
 2<sup>nd</sup> pulse current :  $I_g \sim 10-20 \text{ kA}$



# Dynamo-Mach Probe Measurement

3-axis flows and 3-axis magnetic fields are simultaneously measured.



## - Mach probe analysis -

### Hutchinson model

→  $r_p/\rho_i < 1$  : unmagnetized

$$V_i = C_s \times M_i \quad : C_s = 30 \text{ km/s} \quad (T_e = T_i)$$

### Ion Mach Number $M_i$

$$M_i = M_c \ln(J_{up}/J_{down})$$

$J_{up}$  upstream rod current

$J_{down}$  downstream rod current

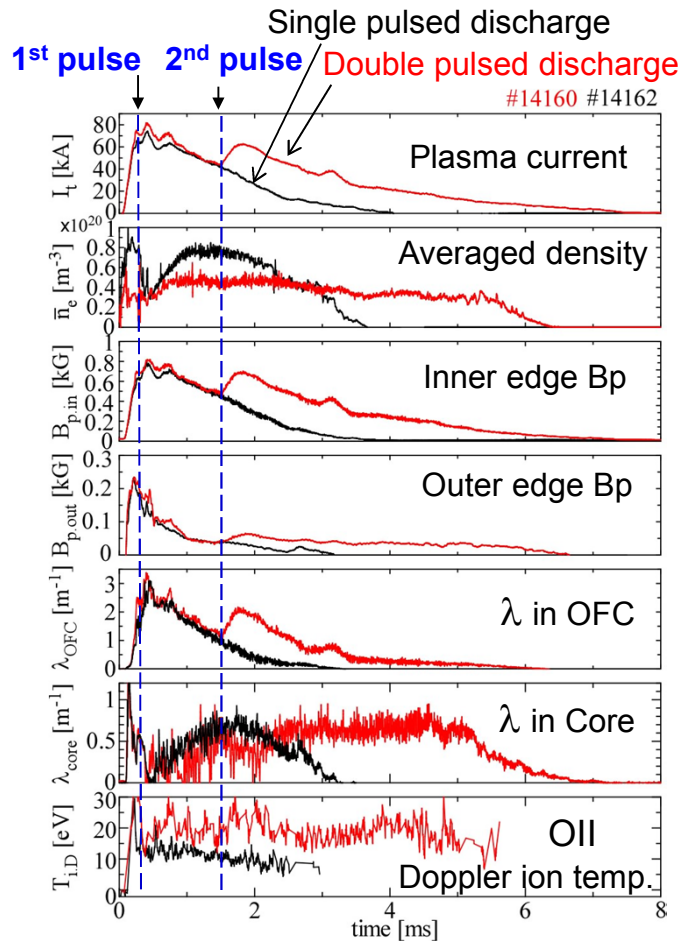
$$\frac{1}{M_c} = K \sqrt{\gamma_e + (T_i/T_e)\gamma_i}$$

$$K = 1.34 \quad T_i/T_e = 1 \quad (\gamma_e = \gamma_i = 1)$$

$$\rightarrow M_c = 0.53$$

$V_i$ : ion flow,  $C_s$ : ion sound velocity,  $M_i$ : ion Mach number,  $M_c$ : proportionality constant,  $T_e$  ( $T_i$ ): electron (ion) temperature,  $\gamma_e$  ( $\gamma_i$ ): specific heat ratio for electron (ion),  $r_p$ : probe radius,  $\rho_i$ : Larmor radius ( $\sim 1$  cm)

# Double pulsing CHI discharge (High-q)



★ By secondly pulsing the MCPG at  $t = 1.5$  or  $2.5$  ms during the partially decay phase, **total plasma current** is effectively amplified against the resistive decay. The **core current density** is generated due to dynamo.

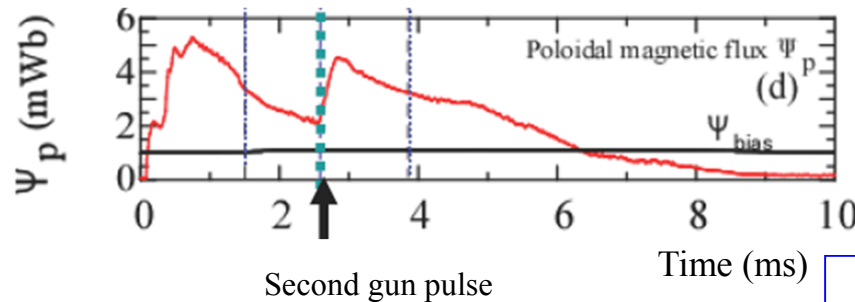
★ The **sustainment time** has increased up to 6 -8 ms which is longer than that in the single CHI case.

★ The **edge  $\lambda$**  in the OFC is larger than the **core  $\lambda$** , causing helicity transport.

$$\lambda = \mu_0 I_t / \Psi_t$$

★ **Ion Doppler temperature** increases from 20 eV up to 30 eV.

# Flux and current amplification



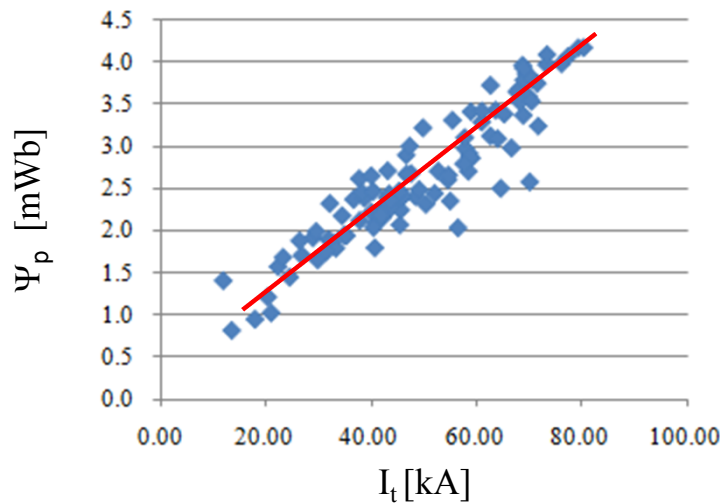
**High-q ST**  
**Poloidal Flux > Bias flux**

$$\Psi_p > \Psi_{p.bias}$$

## Flux Amplification

$$A_\Psi = 4 \sim 5$$

$$\Psi_{p.bias} \approx 1 \text{ mWb}$$



## Current Amplification

$$A_I = 4 \sim 8$$

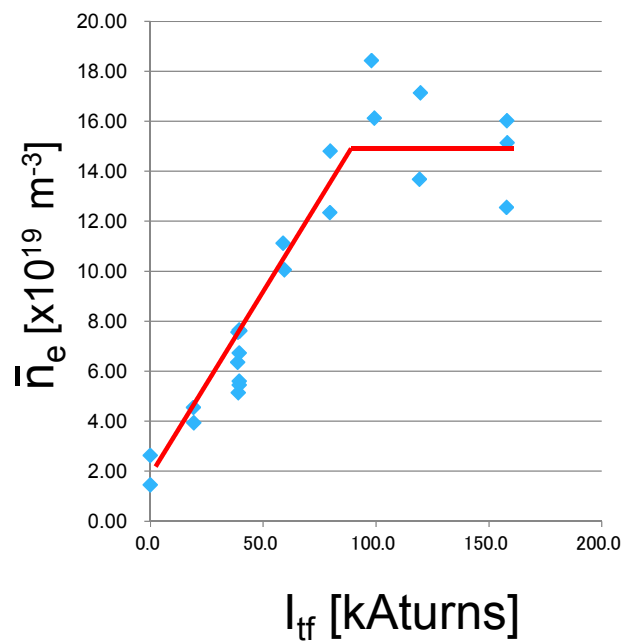
$$I_{inj} = 10, 20 \text{ kA}$$

# Note that  $A_\Psi$  includes the OFC

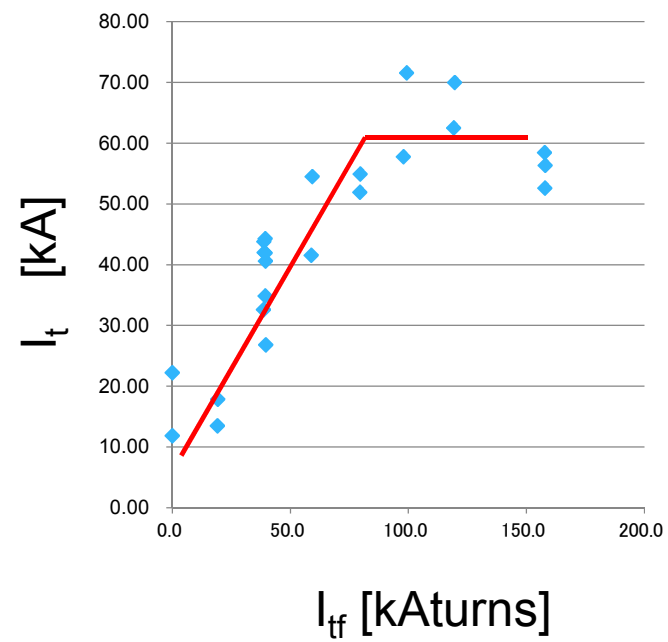
# $I_t$ and $\bar{n}_e$ vs $I_{tf}$ for 2<sup>nd</sup> pulse



### Density vs TF coil current

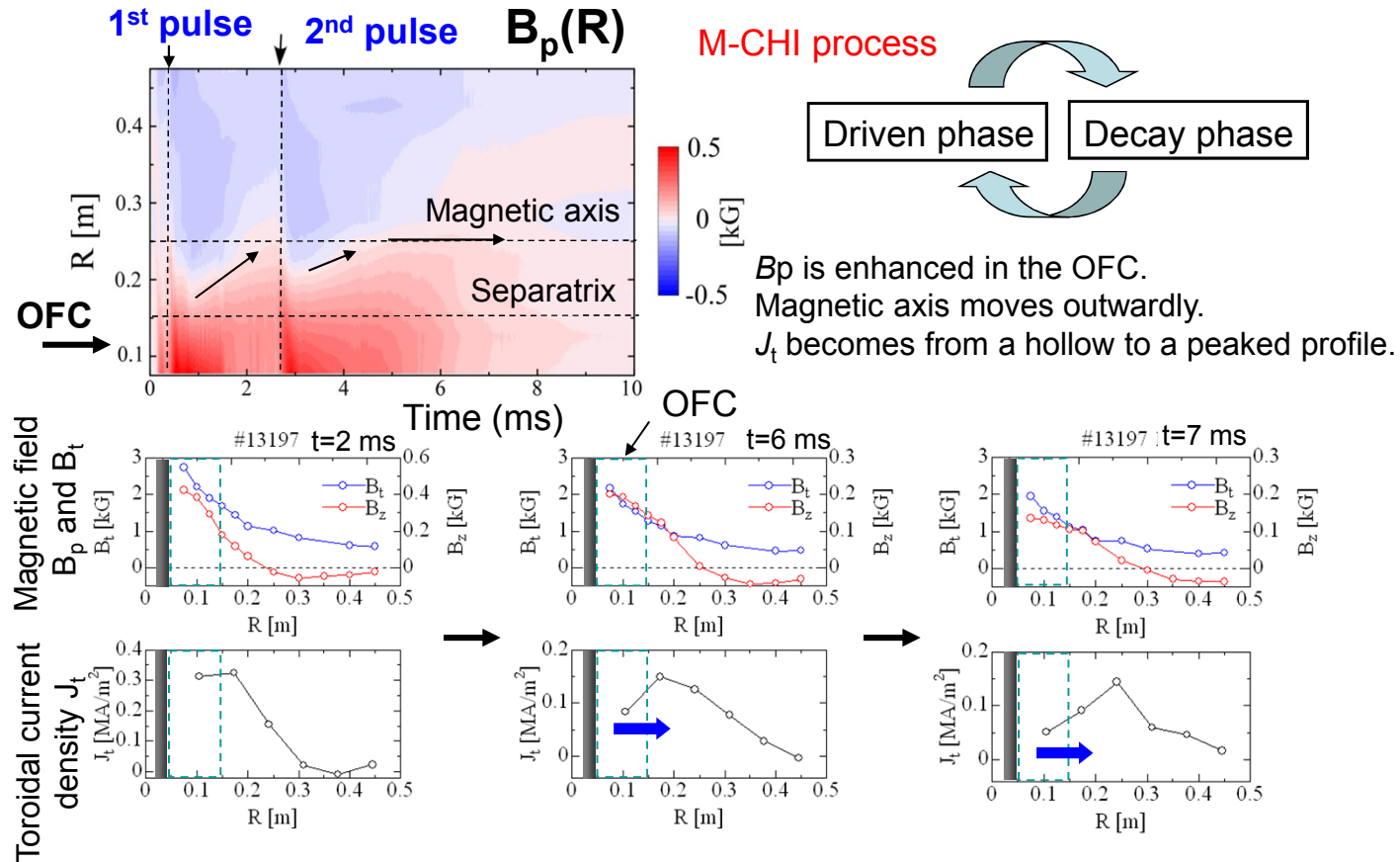


### Plasma current vs TF coil current

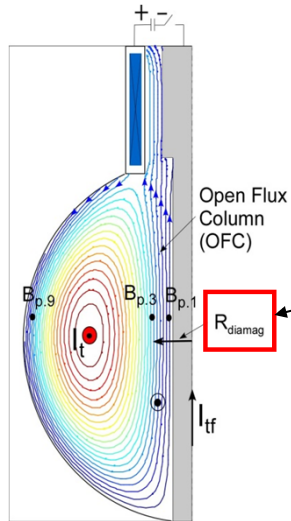




# Internal magnetic field profiles



# Diamagnetic properties of Open Flux Column

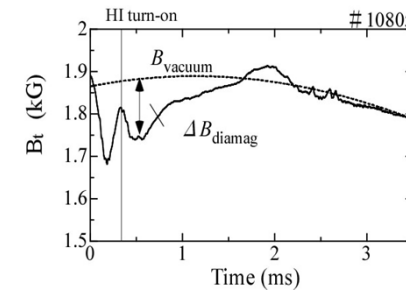
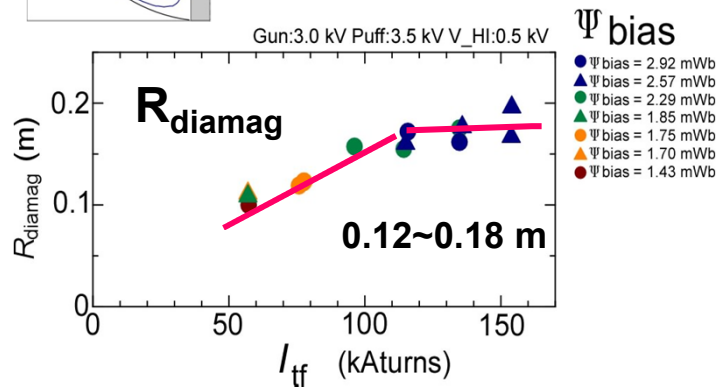
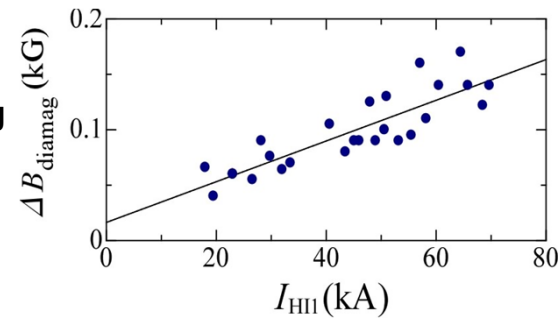


The toroidal field  $B_t$  in the OFC is decreased from the vacuum field.

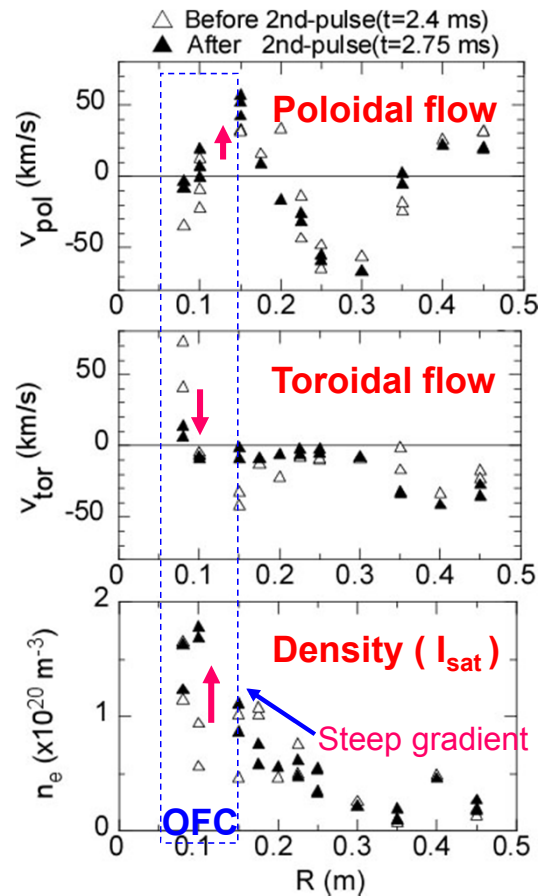
“diamagnetic”

OFC radius  $\sim R_{diamag}$

Separatrix position



# Flows and density profiles



$$v_p = \frac{E_r \times B_t}{B^2} - \frac{\nabla p_i \times B_t}{enB^2}$$

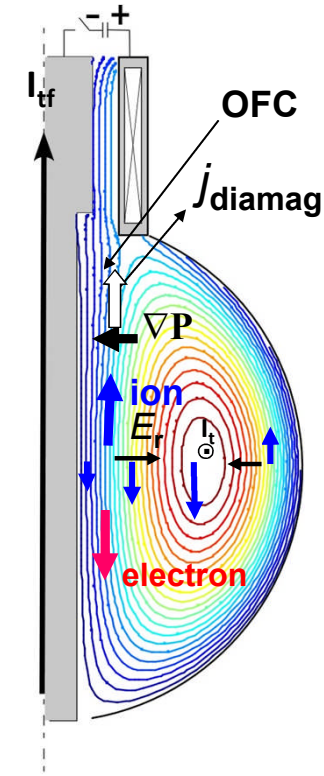
↓

Poloidal shear flow

Diamagnetic current

⇒ Diamagnetic properties of OFC

**Radial electric field  $E_r$**

$$E_r \approx \frac{\nabla p_i}{en_i Z_i} - (v_p B_t - v_t B_p)$$




# Two-fluid dynamo effects

## Generalized Ohm's law

$$\eta \mathbf{j} = \mathbf{E} + \mathbf{v} \times \mathbf{B} - \mathbf{j} \times \mathbf{B} / en + \nabla p_e / en$$

$$\eta \mathbf{j}_0 - \mathbf{E}_0 = (\mathbf{v}_0 \times \mathbf{B}_0) + \langle \tilde{\mathbf{v}} \times \tilde{\mathbf{B}} \rangle - (\mathbf{j}_0 \times \mathbf{B}_0) / en - \langle \tilde{\mathbf{j}} \times \tilde{\mathbf{B}} \rangle / en$$

$$\eta j_{\parallel 0} - E_{\parallel 0} = \langle \tilde{\mathbf{v}} \times \tilde{\mathbf{B}} \rangle_{\parallel} - \langle \tilde{\mathbf{j}} \times \tilde{\mathbf{B}} \rangle_{\parallel} / en \approx - \langle \tilde{\mathbf{v}}_e \times \tilde{\mathbf{B}} \rangle_{\parallel}$$

MHD dynamo    Hall dynamo    Electron dynamics

$$\tilde{\mathbf{v}}_{e\perp} = \tilde{\mathbf{v}}_{\perp} - \tilde{\mathbf{j}}_{\perp} / en \approx \frac{\tilde{\mathbf{E}}_{\perp} \times \mathbf{B}_0}{B^2} + \frac{\nabla_{\perp} \tilde{p}_e \times \mathbf{B}_0}{enB^2}$$

ExB drift    Diamagnetic drift    ↙ Electron-ion decoupling

# Diamagnetic dynamo term does not appear explicitly in the parallel mean-field Ohm's law

$$\text{Diamagnetic dynamo} \frac{\langle \nabla \tilde{p}_e \cdot \tilde{\mathbf{B}} \rangle_{\parallel}}{enB}$$

# Diamagnetic current  $\mathbf{j}_{\text{diamag}}$  due to electron and ion diamagnetic drift contributes on Hall dynamo term

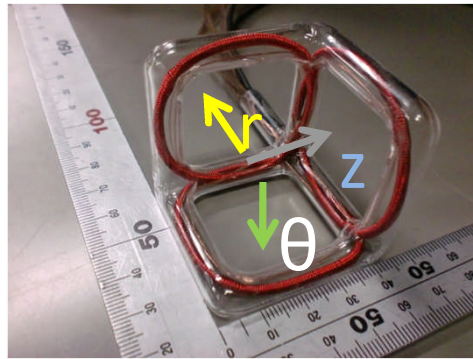
$$\tilde{\mathbf{j}}_{e\perp} \approx \frac{\mathbf{B}_0 \times \nabla \tilde{p}_e}{B_0^2} \quad \tilde{\mathbf{j}}_{i\perp} \approx \frac{\mathbf{B}_0 \times \nabla \tilde{p}_i}{B_0^2}$$

\* Private communication with Dr. K. McCollam

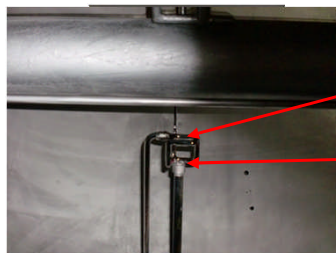
# Hall and MHD dynamo measurement



Measurement of three components of fluctuating velocity, current density and magnetic field at a radial position

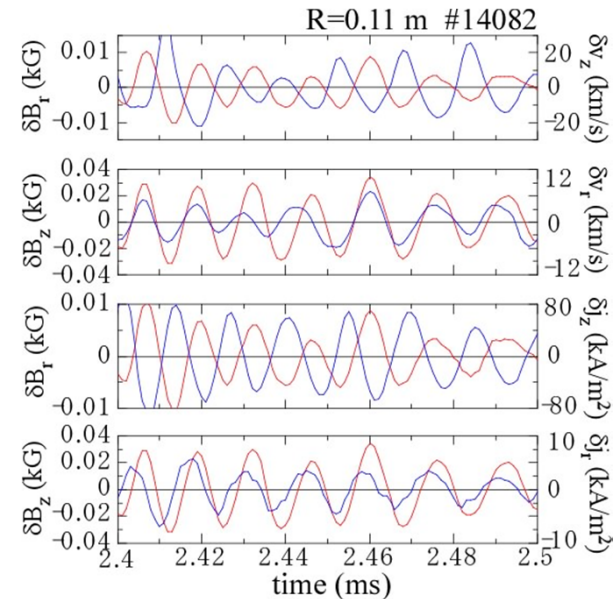


**Hall dynamo probe** (50x50x50 mm)  
Incorporating Rogowski loop and flux loop



Hall dynamo probe

MHD dynamo probe

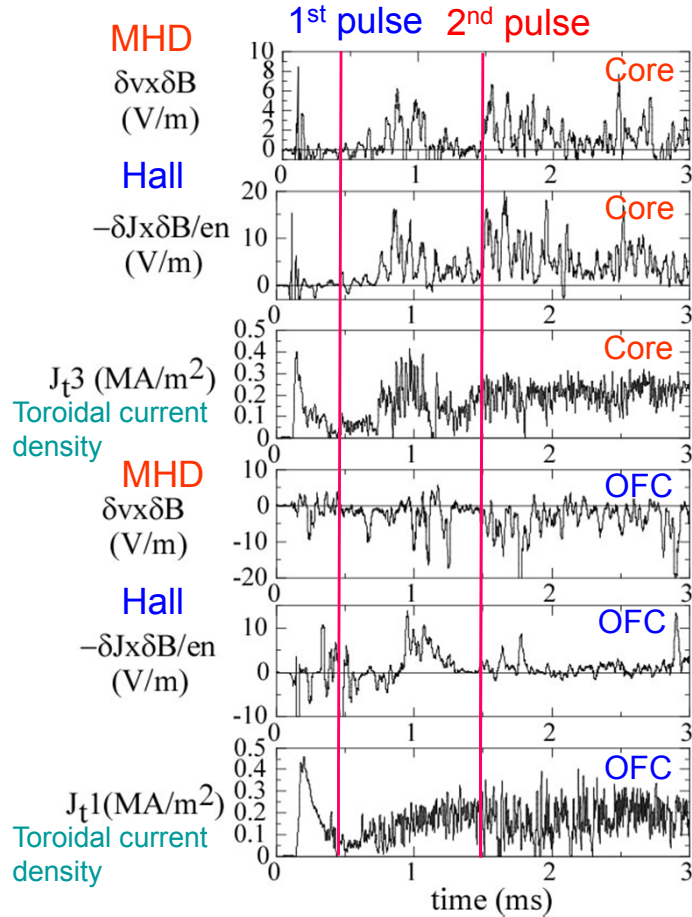


$$E_{t0} = \langle \delta v \times \delta B \rangle_t = \langle \delta v_z \cdot \delta B_r - \delta v_r \cdot \delta B_z \rangle$$

$$E_{t0} = \langle \delta j \times \delta B \rangle_t = \langle \delta j_z \cdot \delta B_r - \delta j_r \cdot \delta B_z \rangle$$

out of phase      in phase

# Dynamo balances Ohm's law



## Parallel mean-field Ohm's law

$$\eta_{\parallel 0} j_{\parallel 0} - E_{\parallel 0} = \underbrace{\langle \tilde{v} \times \tilde{B} \rangle_{\parallel}}_{\text{MHD dynamo}} - \underbrace{\langle \tilde{j} \times \tilde{B} \rangle_{\parallel}}_{\text{Hall dynamo}} / en$$

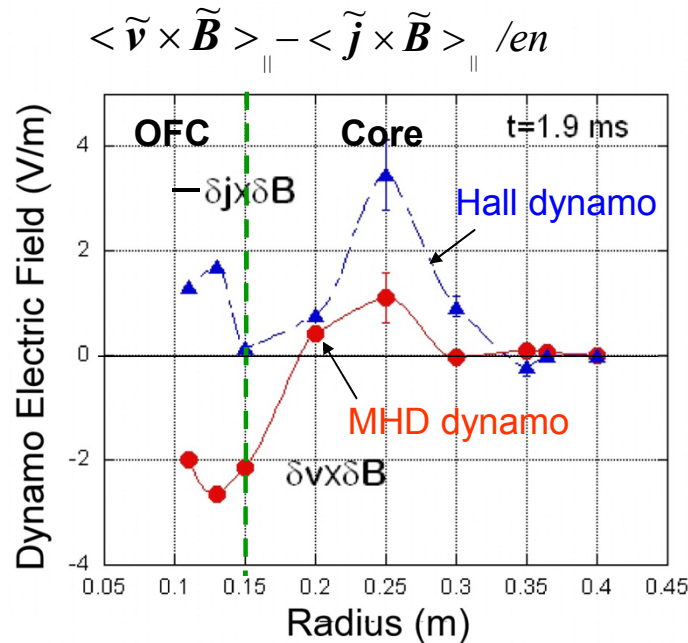
$$E_{\parallel 0}(r) = V_{\parallel g} / L - \frac{\partial \Psi_p(r)}{\partial t 2\pi r} \quad I_{\text{sat}}$$

$$\eta_{\text{spitzer}} = \eta_{\parallel} = 5.22 \times 10^{-5} Z_{\text{eff}} (kT_e)^{-3/2} \ln \Lambda$$

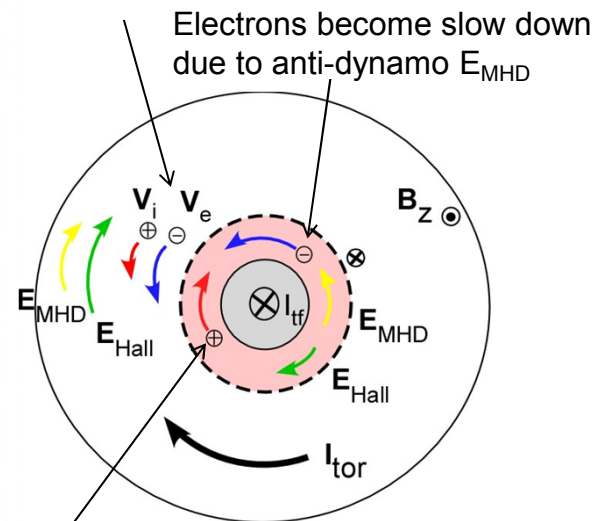
$$\eta_{\parallel} \approx 2 \sim 6 \times 10^{-5} \Omega\text{m}$$

OFC region	Core region
$V_{\parallel g} \approx 100 \sim 200 \text{ V}$	$V_{\parallel g} \approx 0 \text{ V}$
$E_{\parallel 0} \approx 10 \sim 20 \text{ V/m}$	$E_{\parallel 0} \approx -2 \text{ V/m}$
$\eta j_{\parallel 0} \approx 3 \sim 9 \text{ V/m}$	$\eta j_{\parallel 0} \approx 4 \sim 12 \text{ V/m}$
$\langle \tilde{v} \times \tilde{B} \rangle_{\parallel} - \langle \tilde{j} \times \tilde{B} \rangle_{\parallel} / en \approx$	
$\approx -1 \text{ V/m}$	$\approx 6 \sim 14 \text{ V/m}$

# Radial profile of dynamo electric field



Collisional drag of electrons on the ions accelerates the ions in the core.



## Anti-MHD dynamo

- Hall dynamo driven current in the OFC is the same direction as the mean current.
- MHD anti-dynamo electric field in the OFC reduces the mean current.

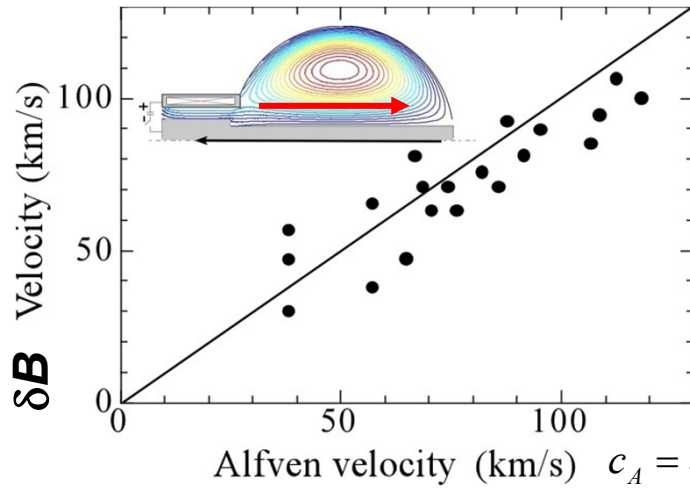
➔ Electron locking model [1]

$$\delta\omega_{ce}\tau_{ie} > \delta/R$$

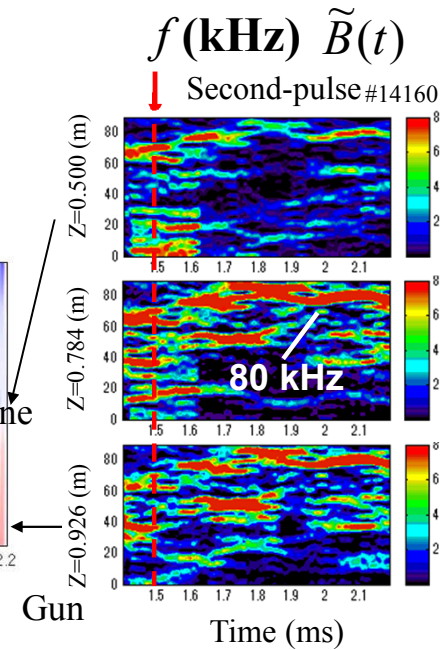
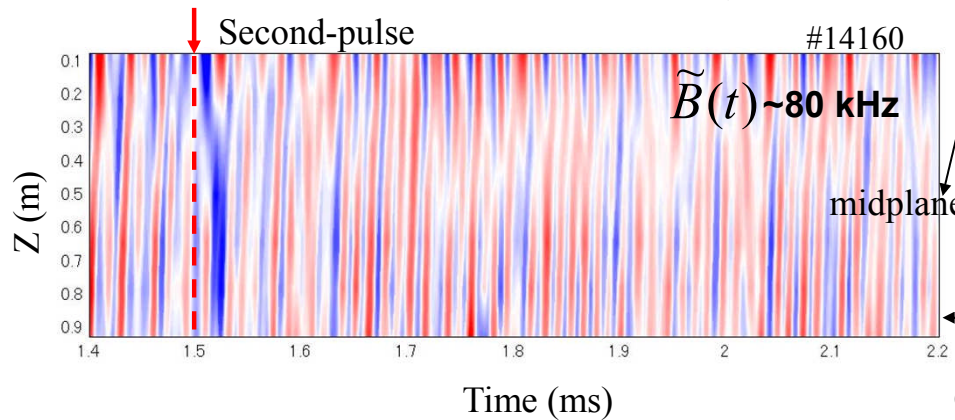
[1] T.R. Jarboe *et al.*, Nucl. Fusion **51** 063029 (2011).



# Axial propagation of magnetic fluctuation

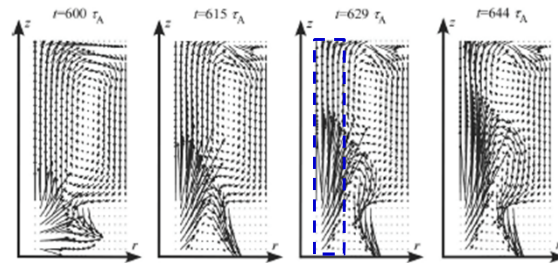


- Propagation of by Alfvén speed
- Alfvén wave is excited by the magnetic reconnection around the X-point.

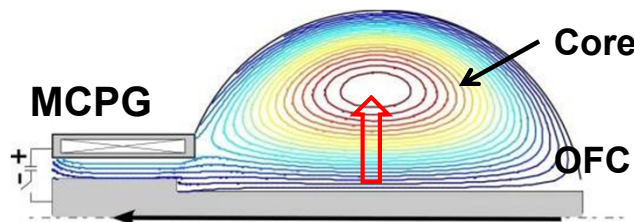
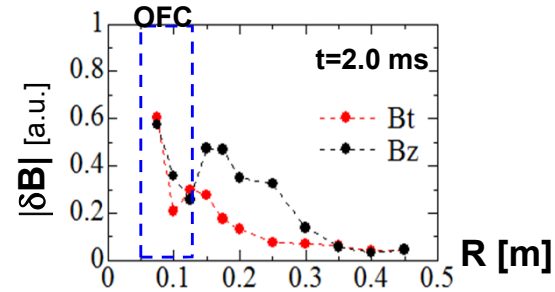




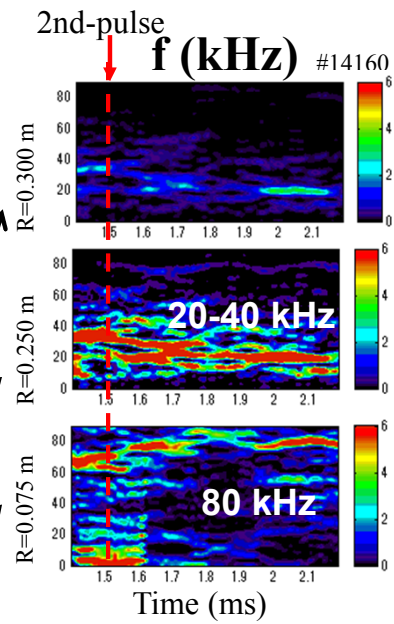
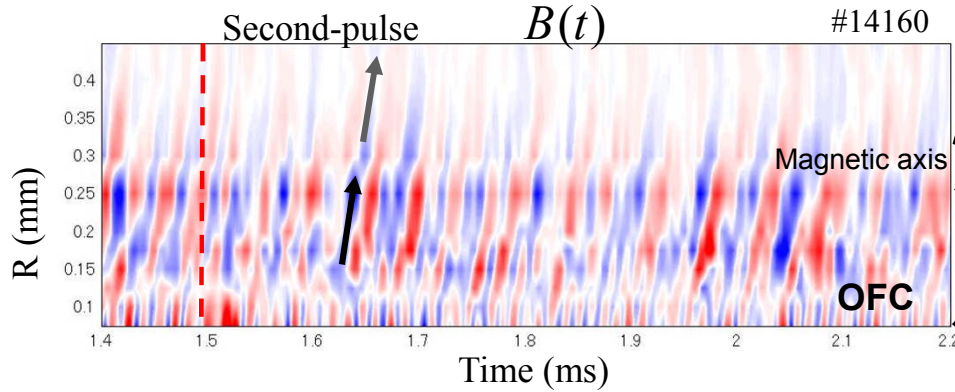
# Radial propagation of magnetic fluctuation



3D MHD simulation for High-q ST



80 kHz  
+  
20~40 kHz  
80 kHz



# Summary

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- The HIST device has been developed towards high- $\beta$  and quasi-steady-state sustainment of high- $q$  and low- $q$  ST plasmas by Multi-pulsing CHI method. We have successfully demonstrated the flux/current amplification and sustainment of the plasmas in the double gun pulse experiment. We have investigated the characteristics of the double CHI driven ST plasmas. Multi-pulsing CHI experiments are planned for the future work.
- We have observed the poloidal flow shear between the OFC region and the closed flux region. The ion diamagnetic drift due to a steep density gradient observed there could account for it.
- It has been the first time to measure simultaneously the Hall and MHD dynamo spatial profile for the ST. The relative contributions of the different dynamo electric field on the driven current have been investigated to verify mean Ohm's law balance. Two-fluid Hall dynamo is essential to the CHI current drive mechanisms.