



Validation of Ion and Electron Scale Gyrokinetic Simulations in NSTX and Comparisons with a High-k Scattering Synthetic Diagnostic

J. Ruiz Ruiz¹

W. Guttenfelder², A. E. White¹, N. Howard¹, N. F. Loureiro¹, J. Candy³, Y. Ren², D. R. Smith⁴, C. Holland⁵ 1. MIT 2. PPPL 3. General Atomics 4. U Wisconsin 5. UCSD

60th Annual Meeting of the APS Division of Plasma Physics Portland, Oregon, Nov 5-9, 2018







Work supported by DOE contracts DE-AC02-09CH11466 and DE-AC02-05CH11231

Extensive validation effort underway to study electron thermal transport in NSTX H-mode plasma

- NBI heated H-mode with controlled current ramp-down; two steady discharge phases, little MHD activity
- Local increase in equilibrium density gradient |∇n| modifies ETG drive from strong to weak, consistent with changes in measured high-k turbulence [Ruiz Ruiz PoP 2015]

• In this work:

Compare experimental heat fluxes and measured high-k turbulence are to validate extensive set of nonlinear ion-scale and electron-scale gyrokinetic simulations





Compare experimental Q_e to all simulations; measured high-k turbulence only to e- scale simulations

- <u>Electron heat flux (Q_e) comparisons</u> with TRANSP are done via sensitivity scans of GYRO simulations within exp. uncertainties
- <u>High-k turbulence comparisons</u> will deploy a new synthetic diagnostic to e- scale simulations that best match to Q_e^{exp}
- Can e-scale simulations reproduce the high-k frequency & wavenumber spectra?



GYRO code is used to perform ion-scale and electron-scale nonlinear gyrokinetic simulations

- **Ion scale** simulation resolves low-k turbulence $k_{\theta}\rho_s \approx 1$
- Electron scale simulation resolves ETG-scale turbulence $1 < k_{\theta}\rho_s \gtrsim 60$



- Experimental profiles used as input
- Local simulations performed at scattering location (r/a~0.7, R~135 cm).
- 3 kinetic species, D, C, e (Z_{eff}~1.85-1.95)
- Electromagnetic: $A_{\parallel}+B_{\parallel}$, $\beta_e \sim 0.3$ %.
- Collisions ($v_{ei} \sim 1 c_s/a$).
- ExB shear ($\gamma_{\rm E}$ ~0.13-0.16 c_s/a) + parallel flow shear ($\gamma_{\rm p}$ ~ 1-1.2 c_s/a)
- Fixed boundary conditions (buffer widths)

Local ion and electron-scale simulations under-predict experimental Q_e with experimental gradients as input





Sensitivity Scans for Heat Flux Comparisons





Sensitivity scans carried out to maximize turbulent drive within error bars





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Ion scale simulation

- Scans (a/L_T, a/L_n)
- Suppressed by ExB shear ($Q_e^{sim} \sim 0$)





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Electron scale simulation •

- Scans (a/L_T, a/L_n)
- Can match Q_e^{exp}



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Electron scale simulation •

- Scans (a/L_T, a/L_n)
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Electron scale simulation ●

- Scan (a/L_T, a/L_n, q, s)
- Can match Q_e^{exp}



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Ion heat flux Qi close to neoclassical levels

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lon scale sim (TEM)

- Scans in a/L_T , $(a/L_n \text{ scaled } 1-\sigma)$
- Extremely stiff: $Q_e^{sim} \rightarrow 10 X Q_e^{exp} !!$





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Electron scale sim (ETG)

- Scans in a/L_T , $(a/L_n \text{ scaled } 1-\sigma)$
- Less stiff, under-predicts Q_e^{exp}

Ion heat flux Qi close to neoclassical levels

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High-k Turbulence Comparisons



Deploy synthetic diagnostic to highest Q_e e- scale simulations





Highest Q_e e- scale simulations match k-spectrum shape and fluctuation level ratio



Strong ETG Drive (matched Q_e^{exp}**)**

• Reproduces shape of *k*-spectrum

Weak ETG Drive ($Q_e^{sim}/Q_e^{exp} \sim 65\%$)

• *k*-spectra can be matched within error bars

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Highest Q_e e- scale simulations match k-spectrum shape and fluctuation level ratio



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• Reproduces shape of *k*-spectrum

Weak ETG Drive ($Q_e^{sim}/Q_e^{exp} \sim 65\%$)

• *k*-spectra can be matched within error bars

Can match fluctuation level ratio S(Strong ETG Drive)/S(weak ETG Drive)

f-spectra: k-resolution in e- scale simulation too coarse for quantitative comparisons
→ need big-box e- scale simulations

Highest Q_e e- scale simulations match k-spectrum shape and fluctuation level ratio



Strong ETG Drive (matched Q_e^{exp})

• Reproduces shape of *k*-spectrum

Weak ETG Drive ($Q_e^{sim}/Q_e^{exp} \sim 65\%$)

k-spectra can be matched within error bars

Can match fluctuation level ratio S(Strong ETG Drive)/S(weak ETG Drive)

f-spectra: k-resolution in e- scale simulation too

<u>coorco for quantitativo compario pr</u>

Conclusion from synthetic comparisons: Match shape of *k*-spectrum and fluctuation level ratio between strong and weak ETG drive, consistent with Q_e agreement

Conclusions and Next Steps

Strong ETG Drive

- <u>lon-scale</u> turbulence is suppressed
- <u>e- scale</u> can match Q_e^{exp}, consistent with agreement in high-k wavenumber spectrum

e- scale turbulence (ETG) is likely responsible for Q_e^{exp}

Weak ETG Drive

- <u>Ion scale</u> sim can bracket Q_e^{exp}, extremely stiff transport
- <u>Electron scale</u> is active, under-predicts Q_e^{exp}

Ion scale turbulence (TEM) might be responsible for most Q_e^{exp}, cross-scale interactions likely important (ETG active)

Next Steps

- Multi-scale simulation of NSTX H-mode + quant. comparisons with syn. diagnostic
- Deploy synthetic diagnostic for additional NSTX discharges
- Projections of new high-k diagnostic for NSTX-U

Additional Material



Input Parameters into Nonlinear Gyrokinetic Simulations Presented

	t=398 t	: = 565			
r/a	0.71	0.68	R _o /a	1.52	1.59
a [m]	0.6012	0.596	SHIFT =dR _o /dr	-0.3	-0.355
n _e [10^19 m-3]	4.27	3.43	KAPPA = κ	2.11	1.979
T _e [keV]	0.39	0.401	s _k =rdln(κ)/dr	0.15	0.19
a/L _{ne}	1.005	4.06	DELTA = δ	0.25	0.168
a/L _{Te}	3.36	4.51	s _δ =rd(δ)/dr	0.32	0.32
β_e^{unit}	0.0027	0.003	Μ	0.2965	0.407
a/L _{nD}	1.497	4.08	γ_{E}	0.126	0.1646
a/L _{Ti}	2.96	3.09	γ _p	1.036	1.1558
T _i /T _e	1.13	1.39	ρ.	0.003	0.0035
n _D /n _e	0.785030	0.80371	λ _D /a	0.000037	0.0000426
n _c /n _e	0.035828	0.032715	c _s /a (10 ⁵ s-1)	4.4	2.35
a/L _{nC}	-0.87	4.08	Qe (gB)	3.82	0.0436
a/L _{TC}	2.96	3.09	Qi (gB)	0.018	0.0003
Z _{eff}	1.95	1.84	Bt_loc [T]	-0.35	-0.35
nu _{ei} (a/c _s)	1.38	1.03	c _s [m/s]	2.10 ⁵	2.10 ⁵
q	3.79	3.07	Ω _i [1/s]	3.5*10 ⁷	3.5*10 ⁷
S	1.8	2.346			

NSTX-U

Hybrid Scale Simulation Necessary to Correctly Resolve High-k Scattering Wavenumber

Measurement-k from channels 1-3 of high-k scattering system in NSTX mapped to GYRO wavenumber grid



Hybrid scale is NOT multiscale simulation:

- $k_{\theta}\rho_s^{\min} = 0.3$, but does not fully resolve ion scales
- Only run for e- time scales ($T^{sim} \sim 30a/c_s$)

Synthetic f-spectrum at High ETG Drive, Ch1





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Numerical Resolution Details of GYRO Simulations Needed for Synthetic Diagnostic of High-*k* Scattering

- Extensive Box size scans show Hybrid
 Scale Simulation is trade off:
 - Computational cost ~ 0.5 M CPU h
 - Correctly resolving experimental k

 $L_r \ge L_y = 20-14 \ge 21-16 \rho_s (L/a \sim 0.08)$ $n_r \ge n = 512-450 \ge 140-220$

- Electron Scale Simulation:
 - Only e- scale turbulence

L_r x L_y = 4 x 6 ρ_s (L/a ~0.02) n_r x n = 192 x 42

Hybrid Scale



Experimental f-spectrum for ch1, 2, 3



Exp data: ch = 2 t = 0.398 s || p = 1.2105 [au], <f> = -809.7443 kHz, σ_f = 199.4687 kHz t = 0.565 s || p = 0.049233 [au], <f> = -1211.6233 kHz, σ_f = 347.58 kHz



Exp data: ch = 3 t = 0.398 s || p = 0.17445 [au], <f> = -617.8898 kHz, $\sigma_{\rm f}$ = 196.1087 kHz t = 0.565 s || p = 0.029665 [au], <f> = -1218.6242 kHz, $\sigma_{\rm f}$ = 341.6567 kHz



High ETG Drive condition for ch3 has little doppler shift from f=0 (lowest $k \rightarrow low k.v$) \rightarrow contamination of signal by f=0 noise peak

Total Thermal Transport Budget at Low ETG



- $Q_e^{exp} \sim 1 \text{ MW}$ - Can be matched by ion scale GK sim within $1\sigma(+\nabla T_e, -\nabla n_e)$
- Q_i^{exp} ~ 0.23 MW
 - $Q_i \ll Q_e$
 - $Q_i^{sim}(ion scale) \sim 10X Q_i^{exp}$ within
 - 1σ (+ ∇ T_e,- ∇ n_e) (similar to Q_e)
 - \rightarrow Can be matched by ion scale GK sim
 - Neoclassical Q_i still TBD.

Experiment sits near nonlinear threshold of both ion and electron scale turbulence.

Ionscale turbulence displays much higher stiffness than e- scale

GYRO simulations using exp. inputs (∇T , ∇n) under-predict fluctuation power at low ETG drive



High ETG Drive ($Q_e^{sim}/Q_e^{exp} \sim 20\%$):

 GYRO cannot match spectrum at lowest-k (unclean diagnostic signal)

Low ETG Drive ($Q_e^{sim} \sim 0$)

 Underprediction in fluct. power consistent with under-prediction in Q_e for experimental (∇T, ∇n) inputs in GYRO (hyb. scale shown)

Hybrid-scale sims better match shape of f-spectrum (dominated by Dop shift, not shown)

Detected fluctuation power is scaled by constant (diagnostic not absolutely calibrated)

Mapping $(k_r \rho_s, k_\theta \rho_s)_{GYRO} \rightarrow (k_R, k_Z)^{exp}$

Preamble 3 Wavenumber mapping under simplifying assumptions

$$k_{R} = (k_{r}\rho_{s})_{GYRO} \left|\nabla r\right| / (\rho_{s})_{GYRO}$$

$$k_{Z} = (k_{\theta} \rho_{s})_{GYRO}^{loc} / (\kappa . \rho_{s})_{GYRO}$$

- Assumptions
 - $-\zeta=0$, d ζ /dr=0 (squareness + radial derivative)
 - $Z_0 = 0$, $dZ_0/dr = 0$ (elevation + radial derivative)
 - UD symmetric (up-down asymmetry of flux surface)
 - theta=0 (outboard mid-plane)
- In the following slides, develop mapping when assumptions are not satisfied, invert

 $(\mathsf{R}(\mathsf{r},\theta),\mathsf{Z}(\mathsf{r},\theta))=(\mathsf{R}_{\exp},\mathsf{Z}_{\exp}) \rightarrow (\mathsf{r}_{\exp},\theta_{\exp})$.