

ECH AND ECE APPLICATION FOR SPECTRAL ANALYSIS OF THE GLOBAL PLASMA OSCILLATIONS AT TOKAMAK. EXPERIMENTS ON T-10

**V.I. POZNYAK, YU.V. GOTT, A.M. KAKURIN, V.V. PETERSKII,
G.N. PLOSKIREV**

Russian Research Center "Kurchatov Institute", Moscow, Russia

O. VALENCIA

Russian People Friendship University, Moscow, Russia

T.V. GRIDINA

Bauman Moscow State Technical University, Moscow, Russia

MOTIVATION

- important problem for ITER (“mode suppression”, disruptions)
- dynamic similarity of so called MHD events (*tearing, kink, lock-mode, fishbone and other*)
- observation of many impressive kinetic phenomena (strong oscillations of electron distribution function, high energy electrons, high frequency plasma noises)

GOAL

In general - creation and testing of kinetic model for global plasma oscillations

In party - **comparison of calculating and experimental spectral characteristics of eigen plasma oscillations**

METHODOLOGY

ON-AXIS ECH - 1 – 3 gyrotrons 140 GHz, power 0.2 - 1.2 MW,

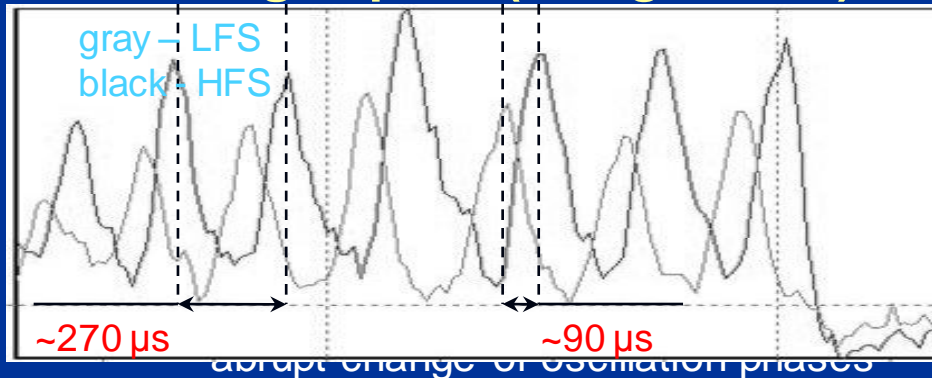
In addition **OFF-AXIS ECH** - 1 – 2 gyrotrons 129 GHz, up to 0.8 MW.

All launches – across the magnetic field. This method allows to get discharges both with single driving modes ($m/n=1/1$) and with family of modes ($m/n=1/1, 3/2, 2/1, 3/1$) by small change of current penetration to plasma center. At represented examples: $B_t=25$ kGs, $I_p=250$ kA, $\tilde{n}_e \sim 1.7 \cdot 10^{13} \text{cm}^{-3}$, $q_l \sim 3.1$, column displacement $\Delta = -1$ cm, digitization – 15 μs

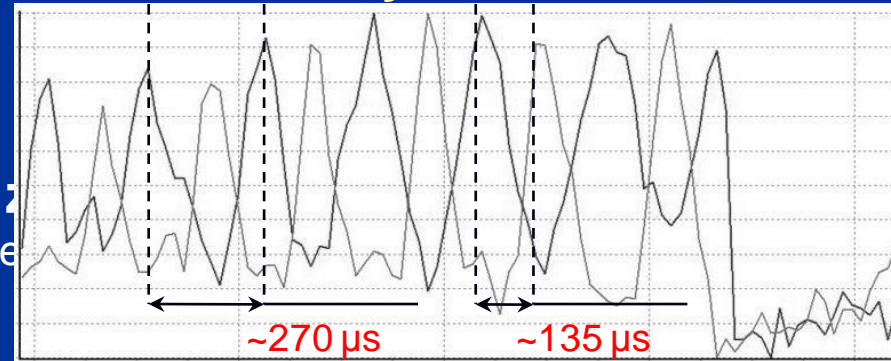
DIAGNOSTICS

ECE - 24 channels, 2nd resonance X-mode, IF band – 300 or 600 MHz

high space (along radius) resolution for every channel !!!



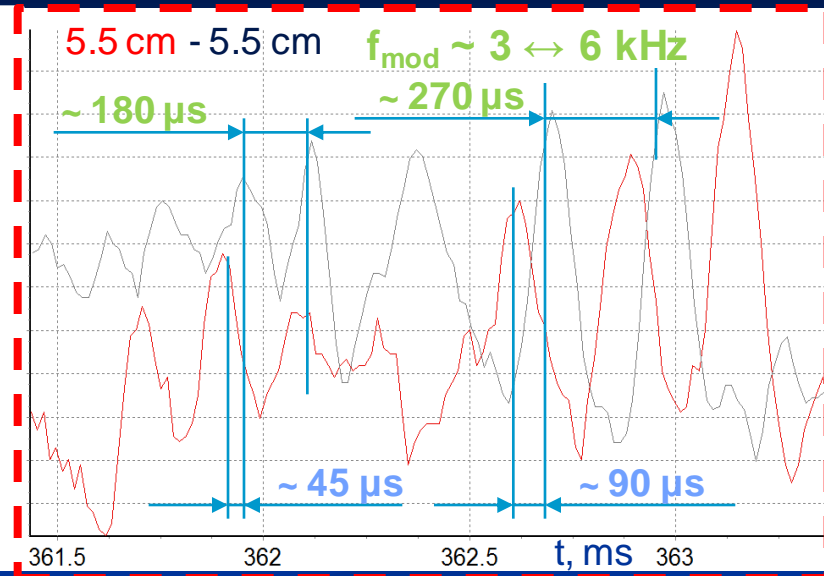
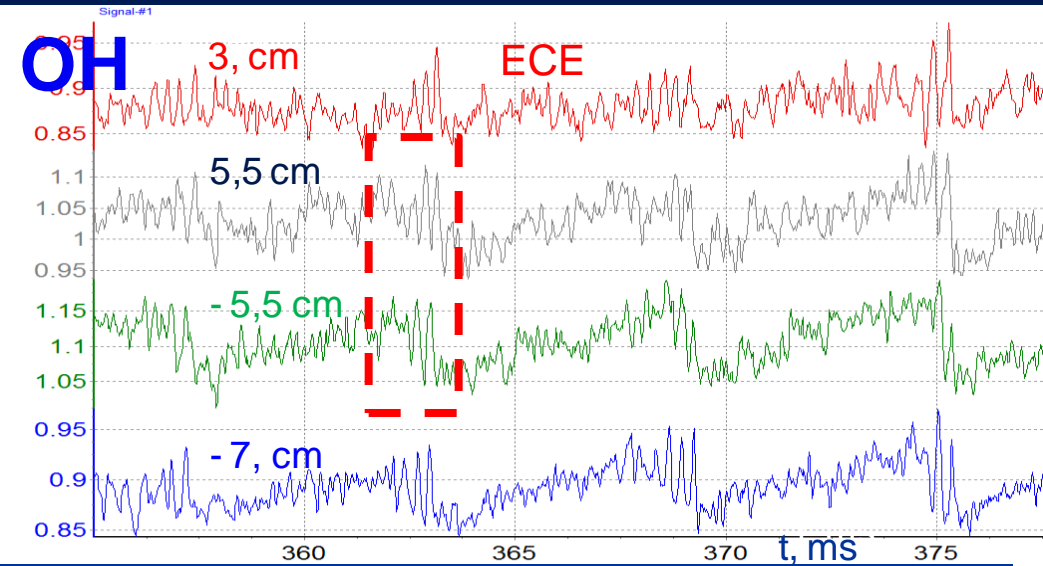
High space resolution (total angle of the antenna pattern $\leq 1^\circ$, the inclination angle for compensation of the relativistic frequency shift $\sim 1^\circ$, the space resolution – no worse 1 cm), **disturbance motion is nonuniform**



Low resolution (angle of the antenna pattern $\sim 2-3^\circ$, zero angle of the inclination, the resolution – 2-2.5 cm), ECE signals are similar to the chord SXR signals, **disturbance motion looks like uniform.** Effect is hidden by averaging at real and energy space

METHODICALLY

Two kinds of disturbances of electron temperature are marked out: **modulating** and **spiral**



ON PHYSICAL NATURE - oscillations are the **eigen** and **forced**

$f_{m/n}^k$ - the **eigen** (resonant) oscillations – are initial cause of all branches, they are inherent to certain rational magnetic surface $q_{m/n}$, important property - **variations of their frequencies are small**

$f_{m/n}^k = 1/t_{\text{delay}}$ are the **eigen** always

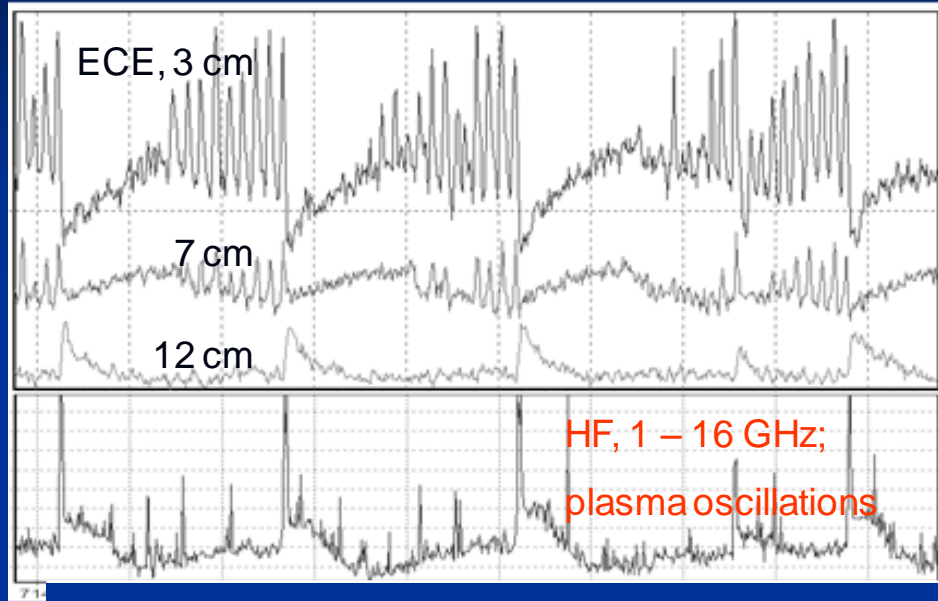
$f_{m/n}^k = f_{\text{mod}}^k$ - in many cases - are also **eigen** (peripheral modes under OH, periodically for internal modes under ECH)

f_{mod}^k - changes of frequencies are comparable with their values

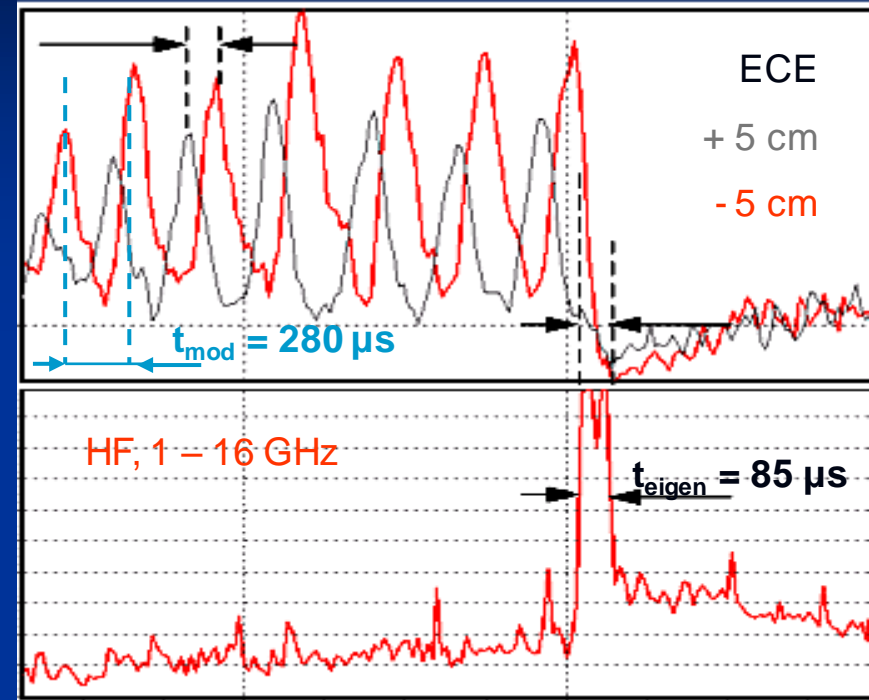
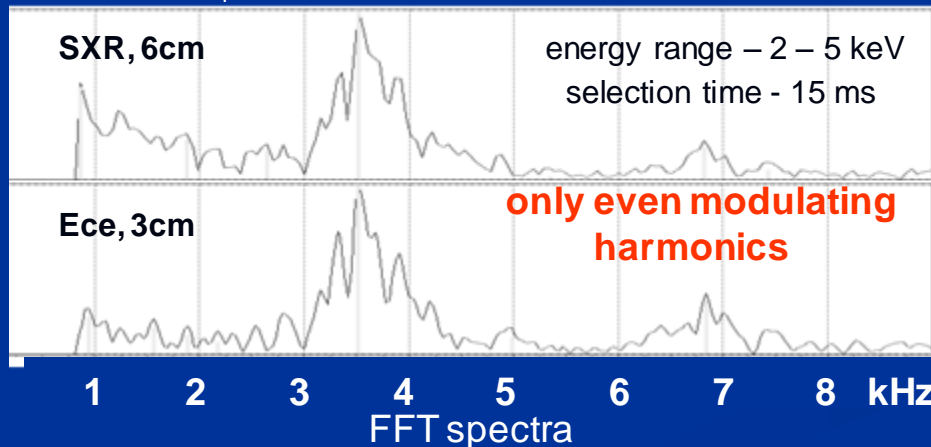
f_{forced} – is reaction of other $q_{m/n}$ zones to primary (eigen) self-excitation, they look like even harmonics f_{mod}^2 or odd subharmonics $f_{\text{mod}}^{1/2, 3/2}$

EXPERIMENT ECH

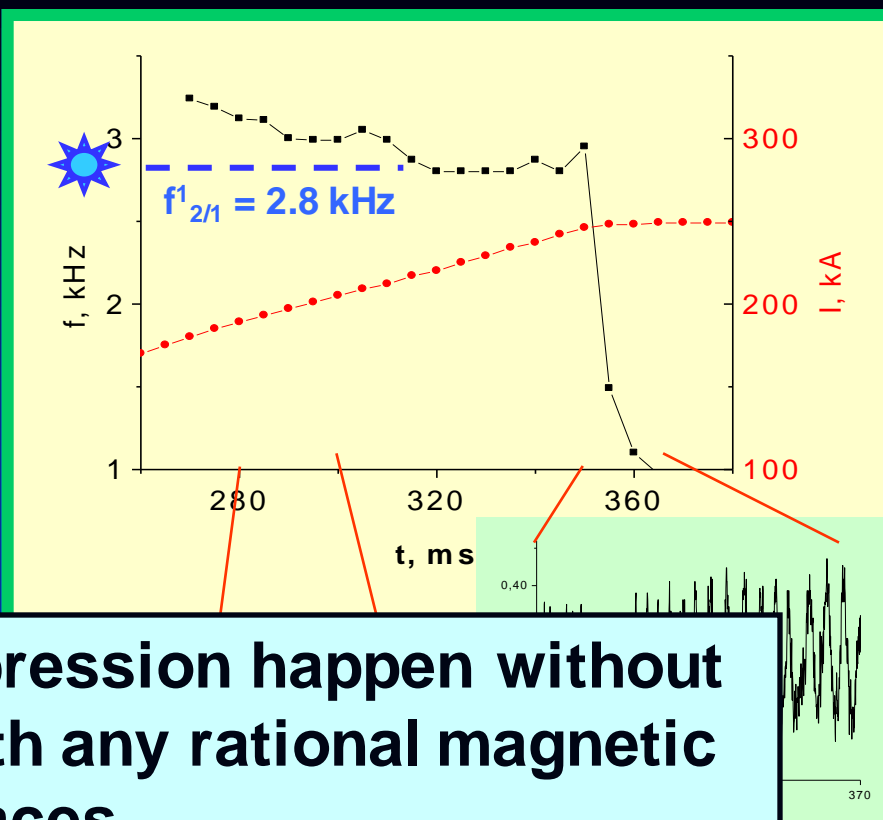
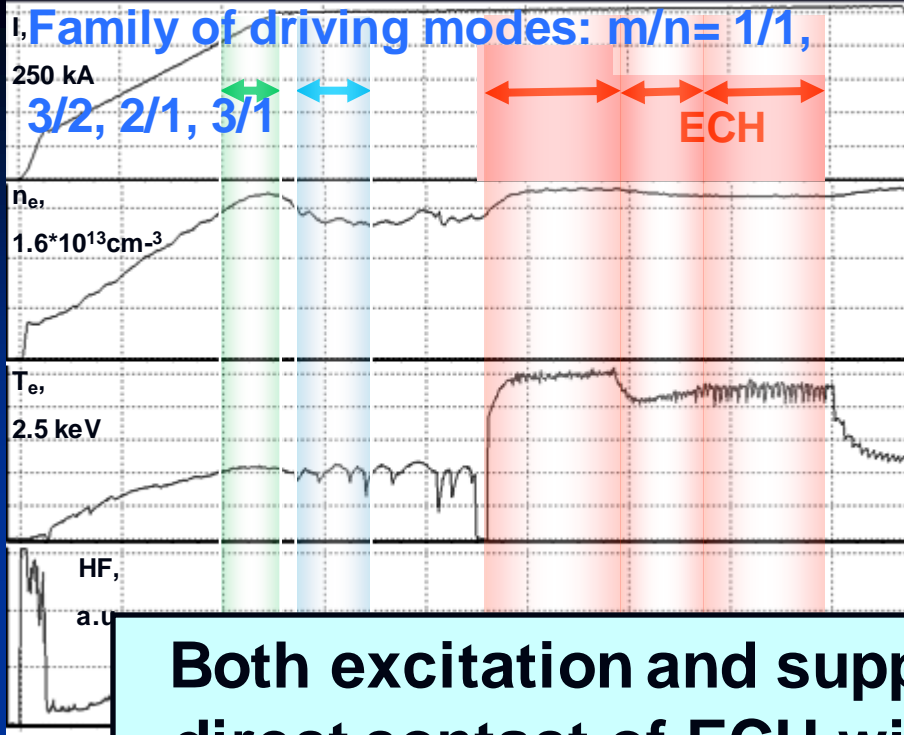
Two kinds of discharges:
only single mode $m/n=1/1$



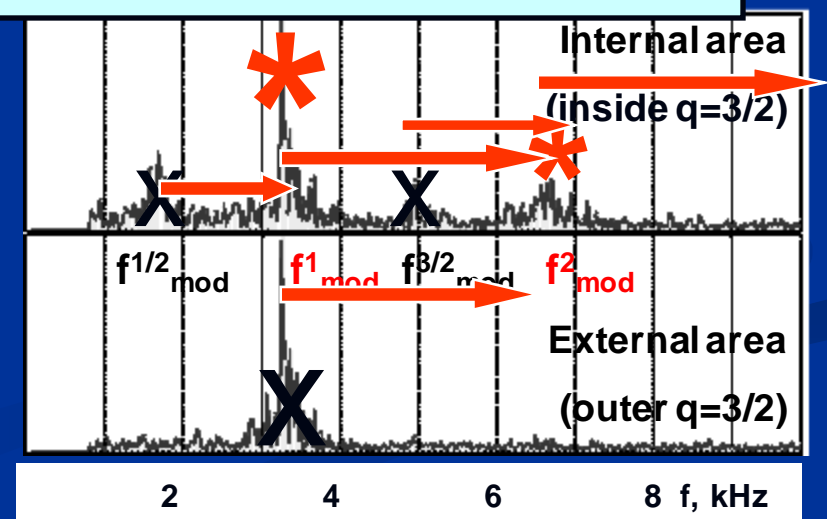
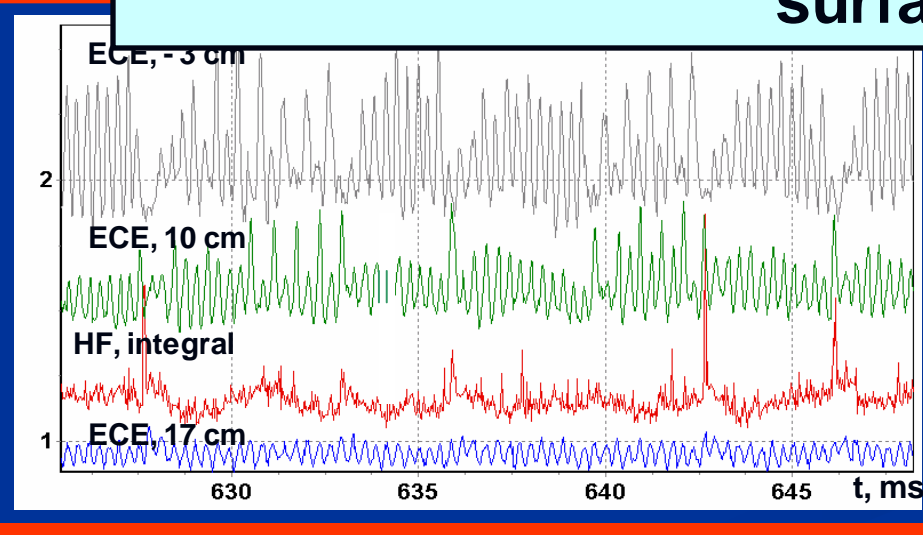
$B_t = 25$ kGs, $I_p = 250$ kA, $n_e = 1.7 \cdot 10^{13} \text{cm}^{-3}$, on-axis ECH



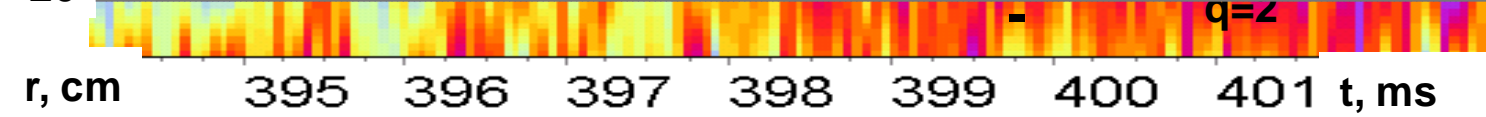
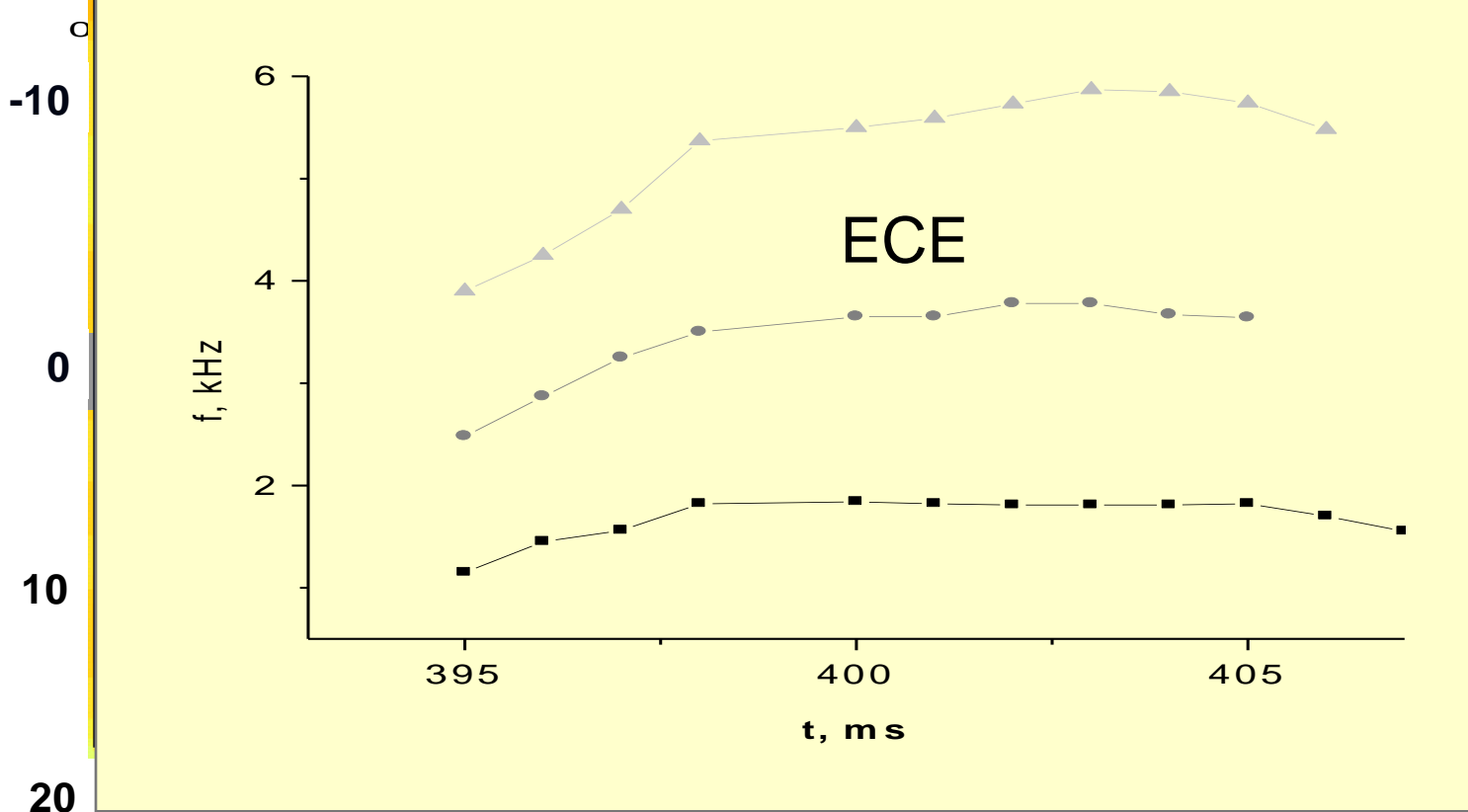
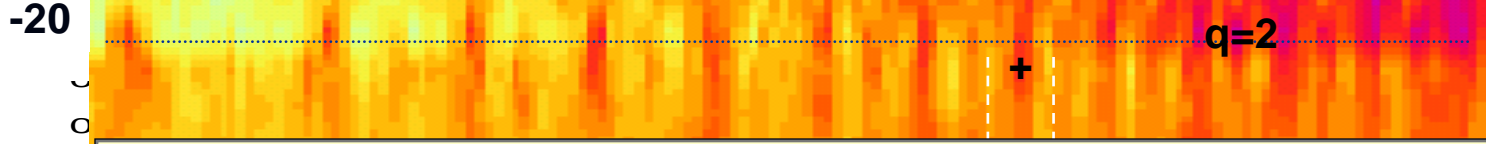
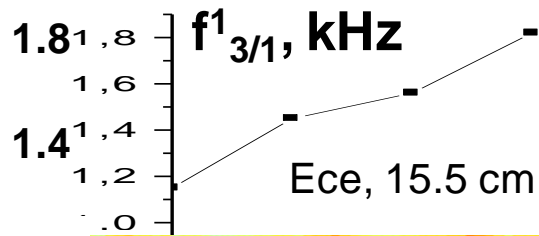
Time delay (here corresponds to eigen frequency ~ 12 kHz) does not depend on ECH power (0.2 – 2 MW), electron temperature (1 – 3.5 keV), plasma density ($1 - 2.5 \cdot 10^{13} \text{cm}^{-3}$).



Both excitation and suppression happen without direct contact of ECH with any rational magnetic surfaces

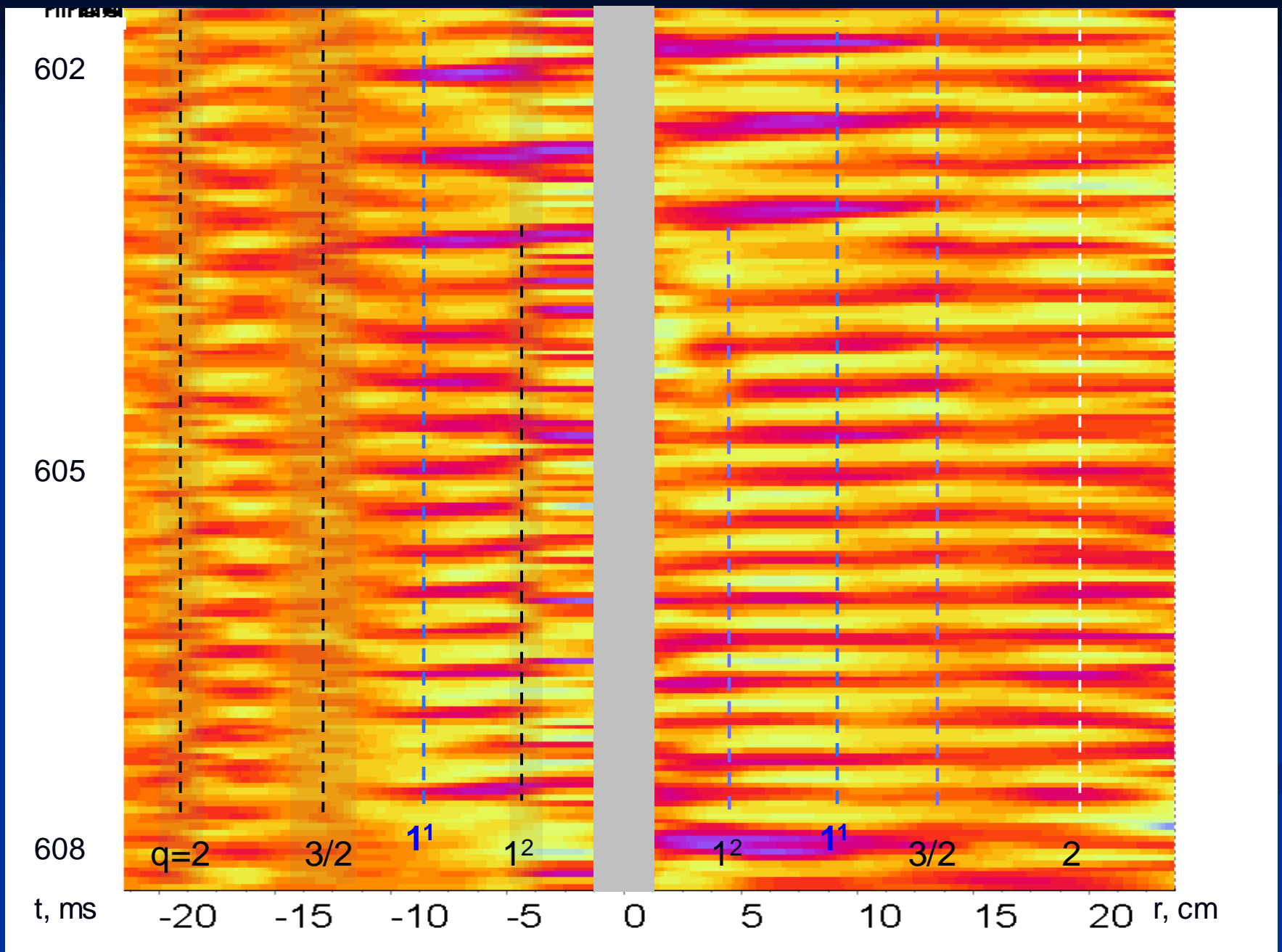


Fishbone like signals of ECH

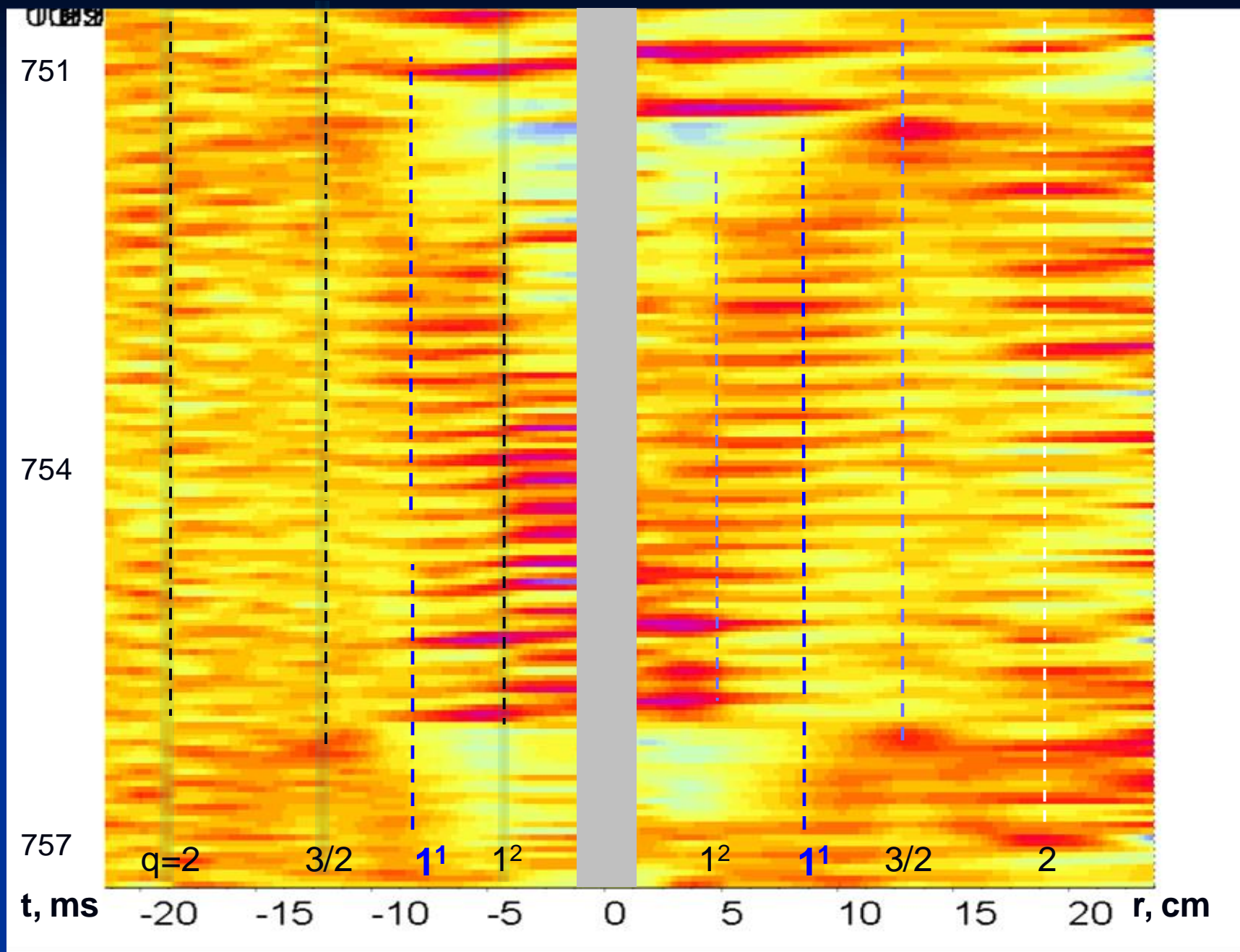


Positions of $r_{m/n}$

1st *fishbone like* ECH stage

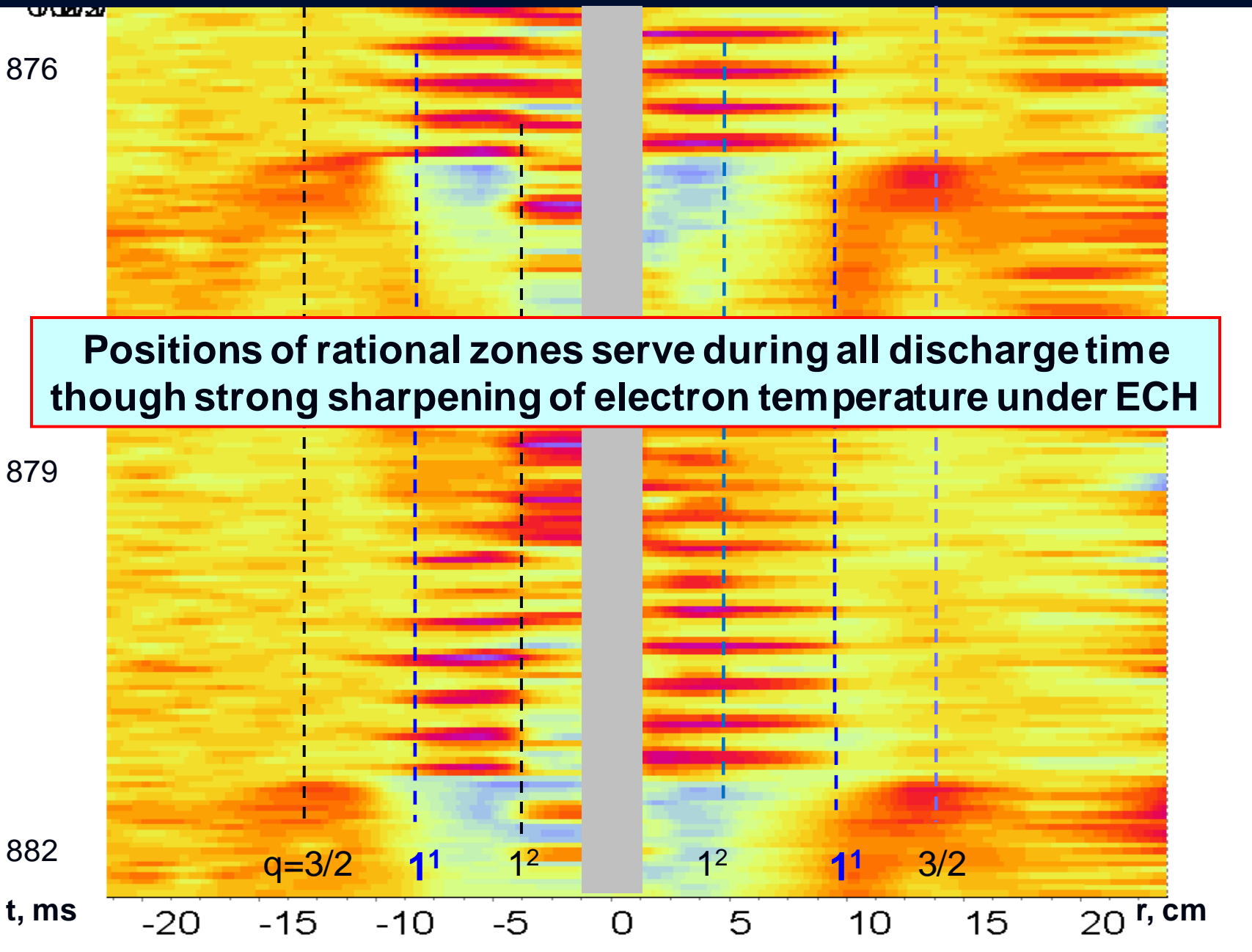


Positions of $r_{m/n}$ 2nd ECH stage with doubling of frequencies

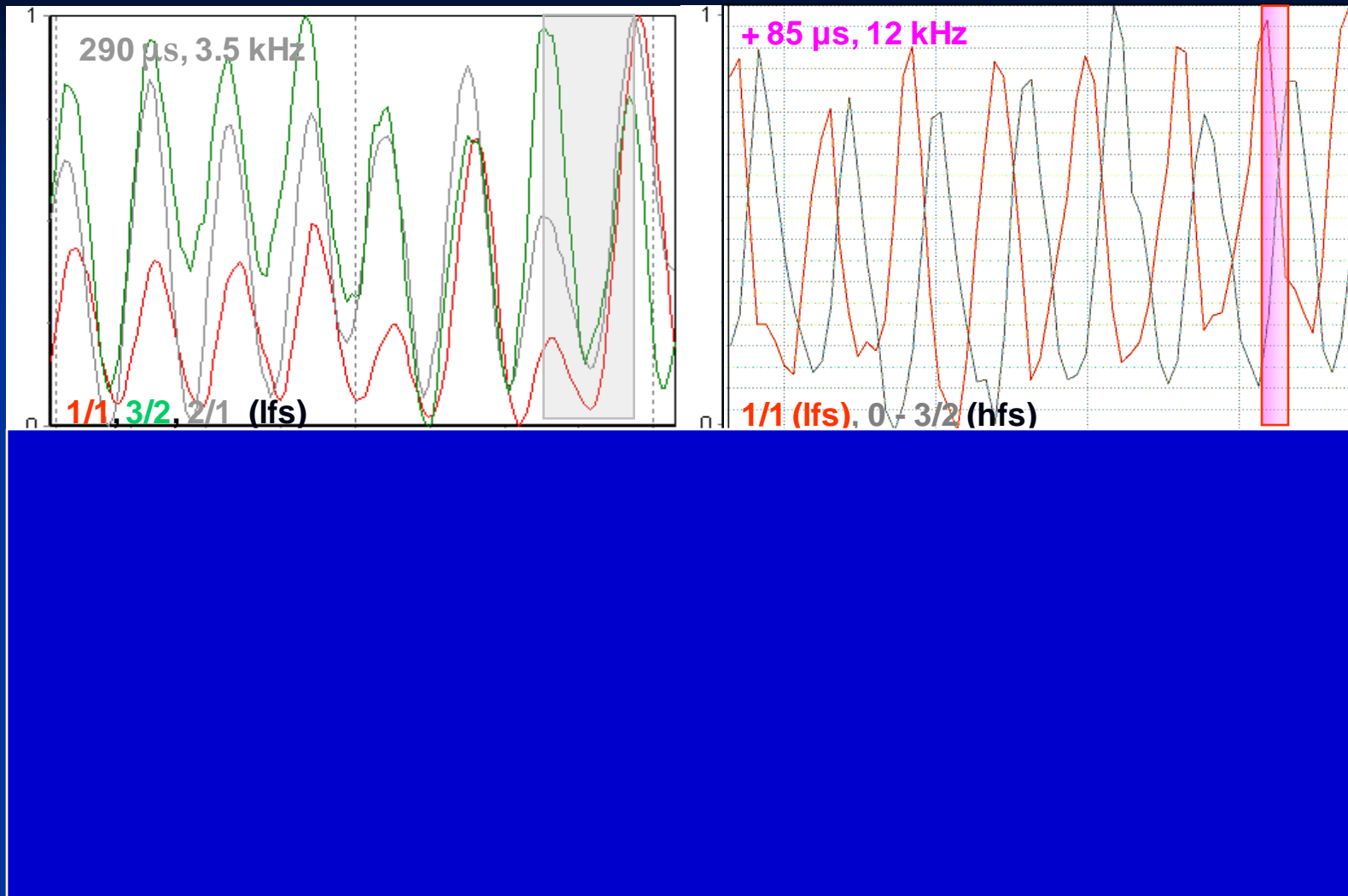


Positions of $r_{m/n}$

3^{rd} kink like ECH stage

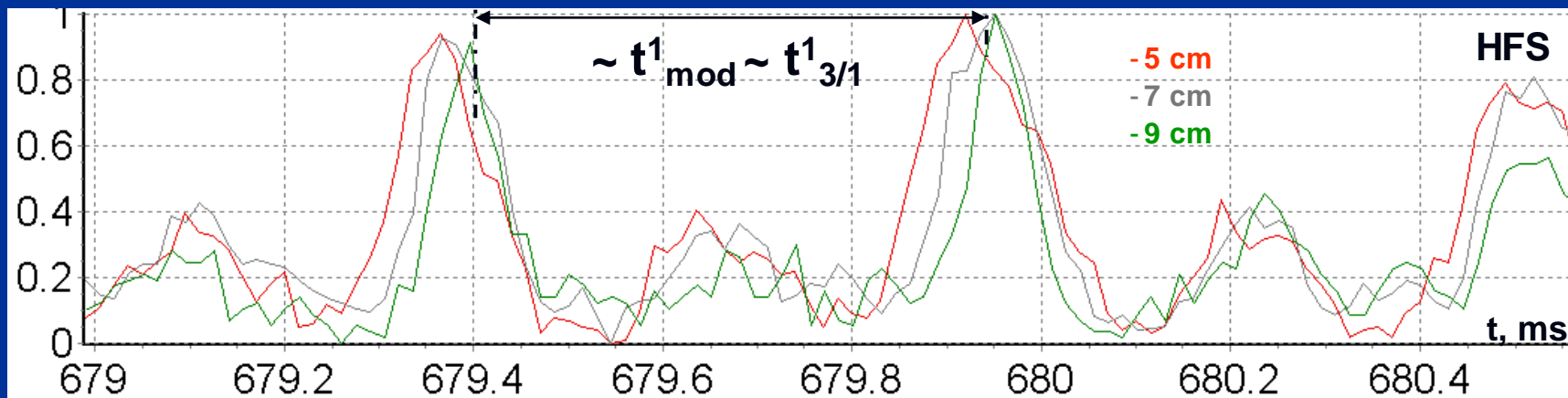
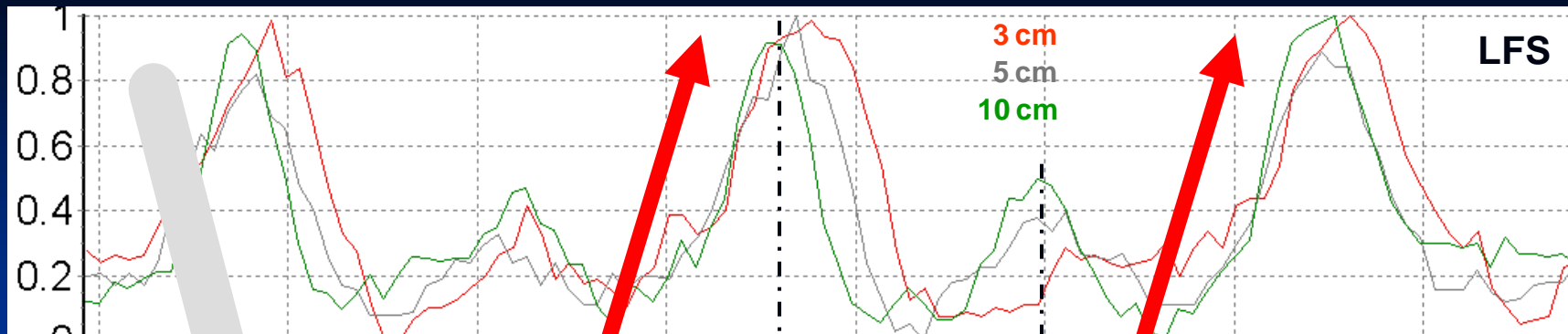


Phase relations ($f_{\text{mod}}^1 \sim 3.5 \text{ kHz}$)



Delay time $t_{1/1}^2 \sim 85 \mu\text{s}$ ($f_{1/1}^2 \sim 12 \text{ kHz}$) between signals from LFS and HFS are observed **into all plasma volume**. Sign of delay depends on zone and shape of discharge.

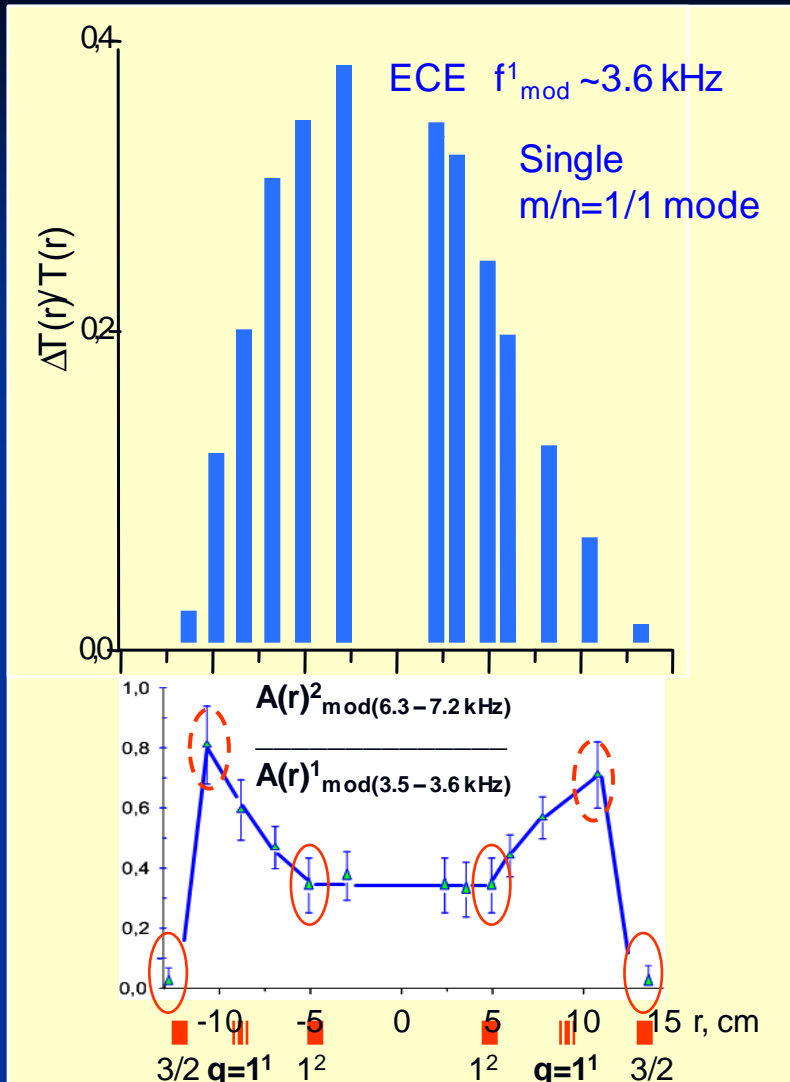
Phase relations ($f_{\text{mod}}^{1/2} \sim 1.75 \text{ kHz}$)



Relaxation process at HFS synchronizes motion of disturbance

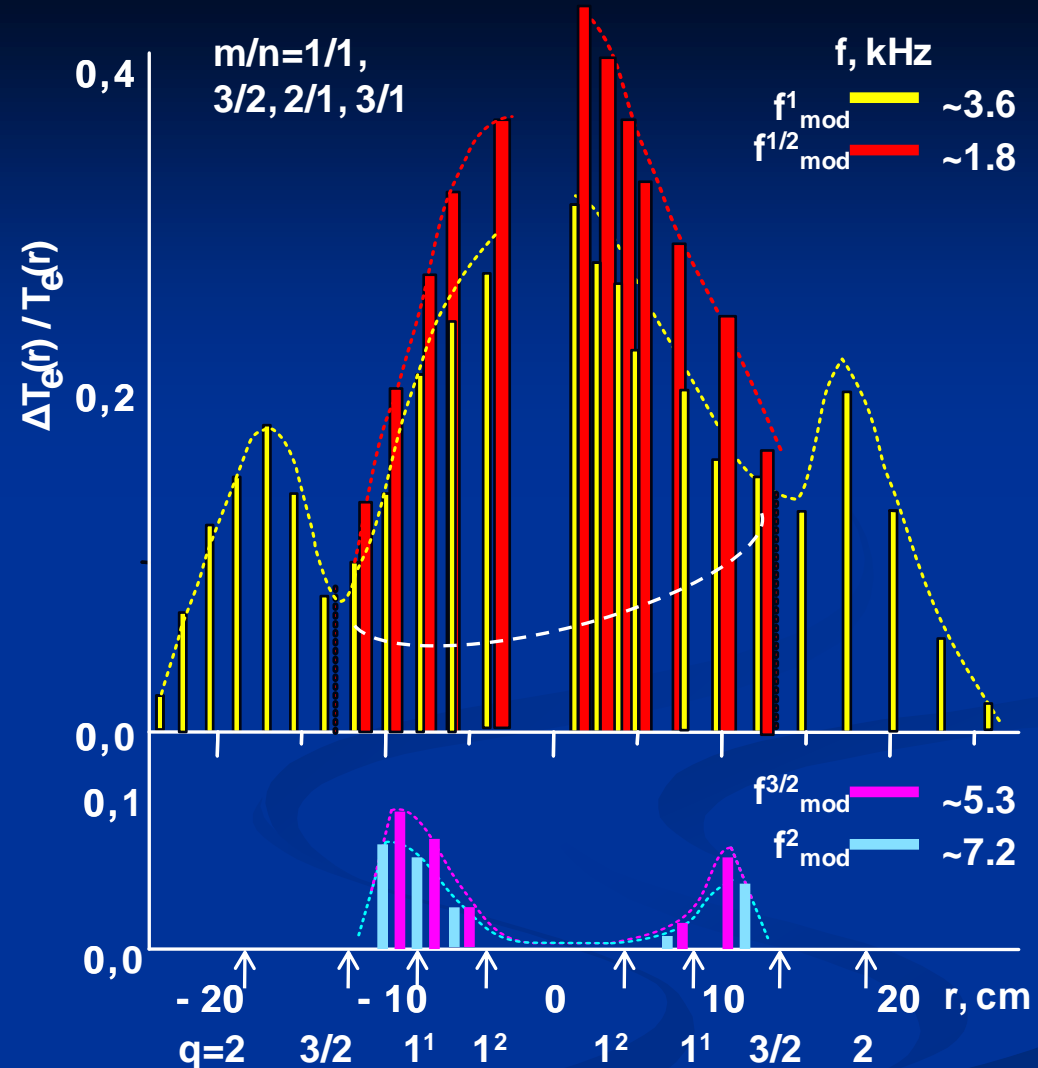
Odd subharmonic $f_{\text{mod}}^{1/2}$ is product of life two eigen modes in common space

Radial distribution of oscillating amplitude



Excitation area of f^1_{mod} mode fills total volume inside the $q=3/2$ magnetic surface.

Even forced harmonic excites into areas bounded by adjacent rational surfaces – inside $q=3/2$ surface and $q=1^2$ surface



Excitation area of f^1_{mod} fills total plasma volume.

Two maxima correspond to two sources of energy

Forced subharmonic $f^{1/2}_{\text{mod}}$ – lives into common area for $f^1_{2/1}$ and $f^1_{3/2}$ modes.

Even f^2_{mod} and odd $f^{3/2}_{\text{mod}}$ – are the forced

"Thin structure" of oscillations

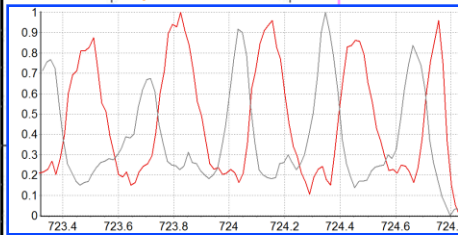
t, ms

$\Delta t = 15 \mu\text{s}$

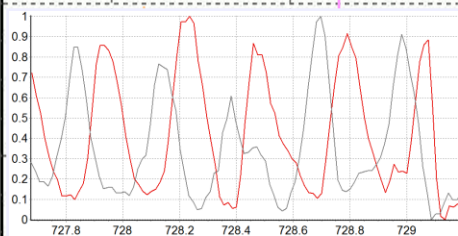
36055

$\Delta = -1 \text{ cm}$

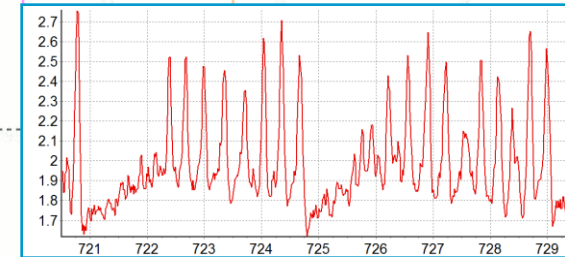
$T_{\text{rad}}, \text{keV}$



$f_{\text{mod}} \sim 2.9 \text{ kHz}$

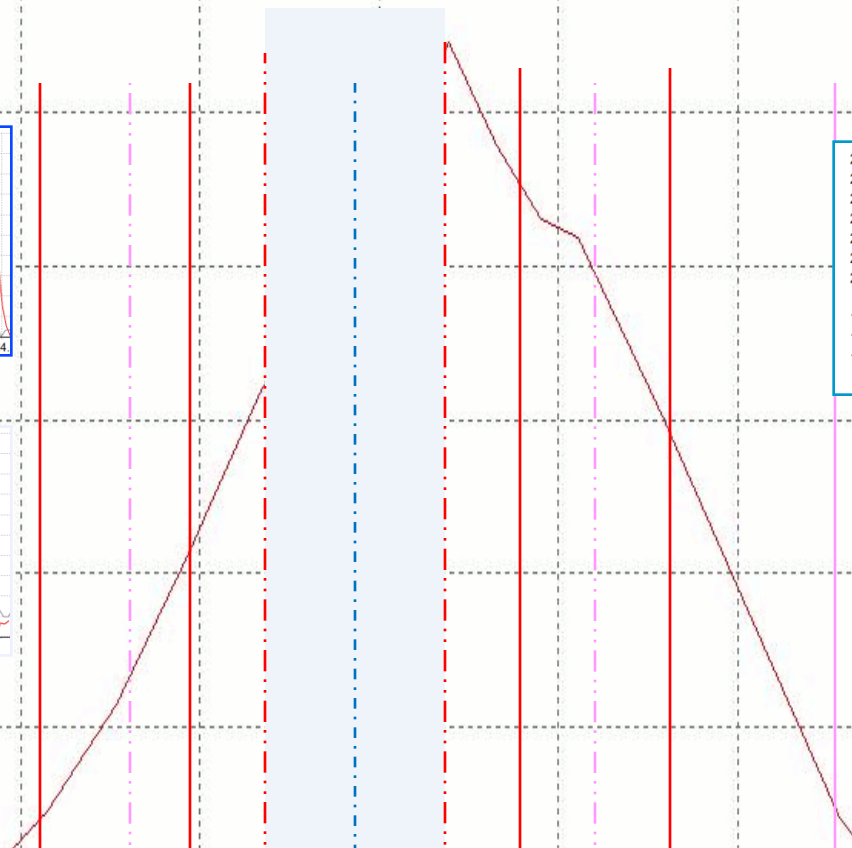


$f_{\text{mod}} \sim 3.1 \text{ kHz}$



$f_{\text{mod}} \sim 2.9 \text{ kHz}$

$f_{\text{mod}} \sim 3.1 \text{ kHz}$



Discharge possesses simultaneously by attributes of different MHD modes:

tearing – steps on T_{rad} profile;

kink – swinging of profile around magnetic axis;

fishbone – “skeletal” signals of ECE and magnetic probes;

lock mode – slowing down of disturbance motion - fast in every acts and of oscillations and slowly after start of ECH; **Conducting wall is too far from central zone to excite mirror currents**

flute – long tongues of plasma up to $q=3/2$ zone; **On MHD theory it is absent at tokamak**

filamentation – appearance of structures less then $r_{q=1}^1$.

They do not live in common family

No NBI and high energy ions

How it happen?

(!?)

(!?)

(!?)

(!?)

(!?)

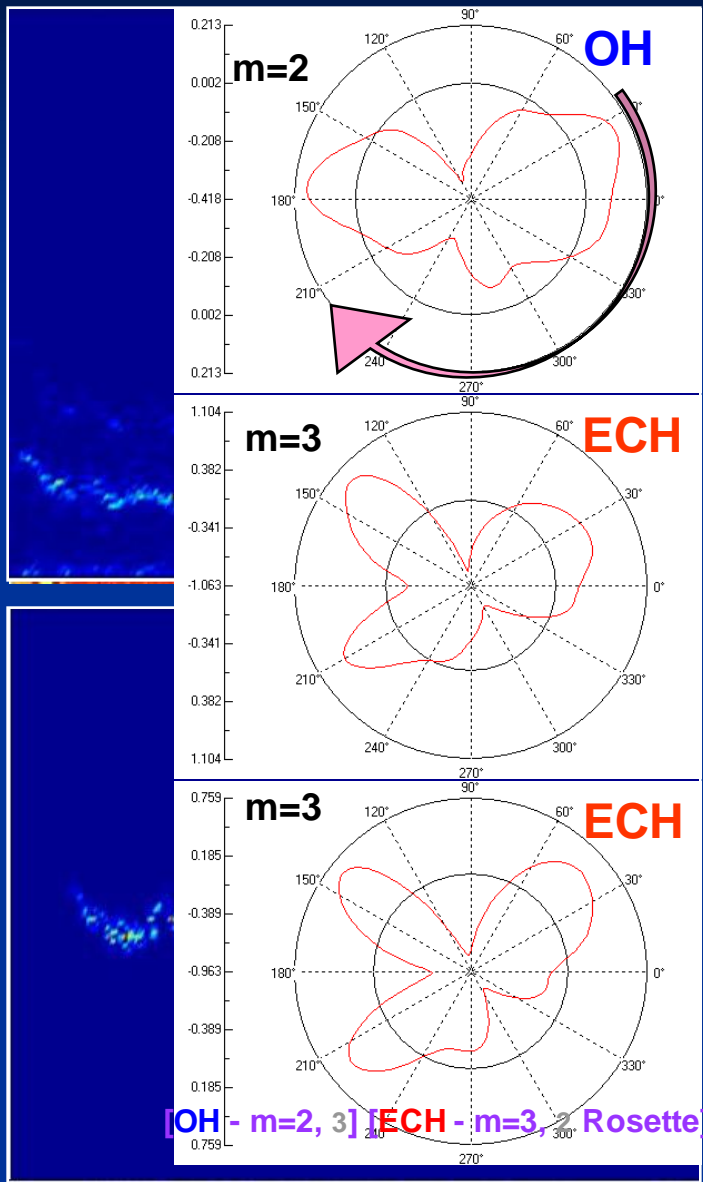
Spectra of oscillations

f, kHz

ECH

m/n=1/1

25
20
15
10
5
0
25
20
15
10
5
0



[OH - m=2, 3] [ECH - m=3, 2 Rosette]

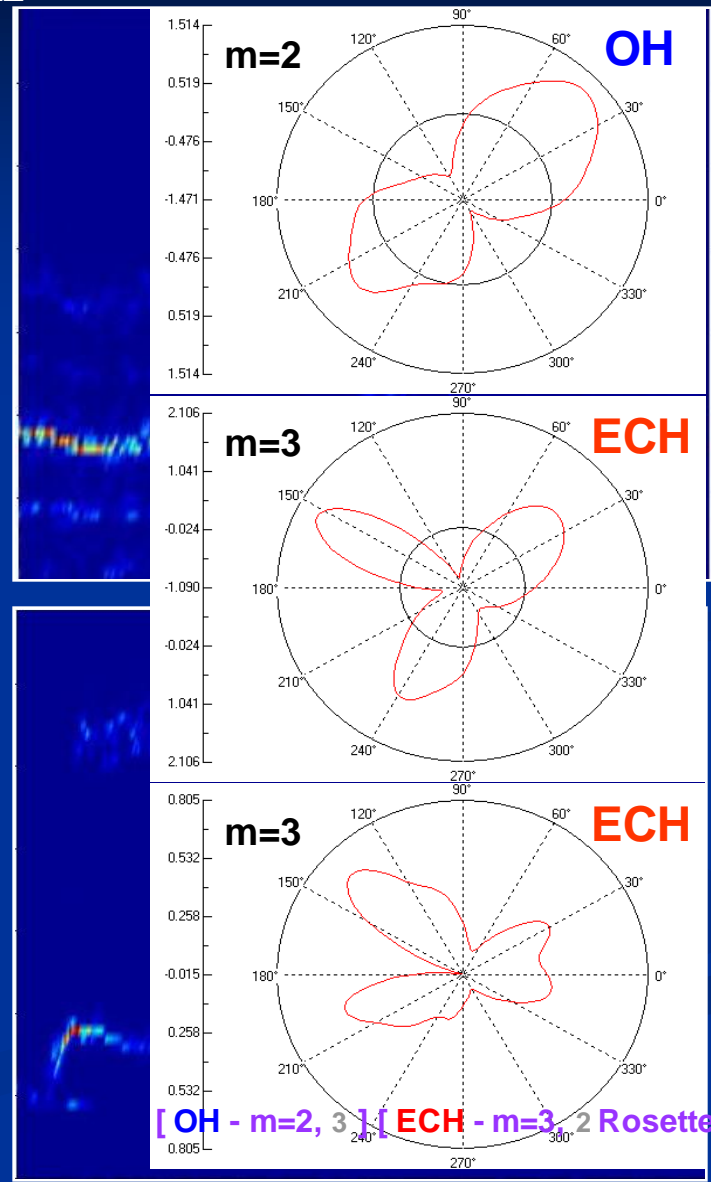
600 700 800 900 t, ms

f, kHz

ECH

m/n=1/1, 3/2, 2/1, 3/1

10
5
0
10
5
0



[OH - m=2, 3] [ECH - m=3, 2 Rosette]

600 700 800 900 t, ms

SUMMARY

$$f_{m/n}^k = \min \langle [(\mathbf{v}_i, \mathbf{v}_e) \cdot \nabla_{\mathbf{B}} \text{ drift}] \rangle / 2 r_{q_{m/n}}$$

$$k = 2^{(s-1)} \quad s = 1, 2, 3 \dots$$

m/n	1/1	3/2	2/1	3/1
$r_{m/n}^1$ (cm) ($\pm 5\%$)	8.5	13	19	29
$\langle T_i \rangle$ (eV), inside $q=3/2$ zone ($\pm 10\%$)	500			
$f_{m/n}^1$ (kHz), experiment ($\pm 5\%$)	6.3	4.3	2.8	1.85
$f_{m/n}^1$ (kHz), calculation	6.5	4.2	2.9	1.9

Main parameter for all modes is ion temperature at central zone

Self-consistency between oscillation frequencies (zonal velocities) and radii of rational zones

$$f_{1/1}^1 : f_{3/2}^1 : f_{2/1}^1 : f_{3/1}^1 = 3/2$$

$$r_{3/1}^1 : r_{2/1}^1 : r_{3/2}^1 : r_{1/1}^1 = 3/2$$

CONCLUSION

1. Mode excitation occurs into all area inside corresponding rational zone
2. Mode $m/n=1/1$ is master mode. Current oscillations on its eigen frequencies fill total plasma volume
3. Measured and calculated by **kinetic model** eigen frequencies of modes $m/n=1/1$, $3/2$, $2/1$ and $3/1$ coincide with accuracy no worse $\pm 10\%$
4. **Key parameter for volume resonances of all modes is evidently central ion temperature**
5. Only even upper eigen harmonics and odd subharmonics excite. Deviation of eigen frequencies is not exceed 5% for basic harmonics and 20% for the upper
6. **Positions of resonance rational zones do not change during current plateau stage though strong sharpening of electron temperature profile under ECH (inside $q=3/2$ $k_{\text{profile sharpening}} \sim 1.5$)**
7. Relations of measured eigen frequencies and radii of rational zones can be represent into 5% accuracy as relation of simple numbers

$$f^1_{1/1} : f^1_{3/2} : f^1_{2/1} : f^1_{3/1} = 3/2$$

$$r^1_{3/1} : r^1_{2/1} : r^1_{3/2} : r^1_{1/1} = 3/2$$

$$f^4_{m/n} : f^2_{m/n} : f^1_{m/n} = 2/1$$

$$r^4_{m/n} : r^2_{m/n} : r^1_{m/n} = 1/2$$



Positions of rational zones do not depend on amplitudes of oscillations

Where they are when global oscillations are absent?

