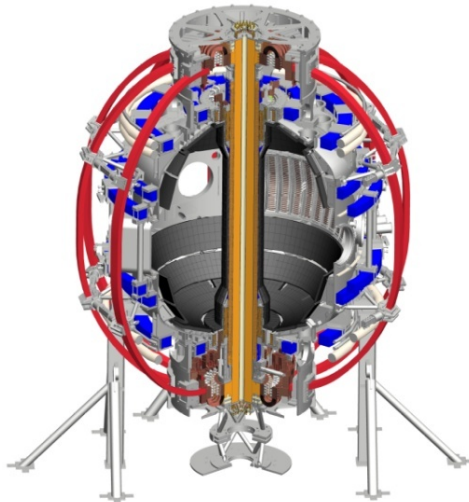


The Potential Contribution of RF Sheaths to Field-Aligned SOL Losses on NSTX

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APS DPP, New Orleans, LA, October 28, 2014

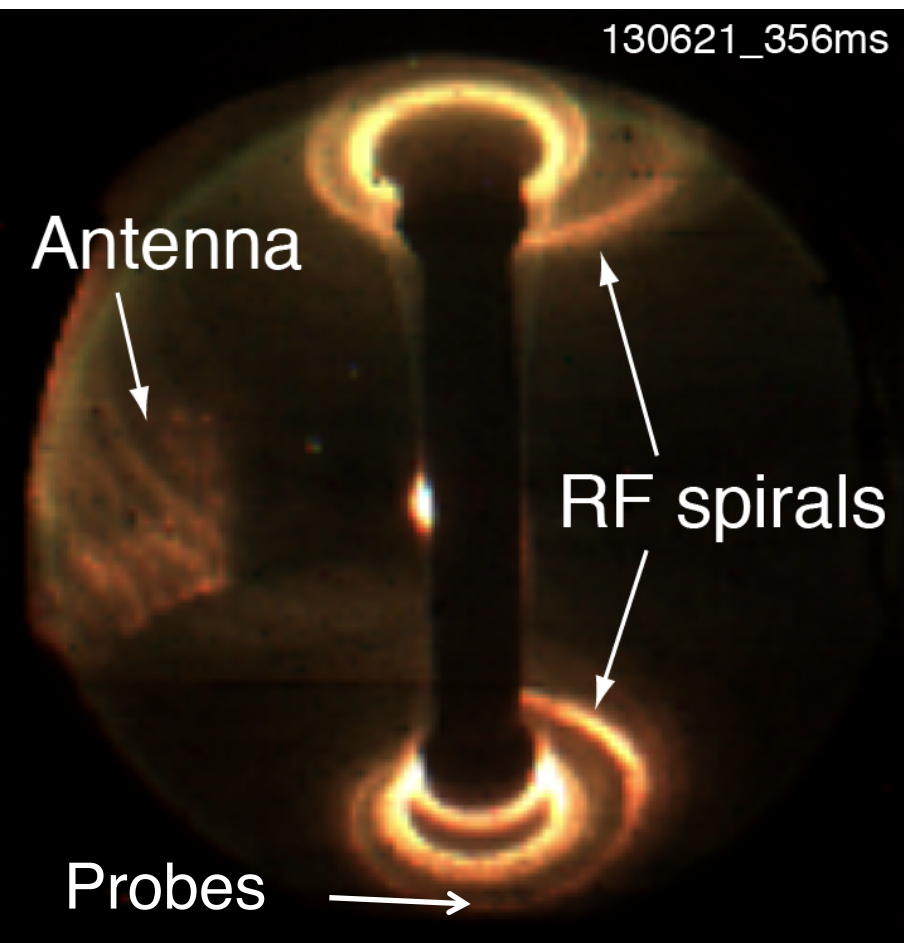


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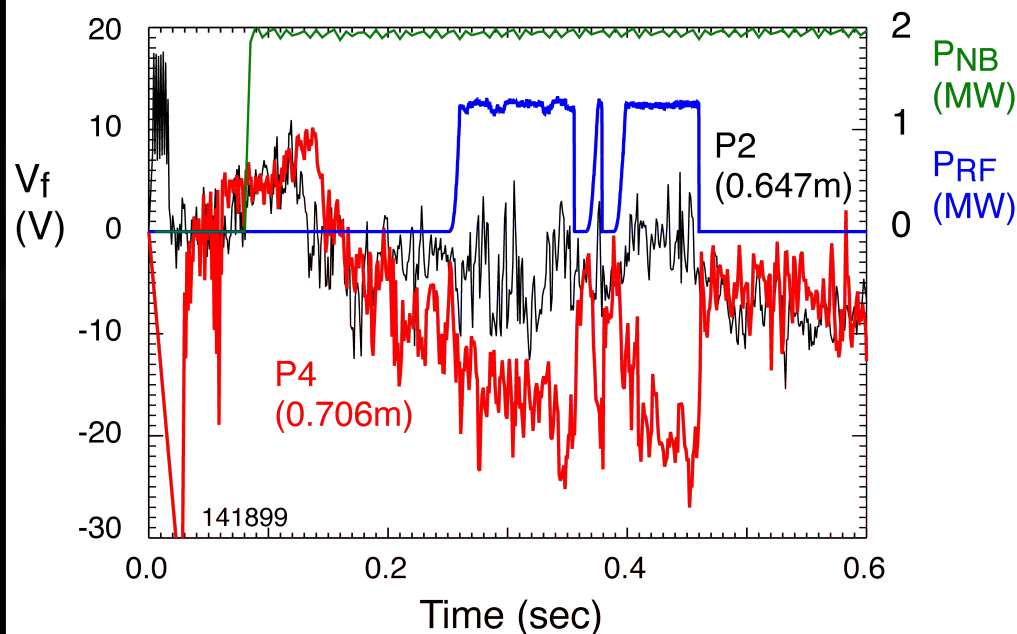
Significant HHFW losses in SOL can perhaps be understood by analyzing Langmuir probes

Midplane camera image



Up to 2 MW/m² heat flux measured under spiral

RF affects Langmuir-probe floating potential



Only probes underneath spiral are affected

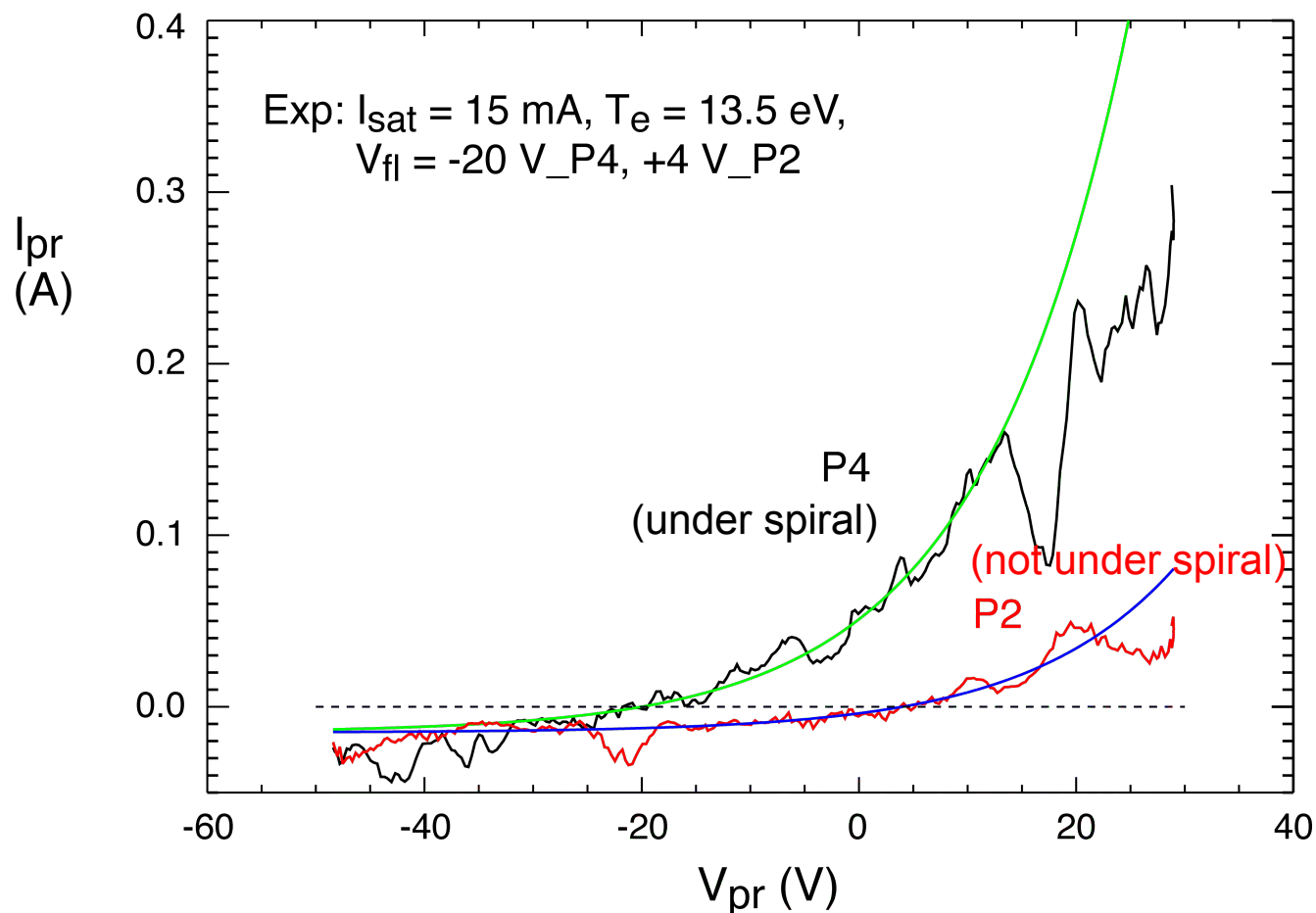
RF rectification is a candidate mechanism to explain the change in Langmuir probe signals

- RF electric field drives enhanced electron current to wall
 - Due to nonlinear IV characteristic for sheath
- Probe floating potential shifts to more negative value

$$\exp \left[\frac{\Delta V_f}{T_e} \right] = I_0 \left(\frac{V_{RF}}{T_e} \right)$$

- RF rectification blamed for ICRF-induced impurity contamination: enhanced ion-bombardment and erosion
- This talk focuses on a far-field sheaths
 - Formed away from antenna due to propagating waves

Fitting probe characteristics with RF rectification yields reasonable fits around V_{fl} and yields $V_{RF} = 43.7$ V

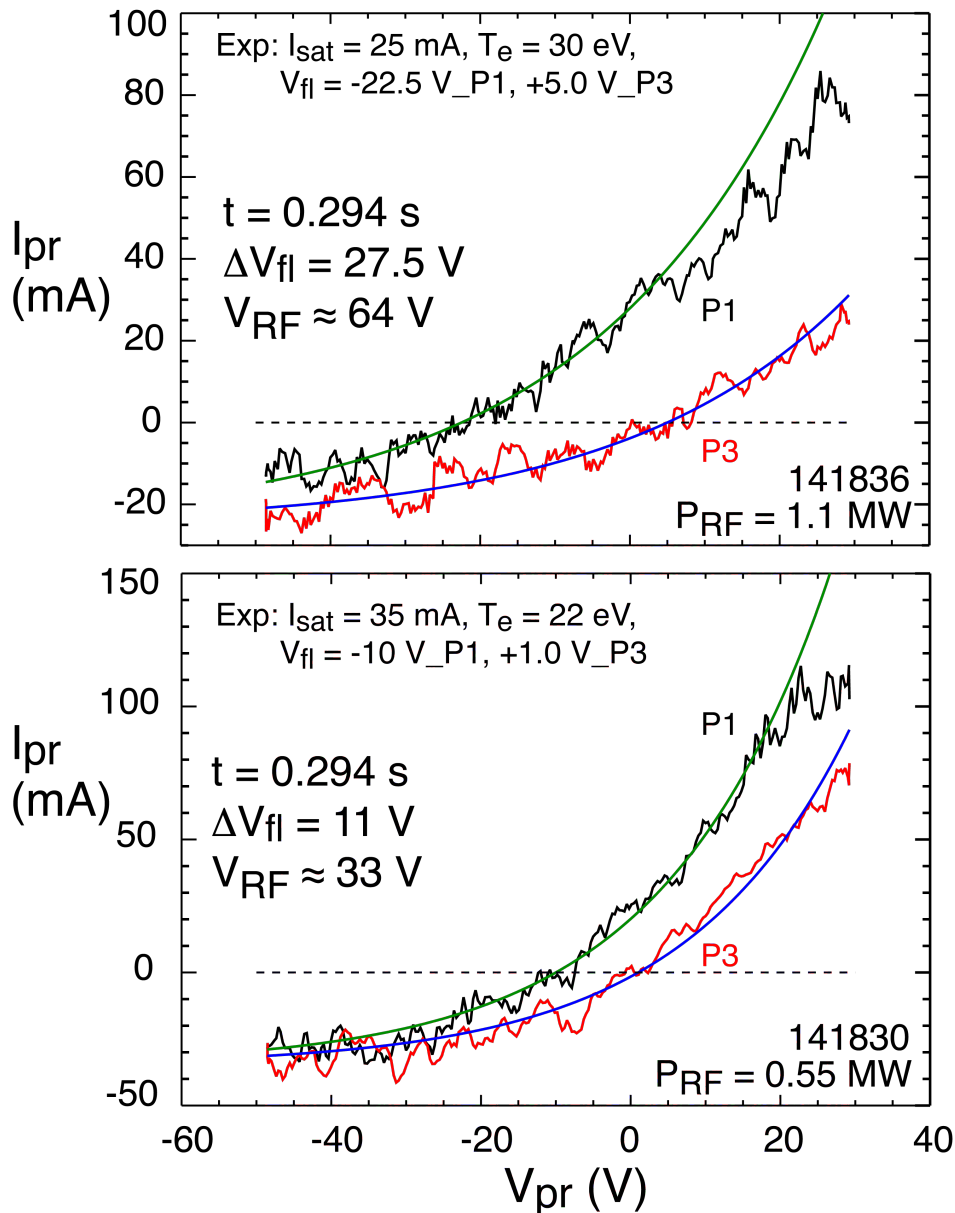


RF + NBI
141899
 $t = 0.4515$ s
6 sweep avg
(1 sweep ~ 1 ms)

- Assume same I_{sat} and T_e values for both probes
 - Only change V_{fl}
- Resulting fits are reasonable for both characteristics especially in vicinity of floating potential

Similar results found for RF-only discharges

$V_{RF} = 64 \text{ V}$ for $P_{RF} = 1.1 \text{ MW}$ and $V_{RF} = 33 \text{ V}$ for $P_{RF} = 0.55 \text{ MW}$



- RF-only shots; no NBI
 - 141836, $P_{RF} = 1.1 \text{ MW}$
 - 141830, $P_{RF} = 0.55 \text{ MW}$
 - $t = 0.294 \text{ s}$
- V_{RF} increases with P_{RF} from 0.55 MW to 1.1 MW
- V_{RF} is not $\sim \sqrt{P_{RF}}$ but SOL plasma conditions are different as well
- Assuming RF rectification gives $V_{RF} \sim 30 - 70 \text{ V}$

V_{RF} enhances sheath transmission factor (heat flux to surface) Indicates RF rectification contributes substantially to spiral

- Heat flux to probe biased at V is : $q_{\text{surface}} = \gamma(V) * j_{\text{sat}}^+ * T_e$
- $\gamma(V)$ is the sheath transmission factor

- V_{fl-RF} and $V_{fl-noRF}$ floating potentials relative to ground (tile voltage)

$$\gamma_{noRF} = -\frac{V_f}{T_e} + \frac{V_{fl-noRF}}{T_e} + 2.5 \frac{T_i}{T_e} + \frac{2}{1 - \sigma_e} \exp \left[-\frac{V_{fl-noRF}}{T_e} \right]$$

[P.C. Stangeby Plasma Physics Series (2000)]

- Add RF potential $V_{RF} \sin(\omega t)$ and average over RF period

$$\gamma_{RF} = -\frac{V_f}{T_e} + \frac{V_{fl-noRF}}{T_e} + 2.5 \frac{T_i}{T_e} + \frac{2}{1 - \sigma_e} \exp \left[-\frac{V_{fl-RF}}{T_e} \right]$$

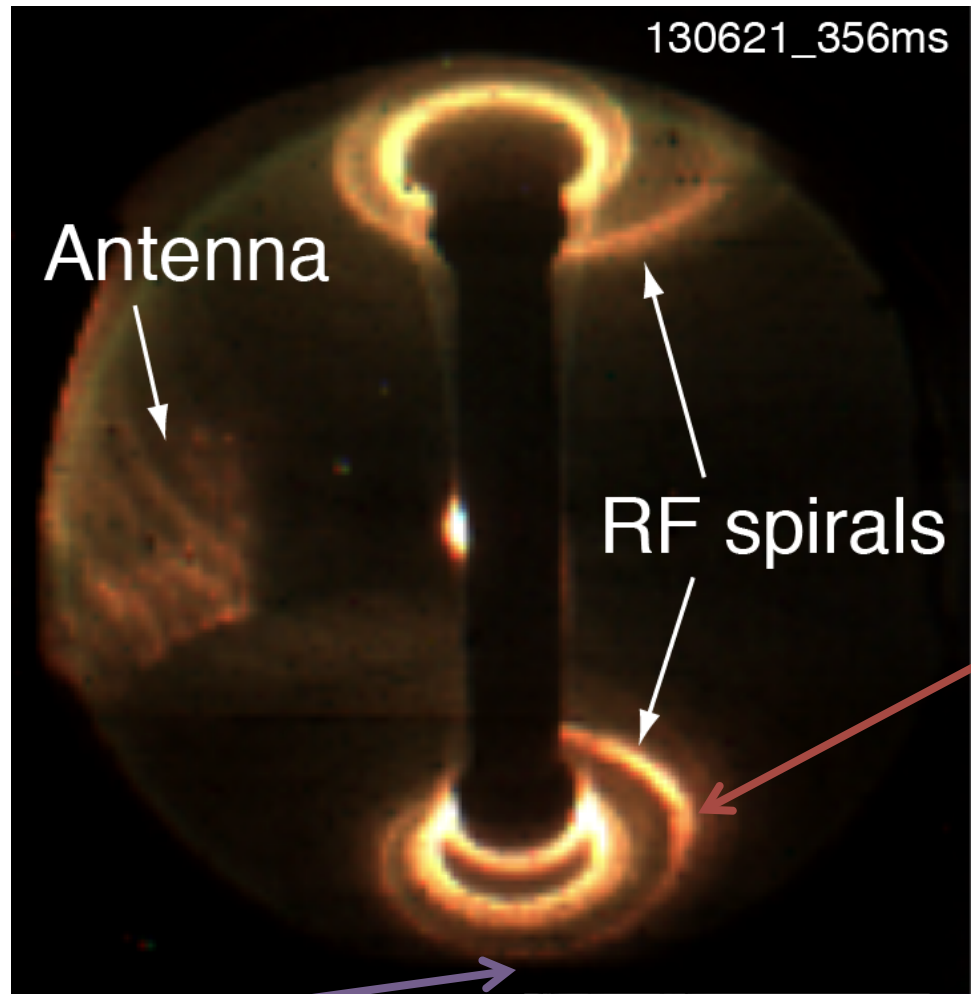
- For the RF + NBI case (141899):

No RF $\gamma_{noRF} = 7.12$ $q_{noRF} = 0.103 \text{ MW/m}^2$

With RF $\gamma_{RF} = 14.43$ $q_{RF} = 0.209 \text{ MW/m}^2$

- In rough agreement with IR measurements in the vicinity of the vessel gap

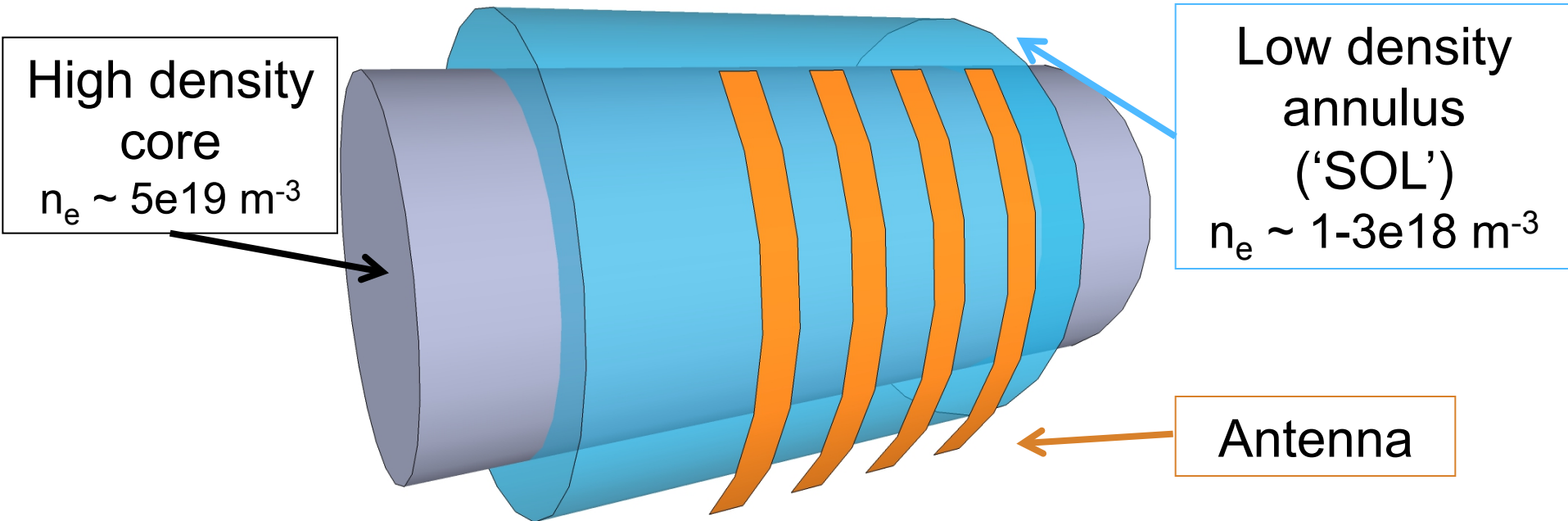
Increase of gamma should be even larger if measured at more intense portion of spiral



Most intense portion & location of new probes in upgrade

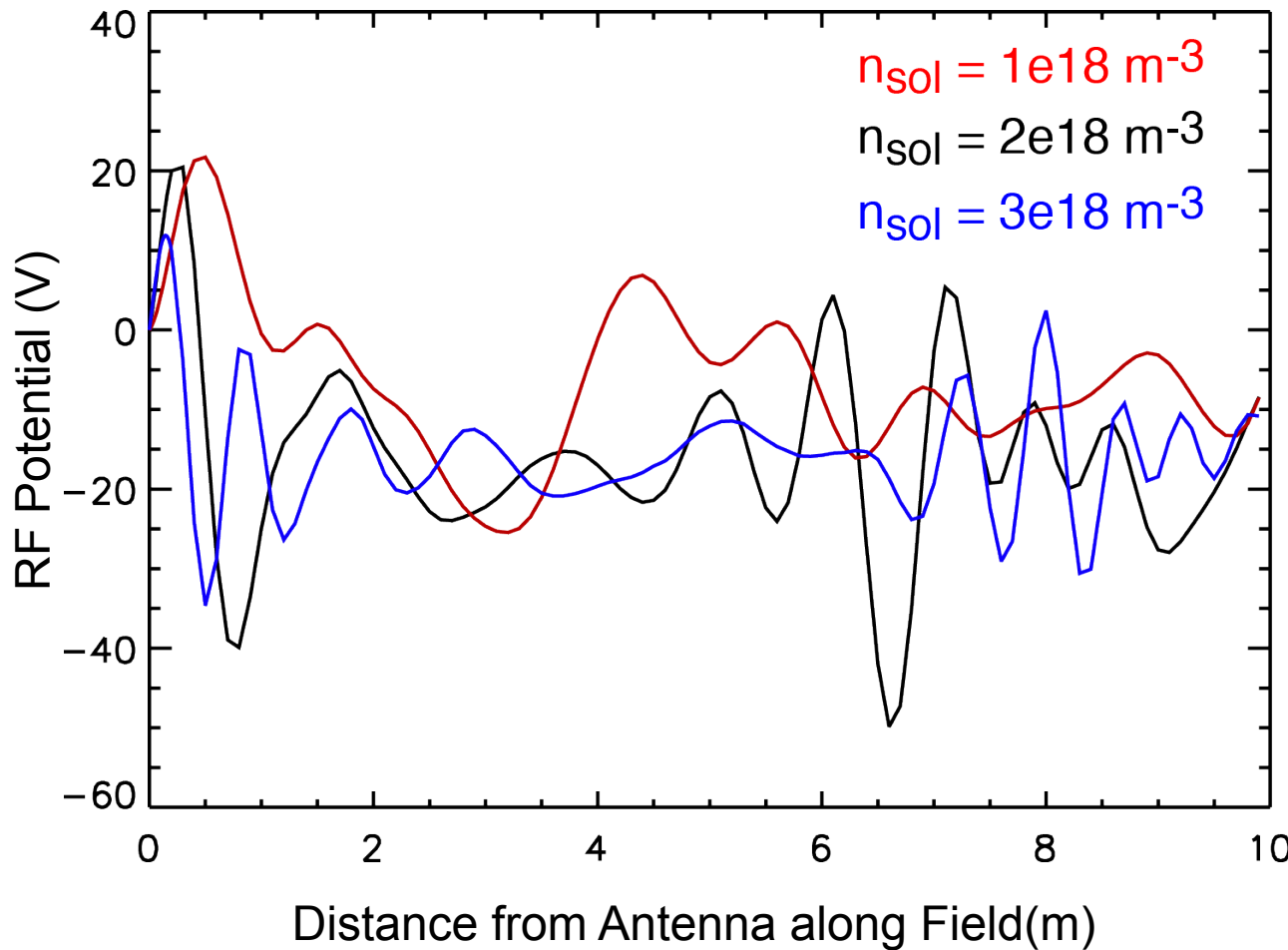
Langmuir probe location

Cylindrical cold-plasma model



- Model retains finite electron mass
- Still being validated
 - Poynting flux computation agrees with antenna loading calculation to within 1%

Computed V_{RF} is of same order as probe analysis



- Integrate E_z along a field line
 - Located in middle of SOL
- Includes azimuthal wavenumbers from -10 to +10
- Results for 1 kA of RF current on antenna
- Gives $V_{RF} \sim 10\text{--}30 \text{ V}$

Conclusion: RF rectification may be contributing substantially to fast-wave losses in the SOL

- If shift in probe characteristic is RF rectification, then $V_{RF} \sim 30 - 70 \text{ V}$
 - Better accuracy expected with fast-acquisition probes using coaxial feeds and broadened sweep range
- Cold-plasma model gives V_{RF} on the same order ($\sim 20 - 30 \text{ V}$)
 - Given simplifications involved in model, this is encouraging
 - Will perform similar calculations with AORSA results
- Sheath transmission factors predicted to be enhanced (x2) with RF
 - Better IR coverage in NSTX-U
- Emerging self-consistent picture that RF rectification could be playing a substantial role in fast-wave losses in the SOL

V_{RF} enhances sheath transmission factor (heat flux to surface) Indicates RF rectification contributes substantially to spiral

- Heat flux to probe biased at voltage V is : $q_{\text{surface}} = \gamma(V) * j_{\text{sat}}^+ * T_e$

$$\gamma(V) = -\frac{V_f}{T_e} + \frac{\Delta V}{T_e} + 2.5 \frac{T_i}{T_e} + \frac{2}{1 - \sigma_e} \exp \left[-\frac{\Delta V}{T_e} \right]$$

$\Delta V = V - V_f$, with V_f relative to V_{pl} [P.C. Stangeby, Plasma Physics Series (2000)]

- V_{fl-RF} and $V_{fl-noRF}$ floating potentials relative to ground (tile voltage) with and without RF
- Add RF potential $\Delta V = -V_{fl-0} + V_{RF} \sin(\omega t)$ and average over the RF period

$$\gamma_{noRF} = -\frac{V_f}{T_e} + \frac{V_{fl-noRF}}{T_e} + 2.5 \frac{T_i}{T_e} + \frac{2}{1 - \sigma_e} \exp \left[-\frac{V_{fl-noRF}}{T_e} \right]$$

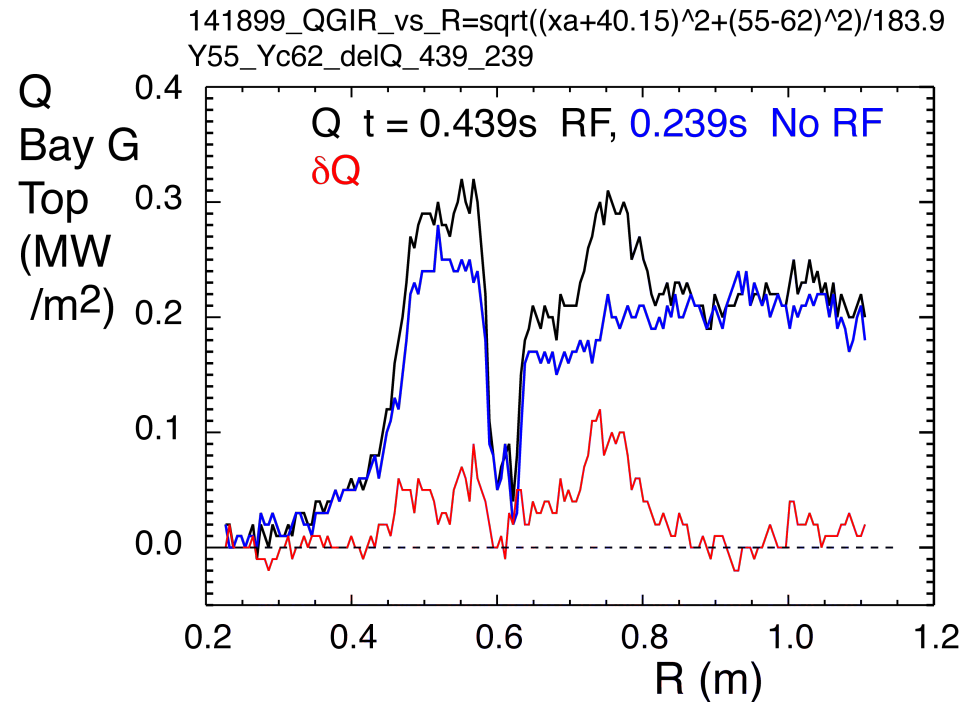
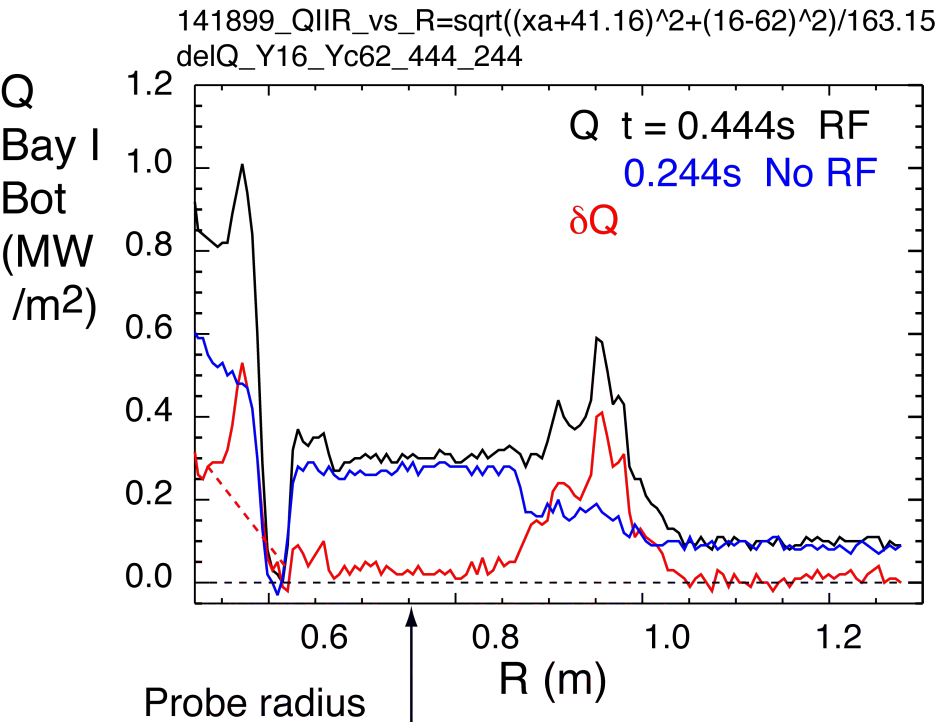
$$\gamma_{RF} = -\frac{V_f}{T_e} + \frac{V_{fl-noRF}}{T_e} + 2.5 \frac{T_i}{T_e} + \frac{2}{1 - \sigma_e} \exp \left[-\frac{V_{fl-RF}}{T_e} \right]$$

- Energy flux to probe at $V_{pr} = 0$ (tile V) is enhanced for RF relative to no RF

- For the RF + NBI case (141899):

$\gamma_{0-RF=0} = 7.12$	$q_{0-RF=0} = 0.103 \text{ MW/m}^2$
$\gamma_{0-RF} = 14.43$	$q_{0-RF} = 0.209 \text{ MW/m}^2$

Levels of heat flux to the probe compare well with estimates from IR measurements of q_{surface}



- Q is not measured at Bay B – rough estimates of $Q_{\text{bay B}}$ from IR measurements at Bay I are made in vicinity of the probe radial location
 - Background $\sim 0.3 \text{ MW/m}^2$; with RF $\Delta Q \sim 0.3$ at peak
- From Bay G measurement (top): background ~ 0.2 ; with RF $\Delta Q \sim 0.1$
- Thus, heat flux measurements to probe are comparable with these results within the uncertainties associated with the probe and IR measurements