

# An Electrostatic Lithium Injector (ELiI) *First Results*

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# 1. Motivation

- Li has shown some excellent properties as a PFC material
  - Hydrogen getter
  - Improved Performance
  - Suppresses ELMs
  - Reduces damage on surfaces that have been coated with lithium
- NSTX and LTX currently active machines that uses lithium as a PFC material
  - Currently deposited using LITER
- However the center stack is one area of NSTX that is not reached by LITER
  - LITER line of sight
  - Center-stack is thin, small target that cannot be uniformly coated
  - Center-stack can be biased up to 2500 V
- Discussions with Dennis Mansfield
  - Can a charged spray of lithium be produced?
  - Biasing of components can target them to be coated with lithium



# 2. Theory – Droplet Formation

- Will a droplet form and what will be its initial velocity?
- Consider a tube which has a liquid with surface tension,  $\gamma$ 
  - The system will be in an equilibrium when the pressure due to  $\gamma$ ,  $P(\gamma)$  and the backing pressure,  $P_0$ , are equal.

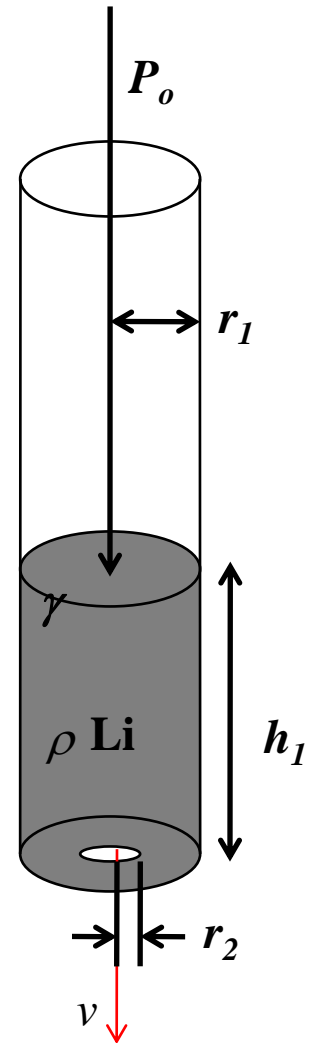
$$\Delta P = P(\gamma) - P_0$$

$$\Delta P = \frac{2\gamma}{r_1} - P_0$$

- When  $\Delta P = 0$ , then  $P_0 = 2\gamma/r_1$ , which for lithium is about 147 Pa in this instance (1/2" tube).
- If  $P_0$  exceeds  $P(\gamma)$  then the liquid will be forced through the hole at some velocity,  $v$ , given by [1]

$$v^2 = \frac{2P_0}{\rho \left( \frac{A}{a} - 1 \right)^2}$$

- where,  $A$ , is the larger Surface area and,  $a$ , is the surface area of the hole the Lithium is being forced through,  $\rho$ , is the density of liquid Li.



- As a droplet is charged, it will charge to the Rayleigh limit.
  - A droplet tends to have a spherical shape because of its surface tension.
  - As it charges up the repulsion between the ions may overcome the surface tension.
  - This will lead to a break up of the droplet into smaller ones.
- These two disruptive effects are equal at a characteristic droplet radius,  $R$  [2]

$$R = \frac{4\gamma}{(\epsilon_0 E^2)}$$

- where,  $E$ , is the maximum surface electric field
- The maximum specific charge as a function of radius is given by [3]

$$Q = \frac{6(\epsilon_0 \gamma)^{1/2}}{\rho R^{3/2}}$$

- This is for the parent droplet, where  $Q$  is the charge on the droplet.
- As this is overcome, the parent droplet will break up into smaller daughter droplets so as to conserve charge and volume.

- The number of droplets,  $N$ , that will break up from the parent drop is

$$N = \left( \frac{R}{r} \right)^3$$

- where,  $r$ , is the radius of the daughter droplets.
- Thus for a system where the parent drop has a radius of  $R = 1$  mm and the daughter droplets are 0.2 mm, there would be 125 droplets produced.
- Therefore the charge to mass ratio,  $\beta$ , with respect to droplet radius is

$$\beta = \frac{6(\epsilon_0 \gamma)^{1/2}}{m \rho r^{3/2}}$$

- Where,  $m$ , is the mass of a droplet.

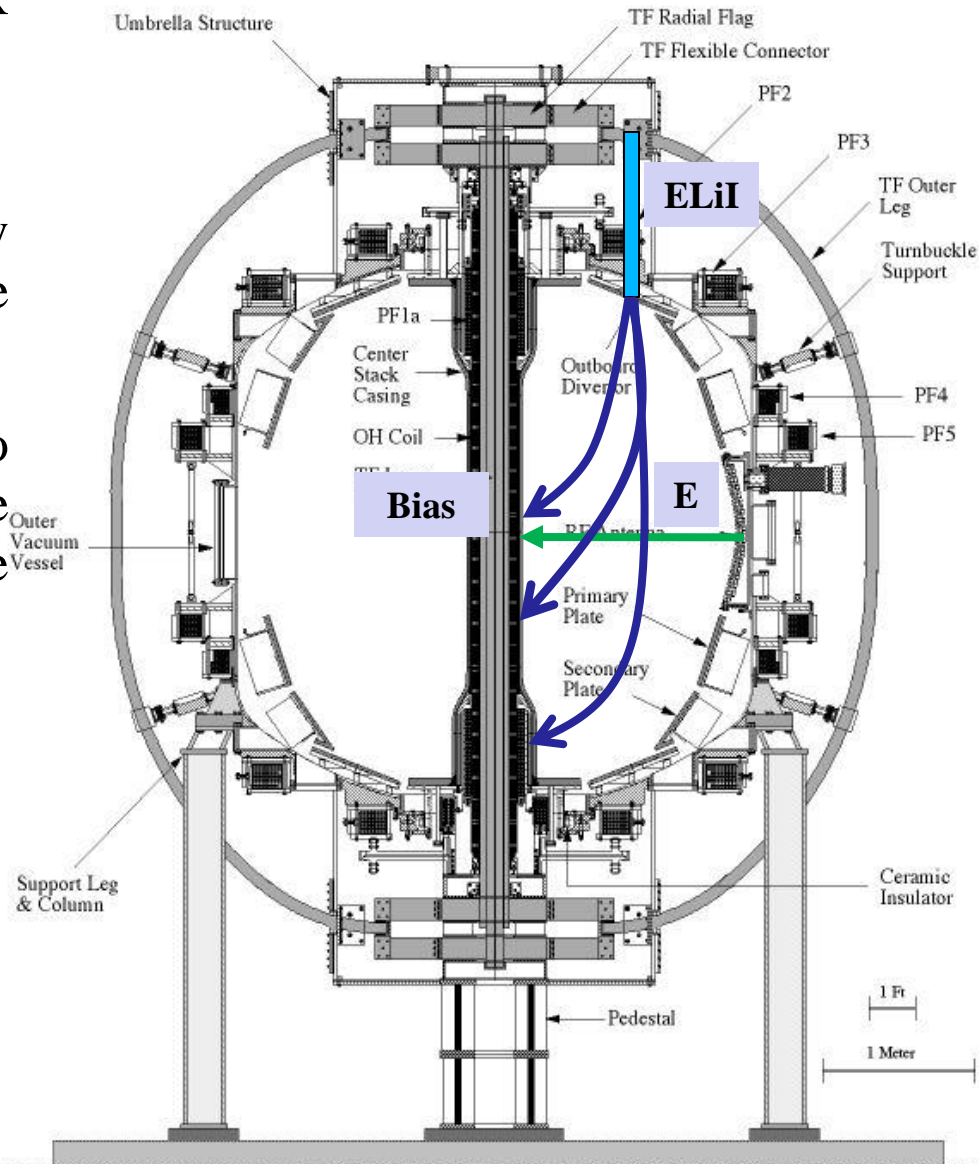
# Trajectory

- By biasing the center-stack on NSTX the particles will be attracted to it.
  - Between shots or before running
- Coat the surface of the center-stack by varying the bias or by changing the pressure in the dropper.
  - Solving for  $F = mg$  and  $F = qE = qV/d$
- Basic kinematics should be able to predict the path the particles will take and whether the center stack can be reached.
  - Solving for  $F = mg$  and  $F = qE = qV/d$

$$x = \frac{1}{2} \frac{qEt^2}{m} - v_0t$$

$$z = z_0 - \frac{1}{2} gt^2 - v_0t$$

- where  $z_0 = h$ , the height.



# Summary

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Parameter	Symbol	Ranges	Typical Value	Units
ELiI cross section	$A$	$3 \times 10^{-5} < A < 2 \times 10^{-3}$	$6.7 \times 10^{-5}$	$\text{m}^2$
Orifice cross section	$a$	$2 \times 10^{-5} < a < 4 \times 10^{-6}$	$3.2 \times 10^{-6}$	$\text{m}^2$
Radius of parent	$R$	$500 \times 10^{-6} < R < 2 \times 10^{-3}$	$1 \times 10^{-3}$	$\text{m}$
Radius of daughter	$r$	$1 \times 10^{-6} < r < 200 \times 10^{-6}$	$100 \times 10^{-6}$	$\text{m}$
Surface Tension	$\gamma$	$0.2 < \gamma < 0.4$ [5]	0.32 (@250 °C) [4]	N/m
Pressure	$P_0$	$150 < P_0 < 350 \times 10^3$	$40 \times 10^3$	Pa
Density	$\rho$	-	512 (liquid)	$\text{Kg/m}^3$
Initial velocity	$v$	$0 < v < 2$	0.6	m/s

$$v^2 = \frac{2P_0}{\rho \left( \frac{A}{a} - 1 \right)^2}$$

$$R = \frac{4\gamma}{(\epsilon_0 E^2)}$$

$$Q = \frac{6(\epsilon_0 \gamma)^{1/2}}{\rho R^{3/2}}$$

$$\beta = \frac{6(\epsilon_0 \gamma)^{1/2}}{m \rho r^{3/2}}$$

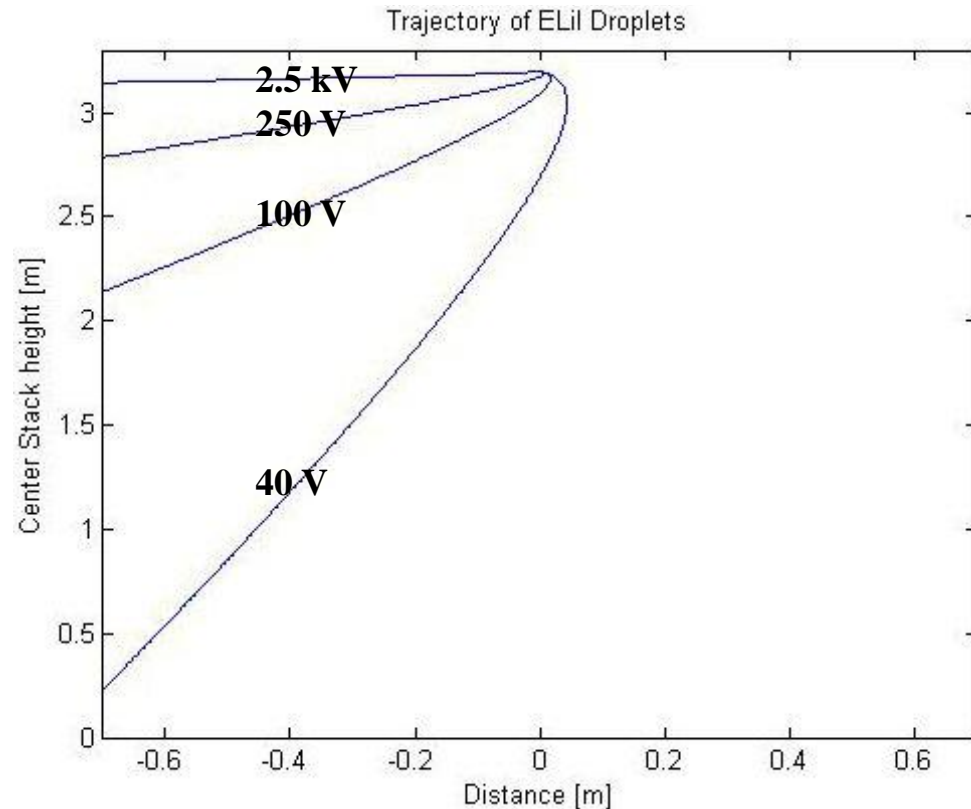
$$x = \frac{1}{2} \frac{qEt^2}{m} - v_0 t$$

$$z = z_0 - \frac{1}{2} g t^2 - v_0 t$$

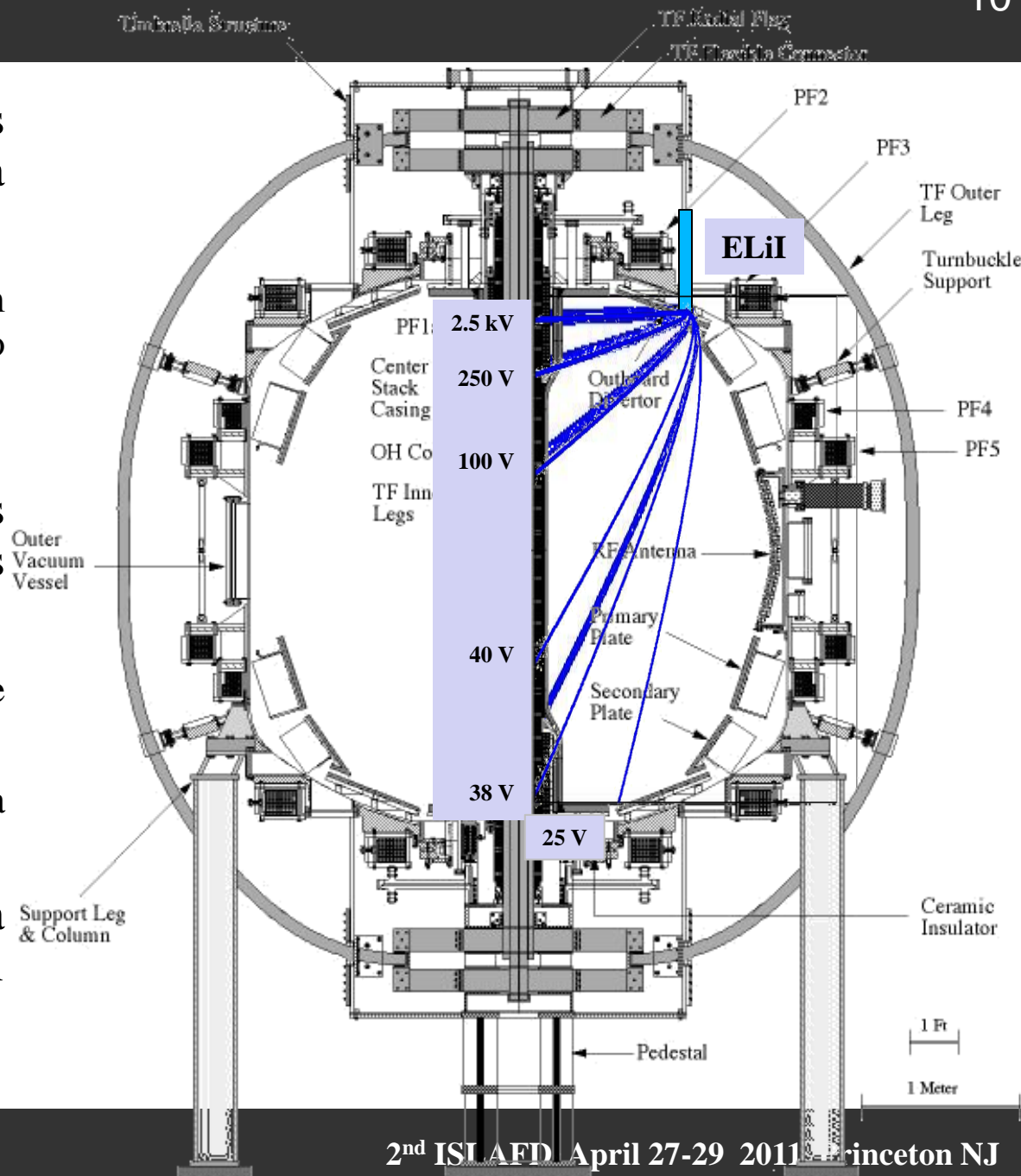


# 3. Results – Modeling Trajectory

- Using the typical values in the previous slide an estimate of the path a droplet will take can be made.
- For a 1/2" tube with a 0.08" orifice
  - $v = 0.6$  m/s
  - A parent droplet with a diameter of 2 mm will charge up to 311.96  $\mu\text{C}$
  - If the daughter droplets are 200  $\mu\text{m}$  in diameter then there will be  $N = 1000$  droplets
- Bias voltage on the center-stack:
  - $V = 40$  V
  - E-field  $\rightarrow E_{bias} = 38.6$  V/m
- Results show that this will be the lower limit of where the droplets will go.
  - By sweeping the bias voltage on the center-stack, it can be "*Painted*" by ELiI



- If the results from the previous slide are superimposed onto a cross section of NSTX
  - See that the voltage sweep from 40 V - 2500 V is enough to “Paint” the center-stack.
    - ❖  $v = 60$  cm/s in this example
- The minimum voltage bias needed on the center-stack is only  $V_{min} = 38$  V
  - Lower voltages will cover the divertor.
  - Potential to be able to cover a large array of surfaces.
- ELiI shows great potential as a complimentary tool for LITER



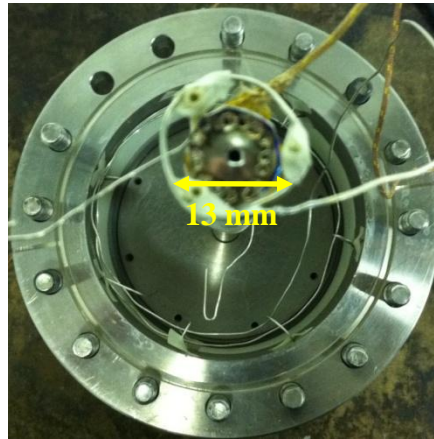
- ELiI Prototype specifications

- 0.5 inch tube used
- Heating wire wrapped around tube
  - ❖ Isolated with kapton tape
- Thermocouple is used to measure the temperatures
- An orifice made from SS shim is spot welded onto the end of the tube

- Ceramic rods

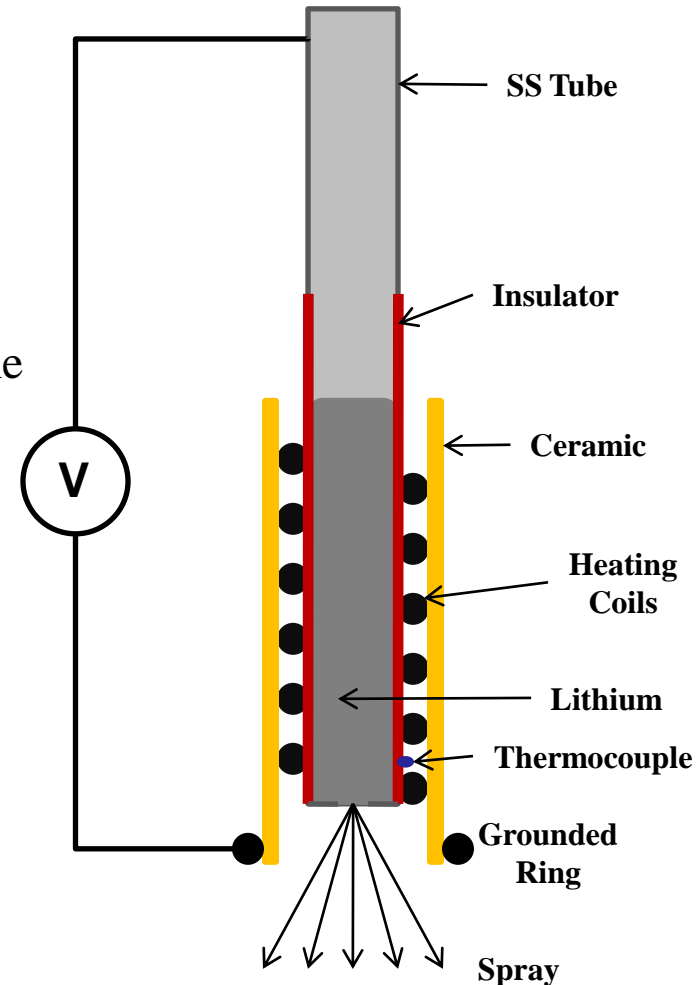
- Used to keep away from heating coils
- Provide a spacer for the distance from the biased tube

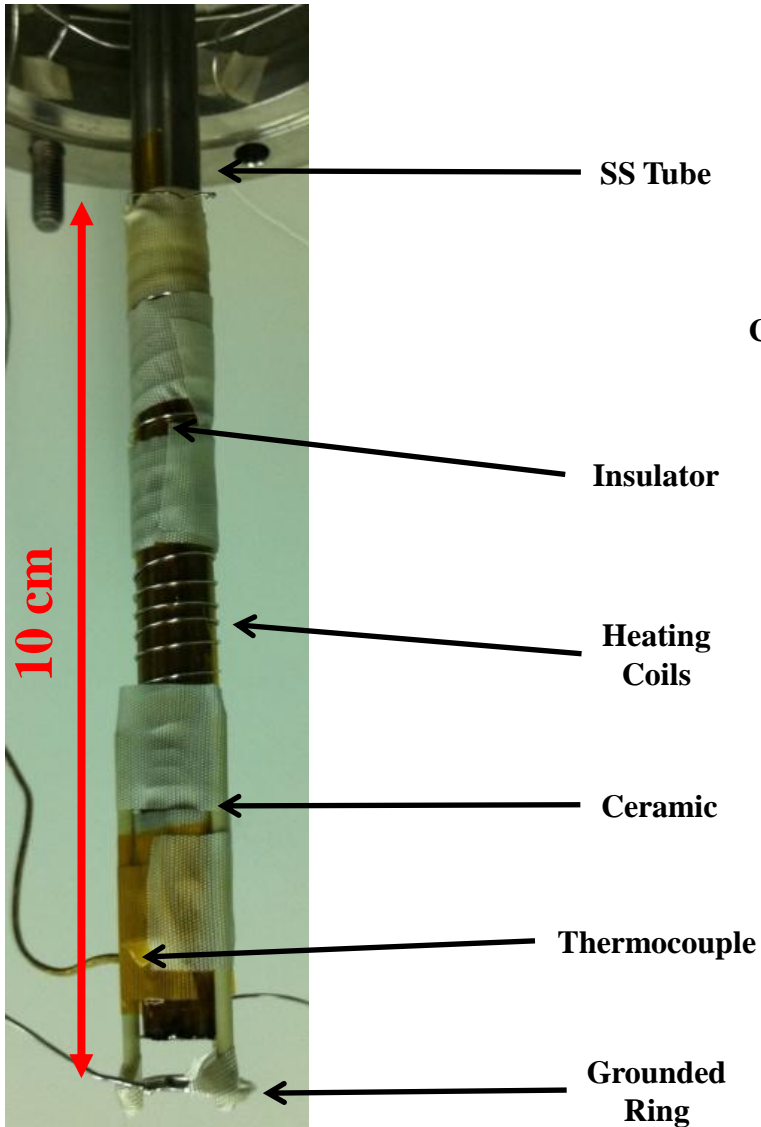
- Voltage of up to  $V = 2000\text{ V}$  can be provided



Top: View of ELiI from the top

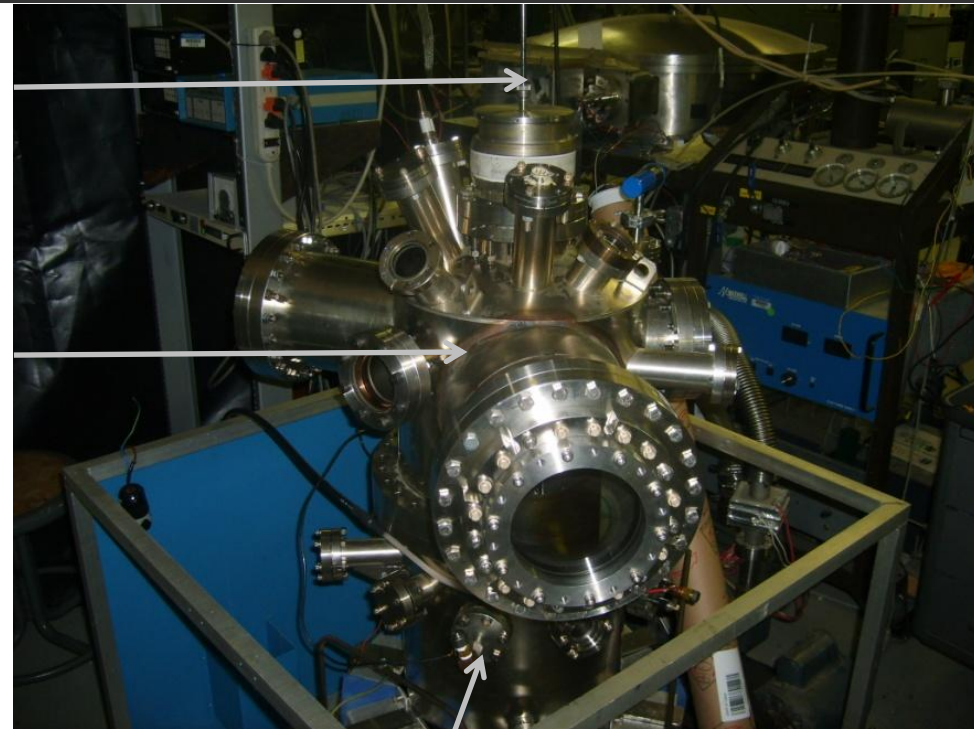
Left: side on view of ELiI





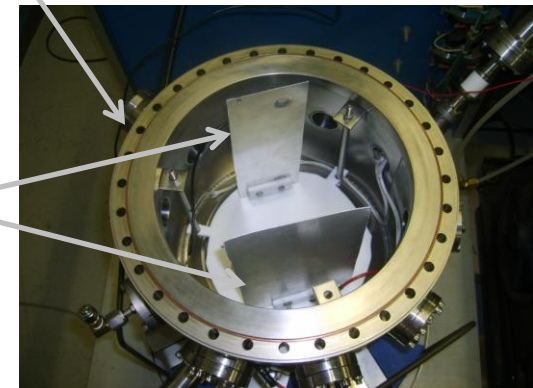
**ELiI  
Tube**

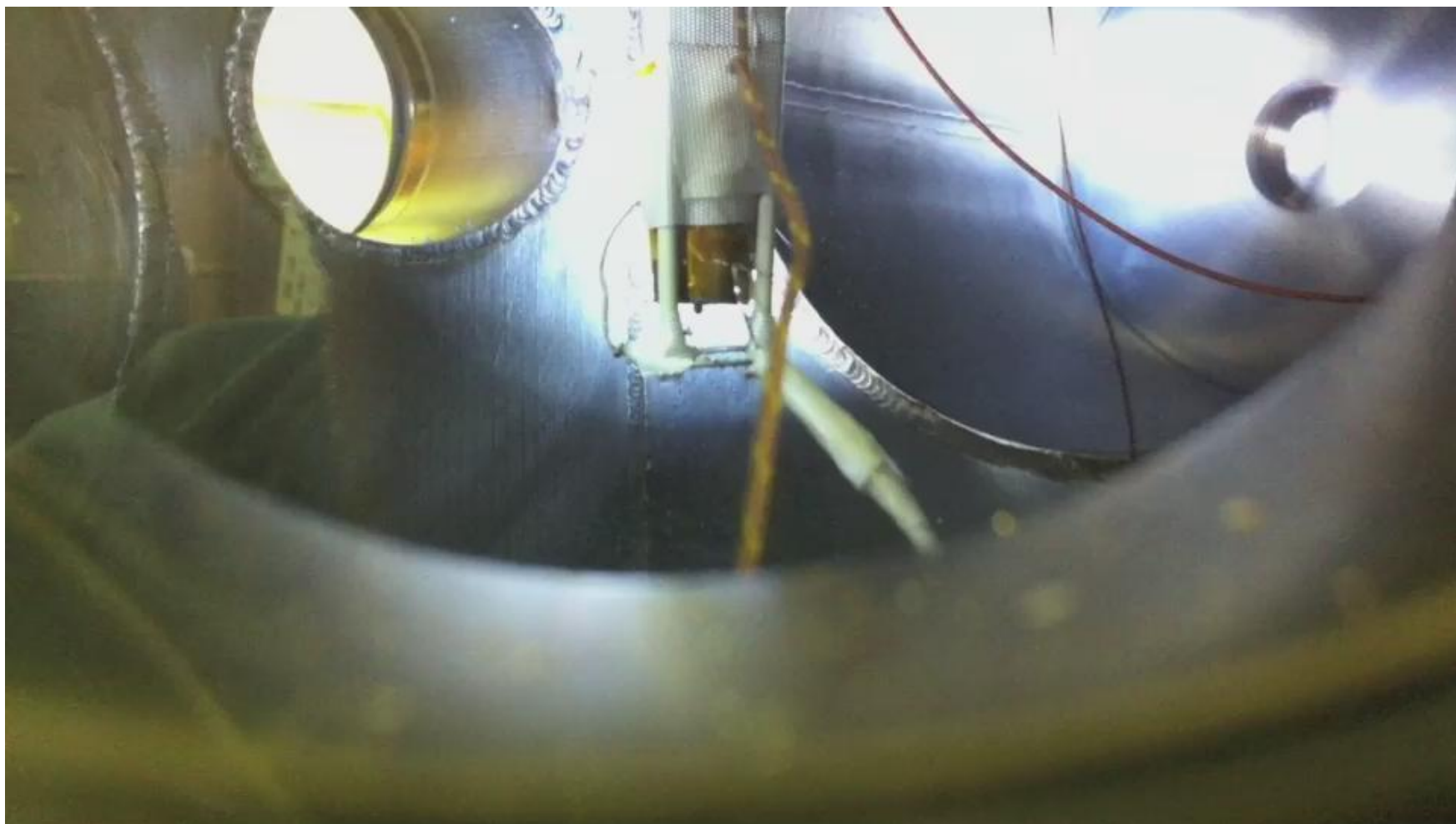
**ELiI  
Chamber**



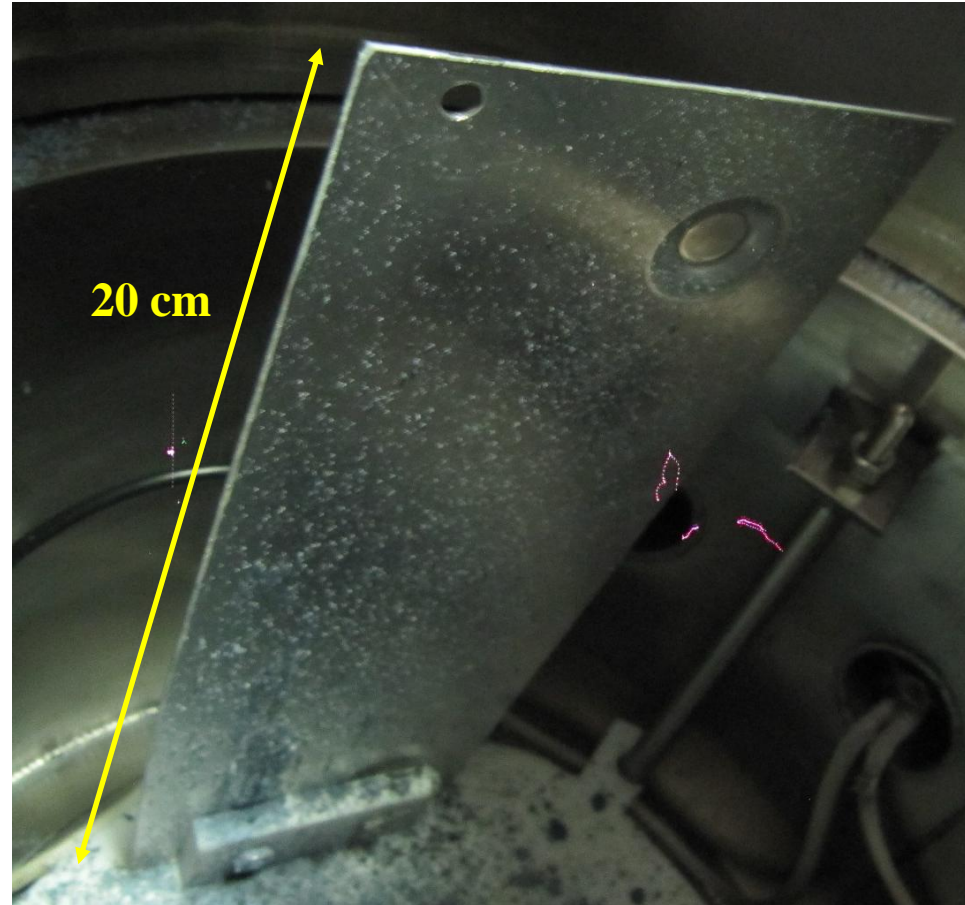
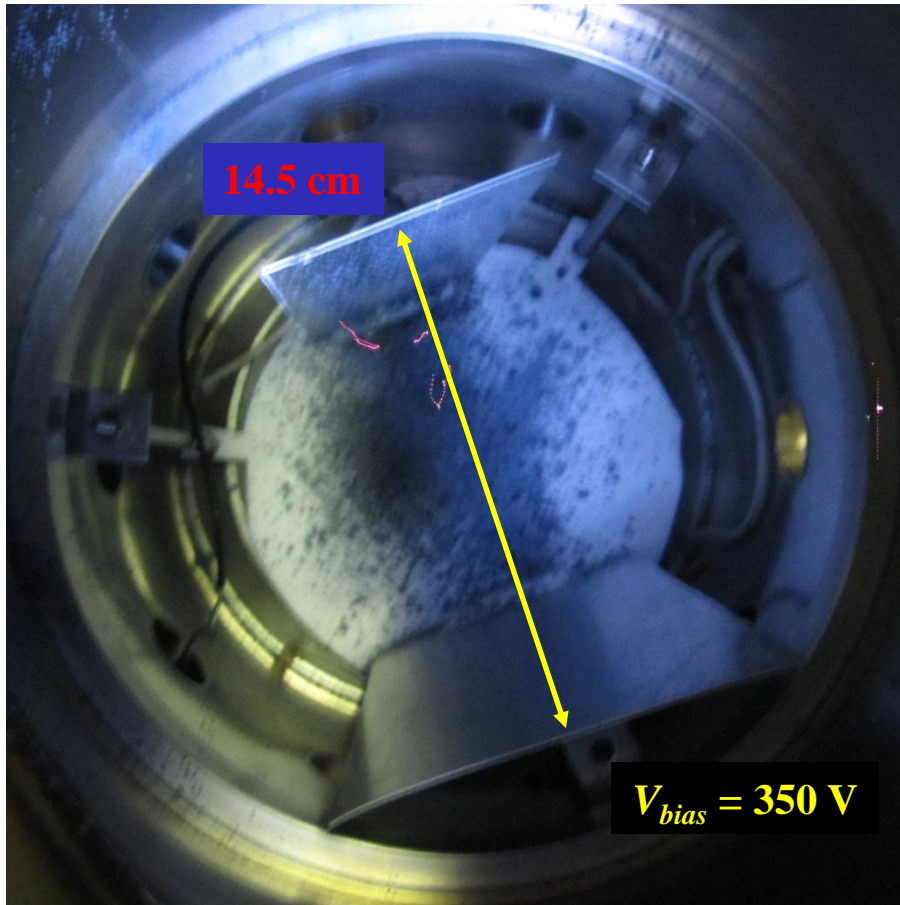
**Plate  
Chamber**

**Bias  
Plates**



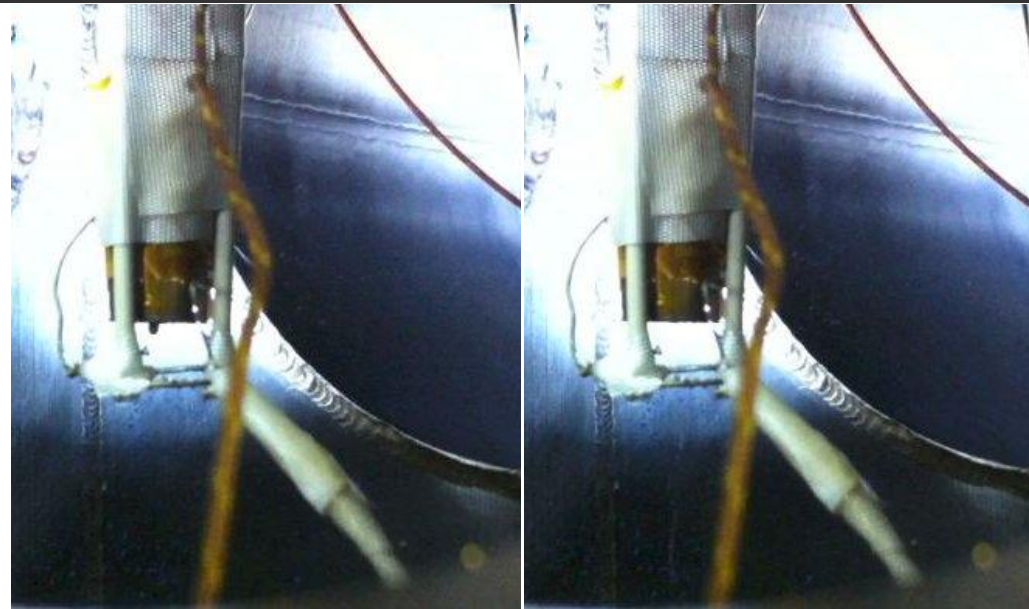






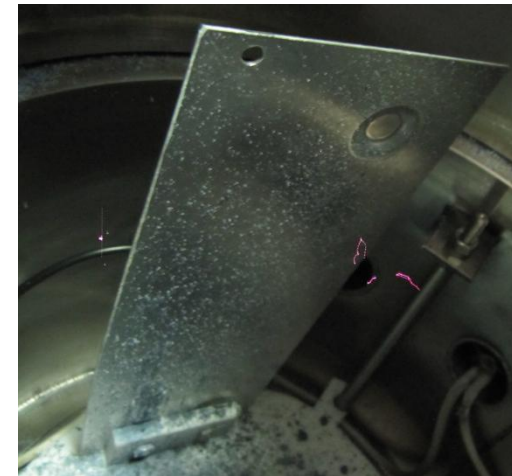
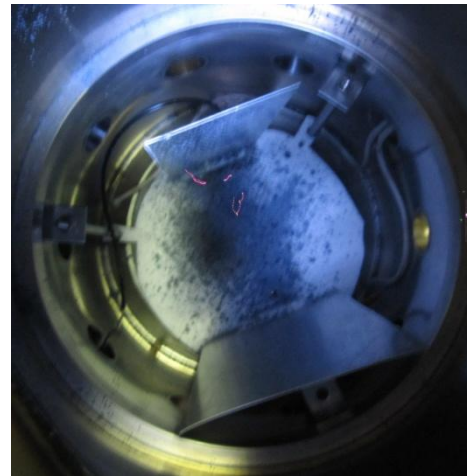
## ● Proof of concept experiments:

- As the voltage is increased
  - ❖ droplets seem to decrease.
  - ❖ As droplet charges up, breaks up and a spray develops.
- Voltage switched off:
  - ❖ Droplet size grew and no spray observed.
- Biasing of the plates shows that the droplets are attracted to the -ve side
  - ❖ More evidence for charging



## ● Modeling:

- Biasing of target PFC can effectively “Paint” them.
  - ❖ NSTX center-stack biased up to  $V=2.5$  kV, can easily be covered by ELiI



## ● Conclusions of initial results:

- Electrostatic Lithium Injector is a **very real possibility** as a way to cover a fusion machines PFC with lithium.



# Droplets



- Parameters:
  - Li temperature  $T_{Li} \approx 220$  °C
  - Backing pressure  $P_o = 3.5$  atm
  - Initial velocity measured  $v \approx 60$  cm/s
- The particles that sprayed out collected on the wall and plates.
- The particles were quite small:
  - $D \approx 50$   $\mu\text{m}$  -  $1000$   $\mu\text{m}$



**Above:** Lithium particles that have deposited on the wall of vacuum vessel.

**Left:** Some examples of the sprayed particles from ELiI.

- An Electrostatic Lithium Injector has started to be developed
  - Based on the Electro-Spray Concept
  - Envisaged to be used to cover the center-stack of NSTX
- Initial modeling shows that the concept can indeed work within the parameters of NSTX biasing and design of ELiI
  - Sweeping Voltage can “**Paint**” the center Stack
- Initial results show that a droplet and spray can be produced.
  - A spray is initiated as it passes through a ring that is grounded w.r.t. the tube
    - ❖ Droplet formation could also produce a powder of lithium
- **Future work**
  - Produce a more robust design
  - Base the orifice on an optimized Taylor Cone
  - Biasing of components to show the spray is being deflected by an E-field

## References

1. M. Nieto-Perez, *PhD Thesis*, Uni. Illinois, (2004).
2. A. J. Kelly, *J. Aerosol Science*, Vol. 25, No 6, pp 1159-1177, 1994.
3. R. Pfeifer & C. Hendricks, *Phys. Of Fluids*, Vol. 10, No 10, 2149-2154, 1967.
4. M. Jaworski, *PhD Thesis*, Uni. Illinois, (2010).
5. K. A. Yakimovich & A. G. Mozgovi, *High Temperature*, Vol. 38, No. 4, pp 657-659, 2000

