

**Session C10 - Advances in Magnetic Confinement Fusion.**

*ORAL session, Saturday afternoon, April 05*

*Washington B, Loews Philadelphia Hotel [C10.009]*

# High Speed Imaging of Edge Turbulence in Magnetic Fusion Plasmas

*Stewart Zweben (PPPL)*

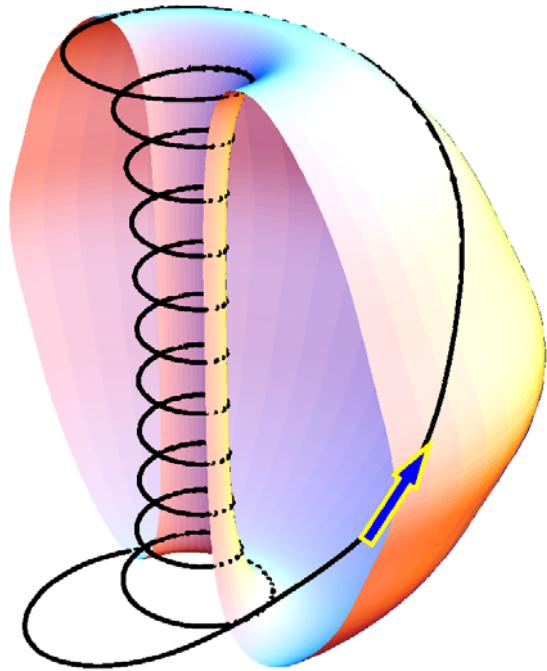
*Klaus Hallatschek (IPP Garching)*

*John Lowrance (Princeton Scientific Instruments, Inc.)*

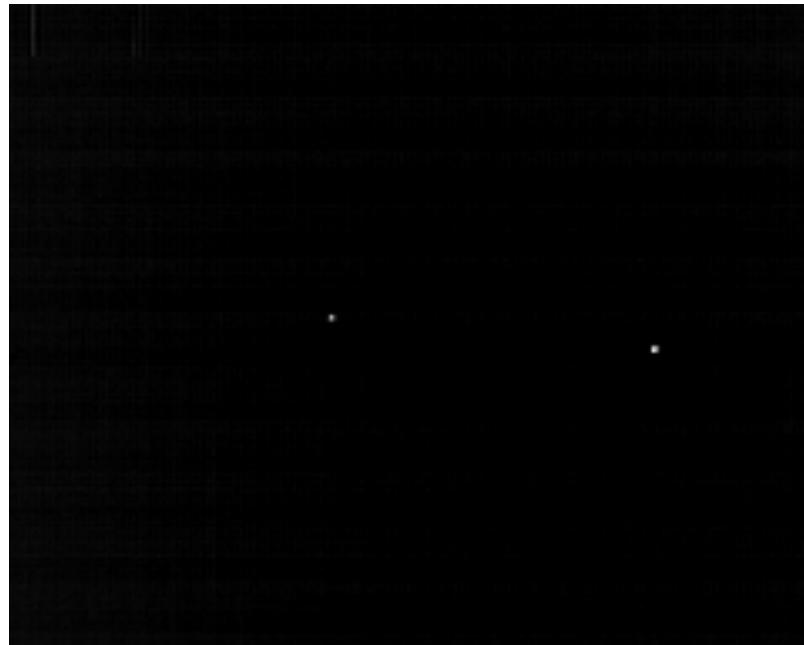
*Ricardo Maqueda (LANL), Daren Stotler (PPPL)*

*James Terry (MIT)*

# Images of NSTX Spherical Torus



1000 frames/sec @ 10  $\mu$ sec exposure / frame

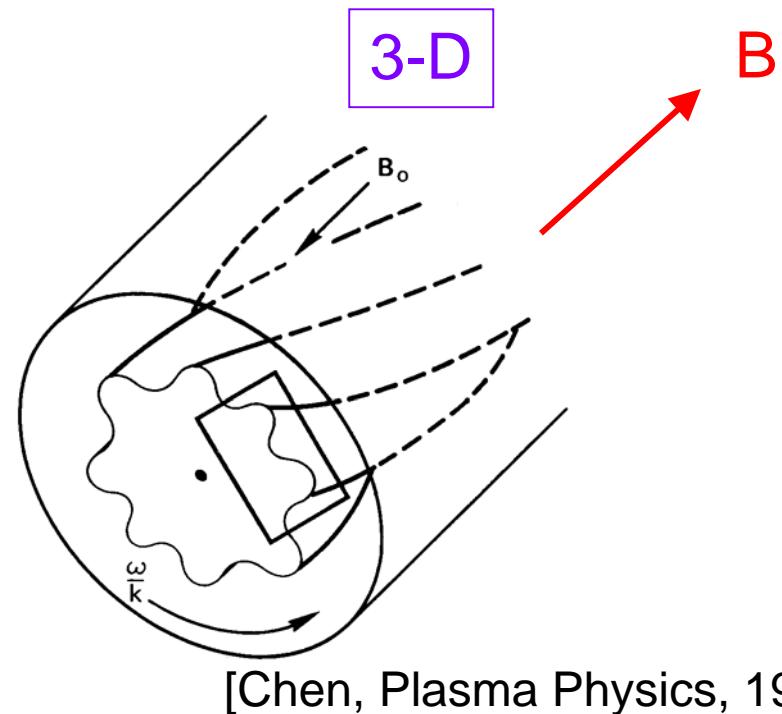
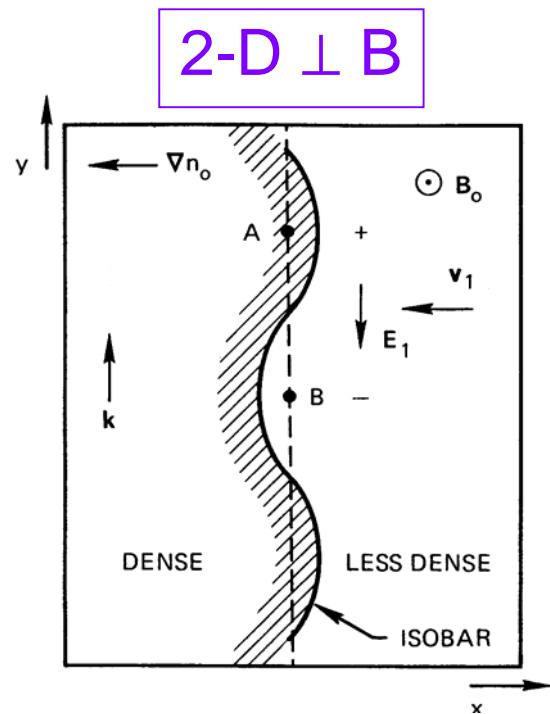


Visible line emission only from “cold” edge at  $T \leq 50$  eV

Plasma in core emits thermal x-rays at  $T \geq 1$  keV

# What Causes Plasma Turbulence ?

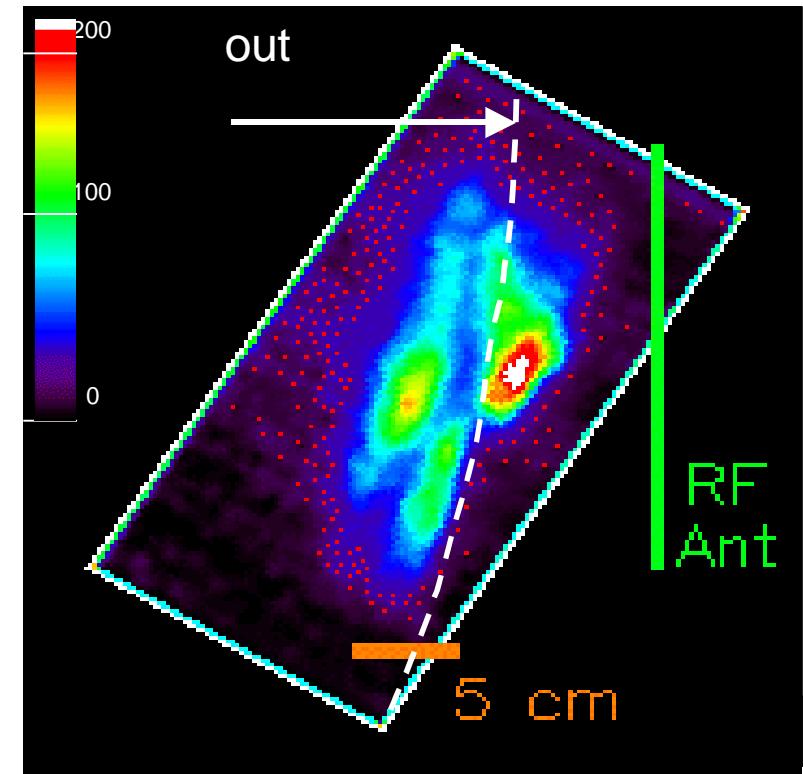
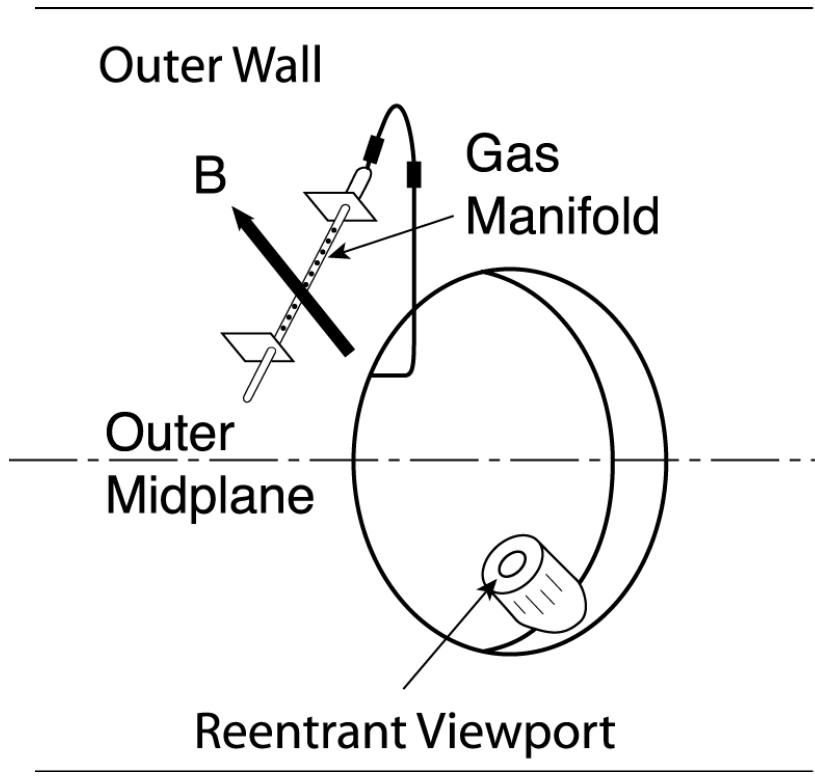
- Large density or temperature gradient across  $B$  ( $\approx 10^5 \text{ } ^0\text{K/cm}$ )
- Linear “drift wave” instability grows with  $\lambda \approx 10\rho_i$  at  $\gamma \approx 10^6/\text{sec}$
- Fast electron motion along  $B$  makes spatial structure  $\approx 2\text{-D}$



[Chen, Plasma Physics, 1984]

# A Closer Look at NSTX

- Look at He1(587.6 nm) light from neutral gas puff  $\propto n_e$
- View along B field line to see 2-D structure  $\perp B$



# High Speed Imaging of NSTX Edge

[camera obtained from Princeton Scientific Instruments, NJ]

CCD camera with  
100,000 frames/sec  
at 10  $\mu$ sec/frame  
for 28 frames/shot

localized structures  
move outward  
at  $\approx 10^5$  cm/sec

High Speed Imaging of  
Edge Turbulence  
in NSTX

with Princeton Scientific  
Instruments PSI-4 camera

viewing HeI(587.6 nm) light  
at 100,000 frames/sec

2002

# Simulation of Plasma Turbulence

- Use 2-fluid equations in 3-D geometry
- Assume initial conditions and evolve

$$\hat{\alpha}[\partial_t \tilde{\psi} + \alpha_d \partial_y \tilde{\psi} (1 + 1.71 \eta_e)] - \nabla_{\parallel}[\tilde{\phi} - \alpha_d(\tilde{p}_e + 0.71 \tilde{T}_e)] = \tilde{J}, \quad \delta B \quad (1)$$

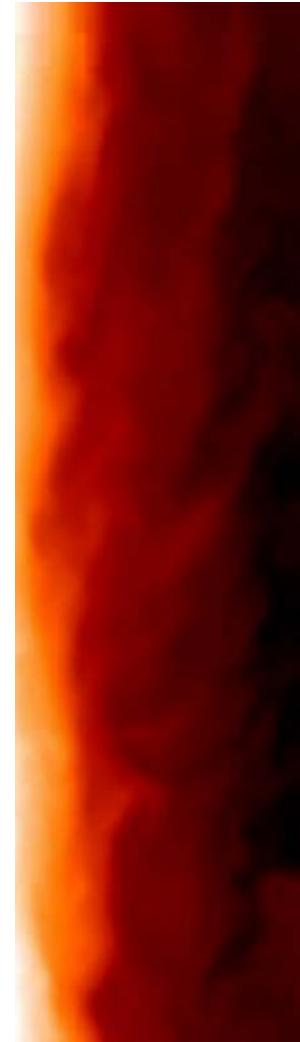
$$\nabla_{\perp} \cdot d_t \nabla_{\perp}(\tilde{\phi} + \tau \alpha_d \tilde{p}_i) + \hat{C}(\tilde{p} + \tilde{G}) - \nabla_{\parallel} \tilde{J} = 0, \quad \delta E \quad (2)$$

$$d_t \tilde{n} + \partial_y \tilde{\phi} = \tilde{F}, \quad \tilde{F} = \epsilon_n \hat{C}(\tilde{\phi} - \alpha_d \tilde{p}_e) - \epsilon_v \nabla_{\parallel} \tilde{v}_{\parallel} + \alpha_d \epsilon_n (1 + \tau) \nabla_{\parallel} \tilde{J}, \quad \delta n \quad (3)$$

$$d_t \tilde{T}_i + \eta_i \partial_y \tilde{\phi} = \frac{2}{3} [\tilde{F} + \frac{5}{2} \epsilon_n \tau \alpha_d \hat{C} \tilde{T}_i + \kappa_i \nabla_{\parallel} (\nabla_{\parallel} \tilde{T}_i + \hat{\alpha} \eta_i \partial_y \tilde{\psi})], \quad \delta T_i \quad (4)$$

$$d_t \tilde{T}_e + \eta_e \partial_y \tilde{\phi} = \frac{2}{3} [\tilde{F} - \frac{5}{2} \epsilon_n \alpha_d \hat{C} \tilde{T}_e + 0.71 \alpha_d \epsilon_n (1 + \tau) \nabla_{\parallel} J + \kappa_e \nabla_{\parallel} (\nabla_{\parallel} \tilde{T}_e + \hat{\alpha} \eta_e \partial_y \tilde{\psi})], \quad \delta T_e \quad (5)$$

$$d_t \tilde{v}_{\parallel} = -\epsilon_v [\nabla_{\parallel}(\tilde{p} + 4\tilde{G}) + (2\pi)^2 \alpha \partial_y \tilde{\psi}], \quad \delta v_{\parallel} \quad (6)$$

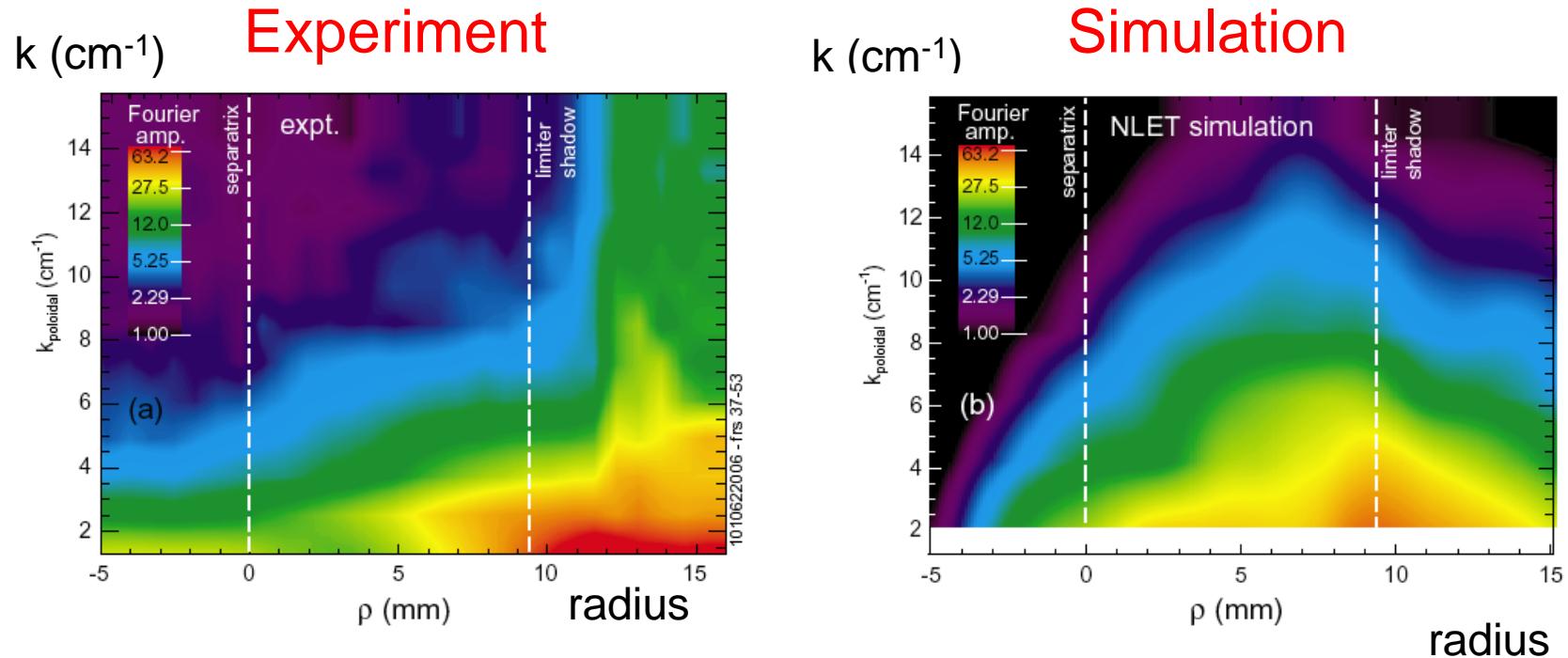


[Rogers, Drake, and Zeiler, PRL '98]

radius

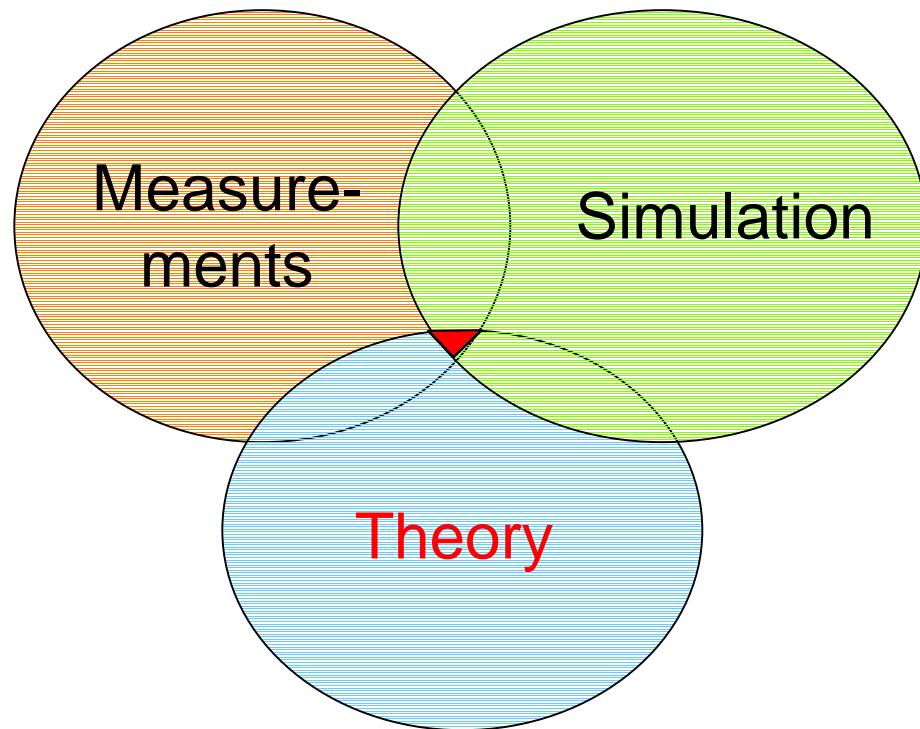
# Experiment vs. Simulation

- Compare turbulence size ( $k=2\pi/\lambda$ ) spectrum vs. plasma radius in Alcator C-Mod tokamak at MIT



=> *simulation reproduces average size scale to within x2*

# Where are We Going ?



- ⇒ *Increase red area to explain existing experiments*
- ⇒ *Determine optimum magnetic confinement system*