

# Low- and Intermediate-k Fluctuation Diagnostics

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# Ideas for Low- & Intermediate-k Measurements



## Issues for Low- and Intermediate-k Fluctuations

- Turbulence:
  - If ITG/TEM linear growth rates are well below ExB shearing rates, is turbulence micro-tearing?
  - Can we see interplay between turbulence levels, ExB, and zonal flows?
- Turbulent and coherent modes:
  - Structure and magnitude of  $\delta B$ .

## List of Diagnostics and Measured Quantities

- Doppler Reflectometry
  - Fluctuations with  $k$  selectivity ( $2-10 \text{ cm}^{-1}$ ).
  - Time- and space-resolved velocity measurements.
    - >  $E_r$  (ExB shear and connection to turbulence)
    - >  $v_{\text{phase}}$  (when  $v_{\text{ExB}} \sim 0$ , turbulence ID)
    - >  $\delta v_{\text{ExB}}$  (Zonal Flows, GAMs)
- Fast Radial-View Interferometry/Polarimetry Array
  - MHz time response.
  - $\delta\Psi$  proportional to  $\delta B$  (when beam is through axis).
  - $J_0$  from  $d\Psi/dz$ . Constraint to EFIT. Complements MSE.

# Principles of Doppler Reflectometry



wavevector selection:  
(Bragg condition)

$$K_{\perp} = 2k_0 \sin(\theta_{\text{tilt}})$$

wavevector resolution:  
(Gaussian beam:  $w=e^{-1}$  width of amplitude)

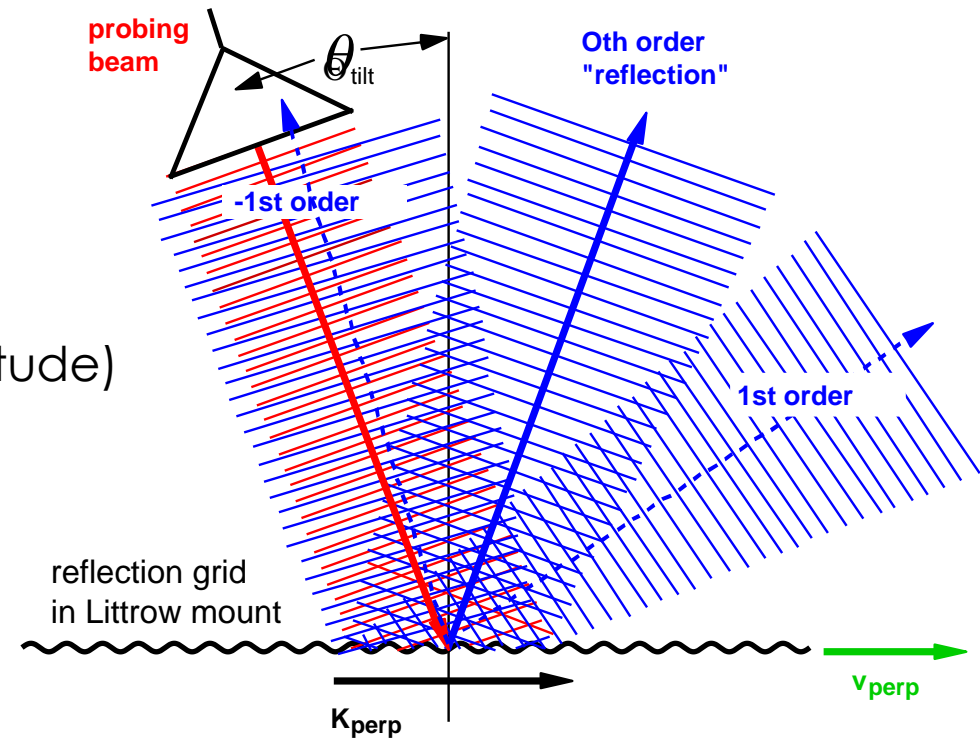
$$\delta K_{\perp} = 2\sqrt{2}/w$$

frequency shift (-1 order):

$$\Delta\omega = \vec{K} \cdot \vec{v} \simeq K_{\perp} v_{\perp}$$

fluctuation velocity:

$$v_{\perp} = v_{E \times B} + v_{\text{ph}}$$

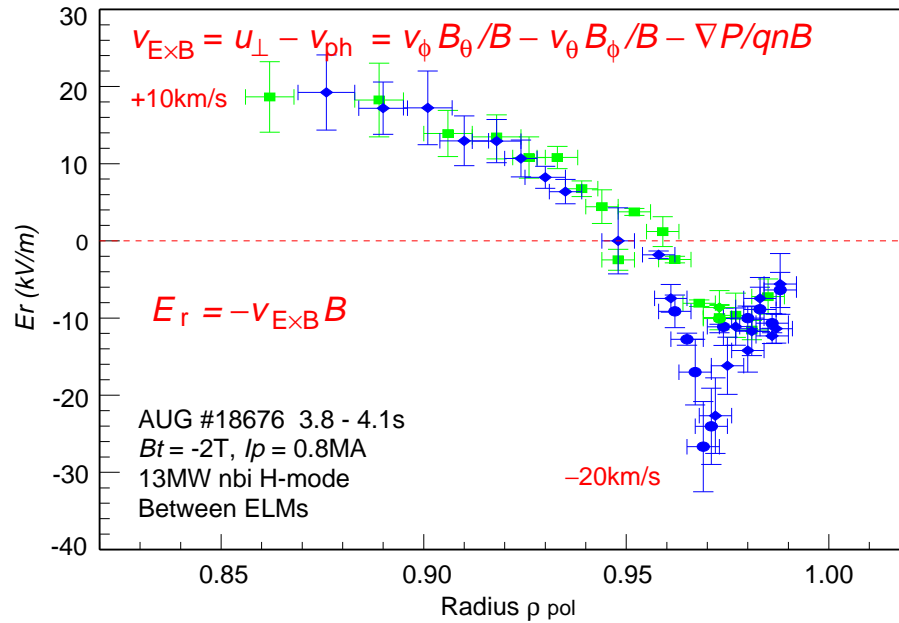


M. Hirsch, et al., PPCF (2001)

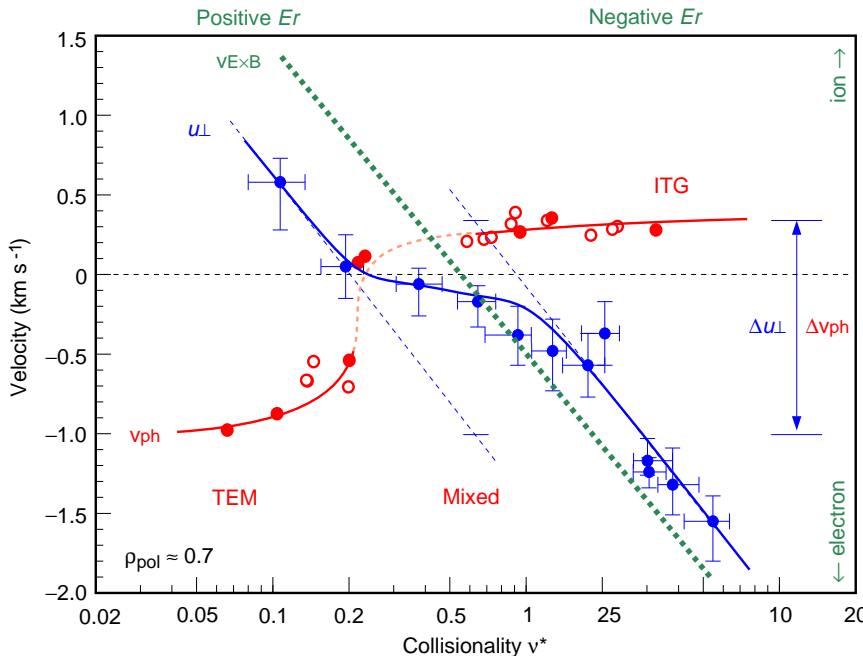
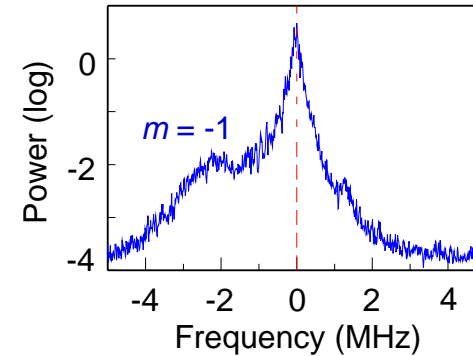
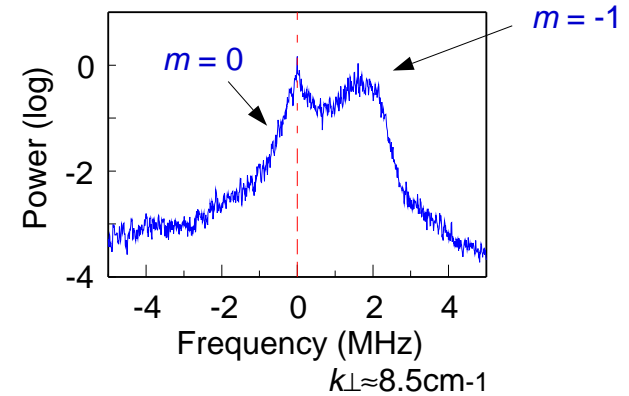
## Measured quantities.

- 1) Tilt angle  $\theta_{\text{tilt}}$  selects  $k_{\perp}$ .
- 2) For small  $\delta n/n$ , received power vs  $\theta_{\text{tilt}}$  gives  $k_{\perp}$  spectrum.
- 3) Can measure mean flow and perturbations. If  $v_{\text{ExB}} \gg v_{\text{ph}}$ , then  $\Delta\omega$  gives  $v_{\text{ExB}}$  or  $E_r$ . If  $v_{\text{ExB}} \sim 0$ ,  $\Delta\omega$  gives  $v_{\text{ph}}$ .

# Doppler Reflectometry Results from ASDEX



$V_{ExB} \gg v_{ph}$  H-Mode  $E_r$  Radial Profile

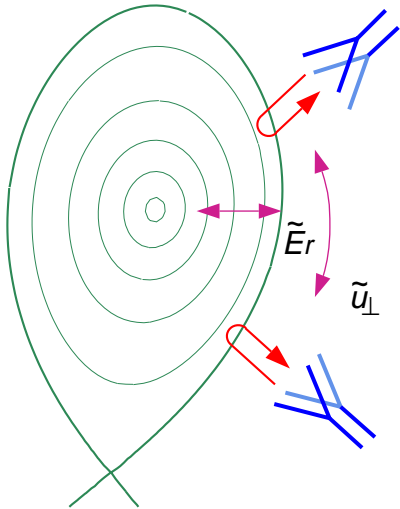


$V_{ExB} \sim 0$  TEM-ITG Transition

From G.D. Conway et al., IAEA06

# Case 3: $\tilde{V}_{E \times B}$ - Plasma flow perturbations

⊙ BT



$$f_D = 2 (v_{E \times B} + v_{ph}) \sin \theta_t / \lambda_o$$

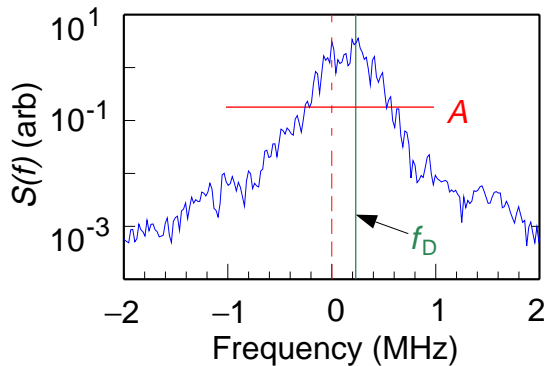
$$\tilde{v}_{ph} = 0$$

$\tilde{\theta}_t$  &  $\tilde{B}$  small (no MHD)

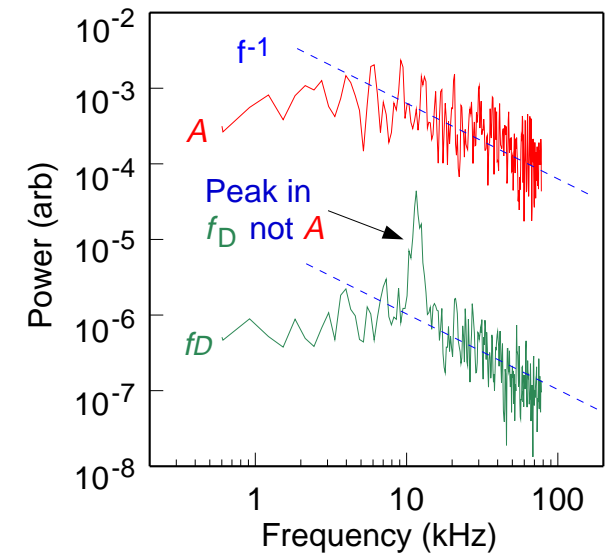
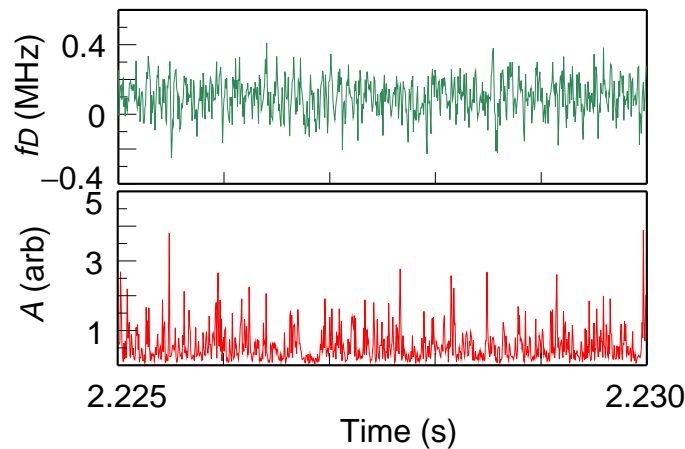
- $\tilde{E}_r \rightarrow \tilde{u}_\perp \rightarrow \tilde{f}_D$  while  $\tilde{n}/n \rightarrow \tilde{A}$  at selected  $k_\perp$
- MHD appears in both  $\tilde{f}_D$  and  $\tilde{A}$
- Coherent oscillations  $\rightarrow$  Geodesic Acoustic Mode (Zonal flow)
- Important : Turbulence drives ZF  $\rightarrow$  regulate turb. (saturation mechanism)  $\rightarrow$  transport

Complex spectra  $A \exp(i\phi)$   
sliding FFT

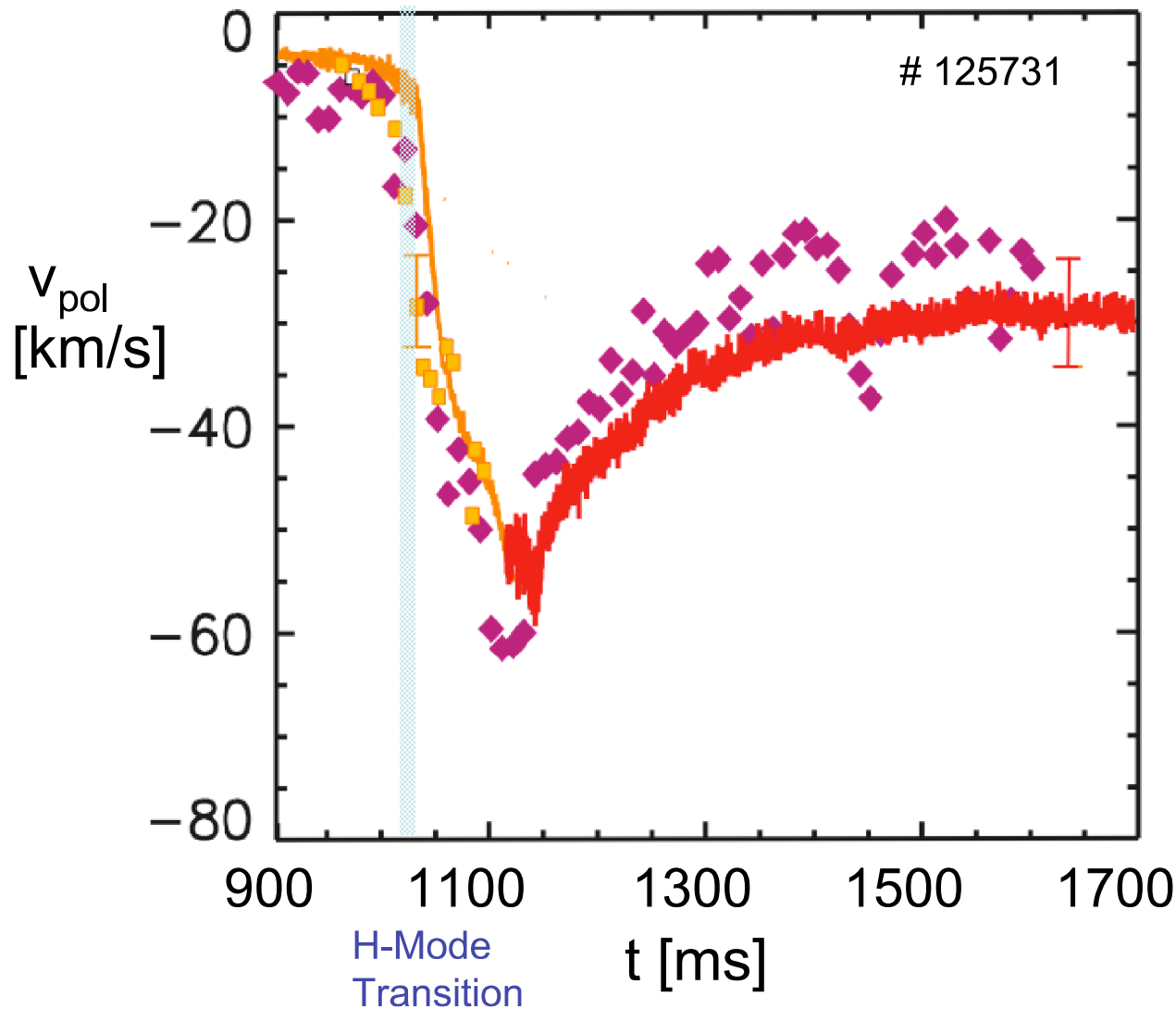
$$\tilde{f}_D = \Sigma f.S(f) / \Sigma S(f), \quad A = \Sigma S(f)$$



Generate time series of  $\tilde{f}_D$  and  $\tilde{A}$



# Preliminary Measurements from DIII-D



CER Data mapped to Cut-off Layer Position (Reversal point for ray tracing results)

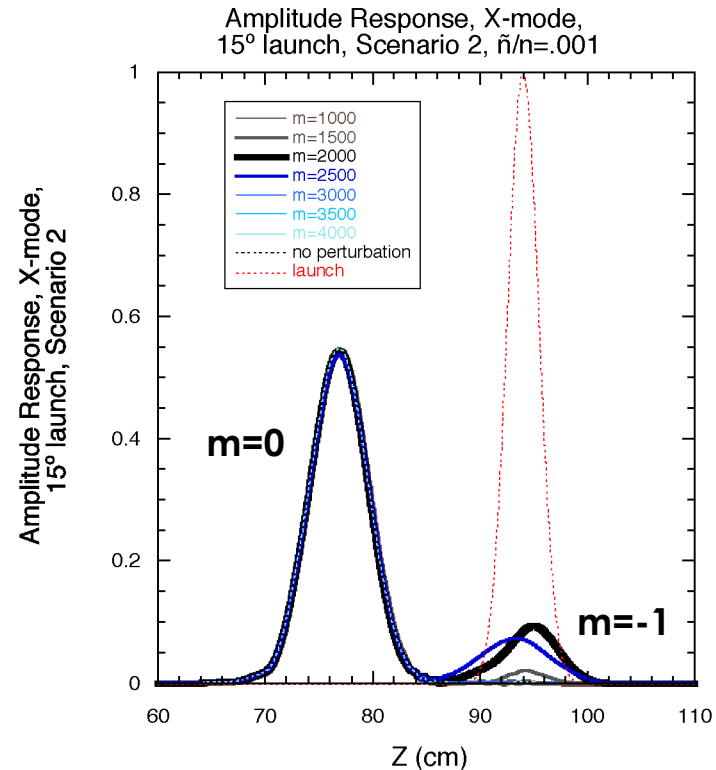
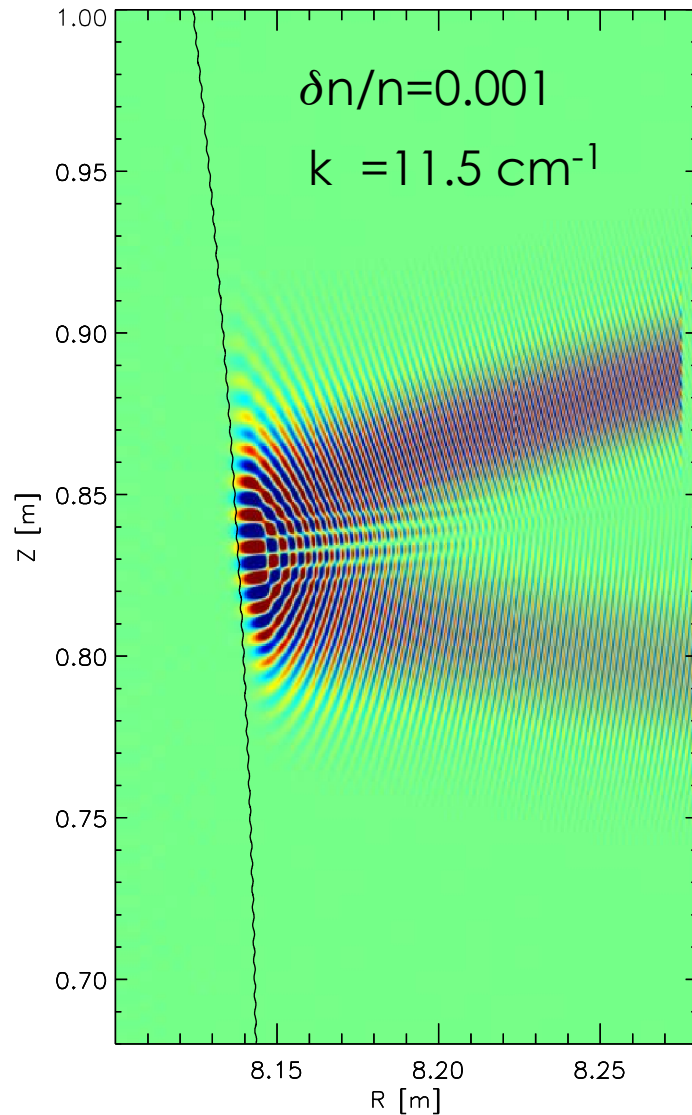
- $v_{pol}$  from average negative frequency  
 $\langle f \rangle = \frac{\int (f S(f)) df}{\int (S(f)) df}$
- $v_{pol}$  from  $m = -1$  feature
- $v_{pol}$  from Gaussian fit to  $m = -1$  feature
- $v_{pol}$  from CER data
- BS from GENRAY ray tracing
- FS from GENRAY

**L. Schmitz et al.**

# FDTD 2D Code for Design and Interpretation



## ITER Doppler, Ez Contour -15° Launch, f=160 GHz, X-Mode



- UCLA 2-D FDTD code developed for simulating dopper reflectometer response to 2-D profiles and turbulence.
  - O-mode, X-mode or mixed O- and X-mode (can handle mode conversion due to magnetic shear).

# Fast Radial-View Polarimetry Principles



Faraday Rotation Angle

$$\Psi = 2.62 \times 10^{-13} \lambda^2 \int n(z) \vec{B}(z) \cdot d\vec{l} = 2.62 \times 10^{-13} \lambda^2 \int B_{\parallel} n(z) dz$$

Fluctuating Part

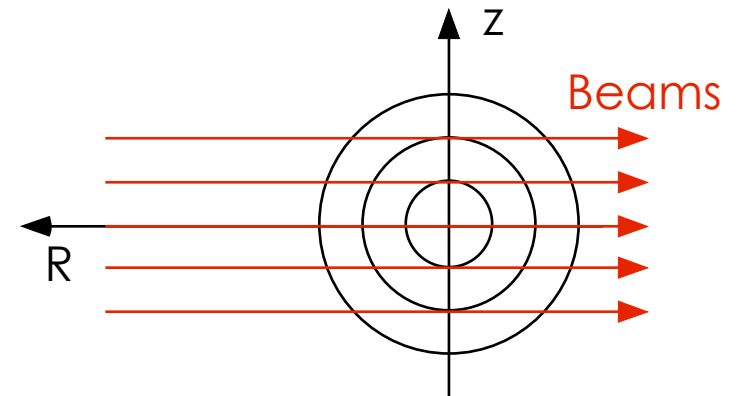
$$\tilde{\Psi} = 2.62 \times 10^{-13} \lambda^2 \int \left[ \tilde{B}_{\parallel}(z) n_0(z) dz + B_{\parallel 0} \tilde{n}(z) \right] dz$$

Equilibrium Part

$$\Psi_0 = 2.62 \times 10^{-13} \lambda^2 \int B_{\parallel 0}(z) n_0(z) dz$$

$$\frac{\partial \Psi_0}{\partial z} \propto \frac{\partial B_{\theta}}{\partial r} = J(0)$$

$$\tilde{\Psi}(z=0) \propto \int \tilde{B}_r(z) n_0(z) dz$$

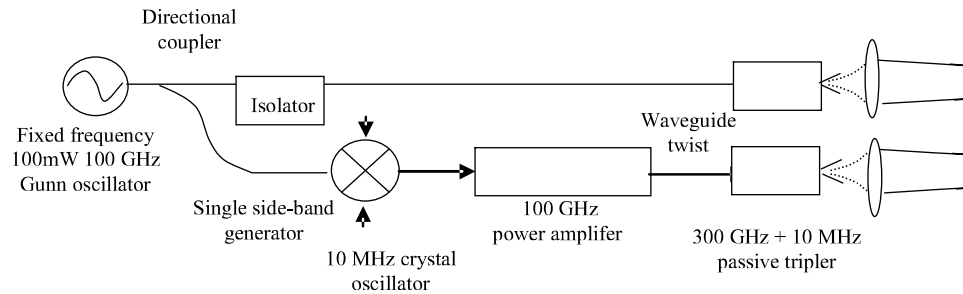




# Fast Radial-View Interferometry/Polarimetry Array on NSTX



## Arrangement for Generating Two Orthogonally Polarized, Frequency Offset Beams



## Optical Arrangement for Polarimetry on NSTX

