

SOL width decay lengths in NSTX

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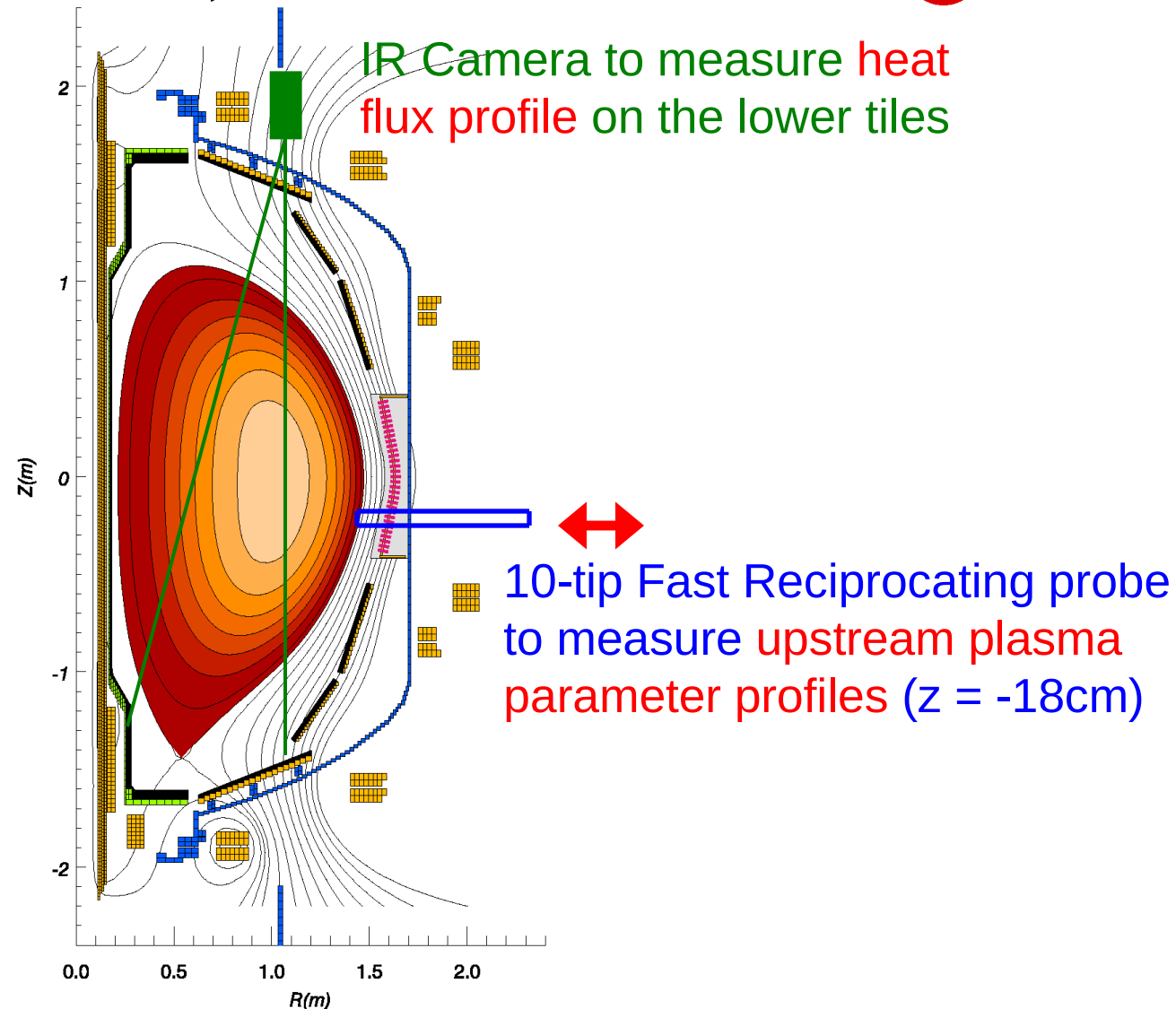
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Analysis of SOL decay lengths in both near and far SOL regions

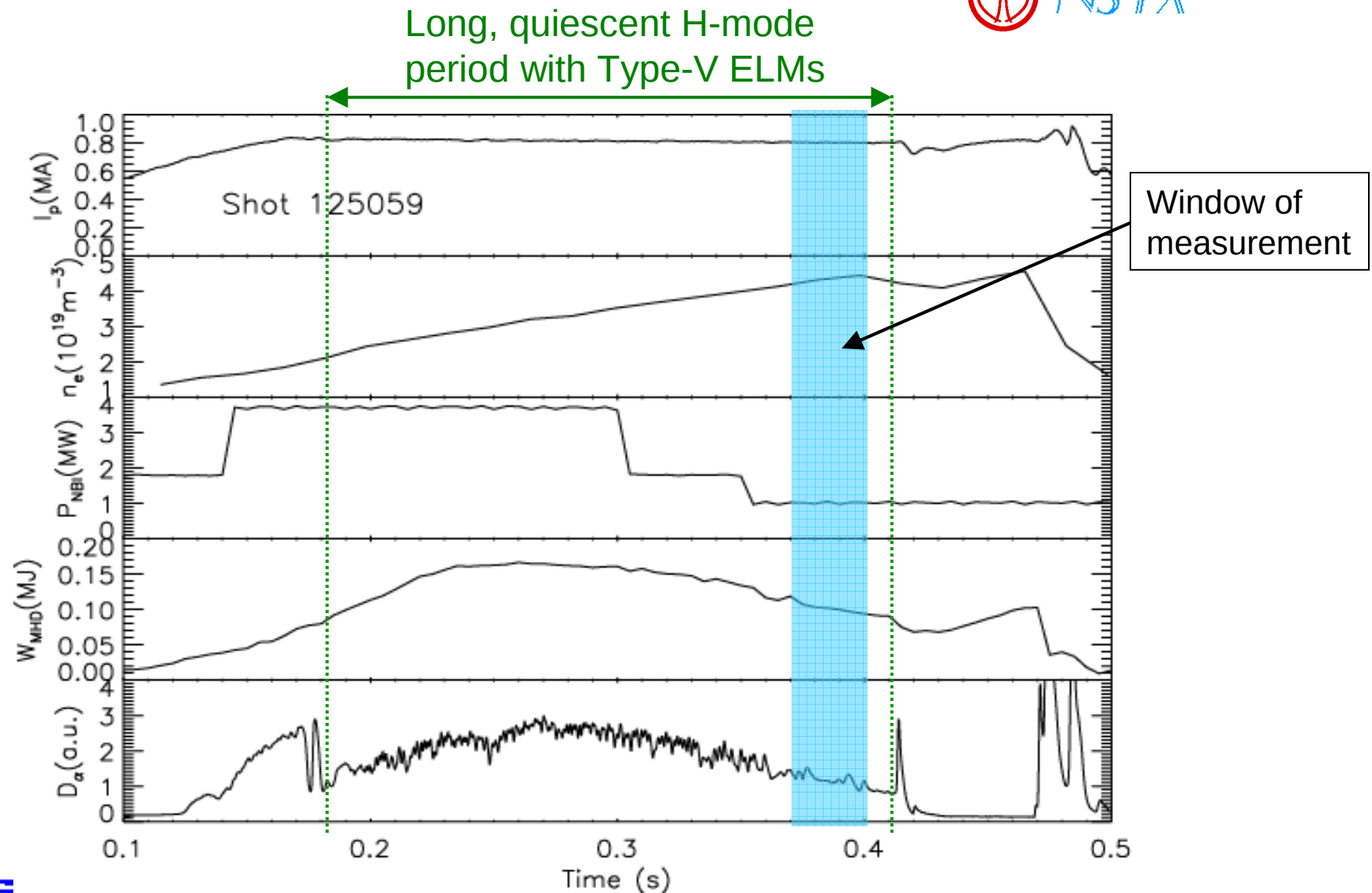
Poloidal cross-section of NSTX



Shot= 125059, time= 300



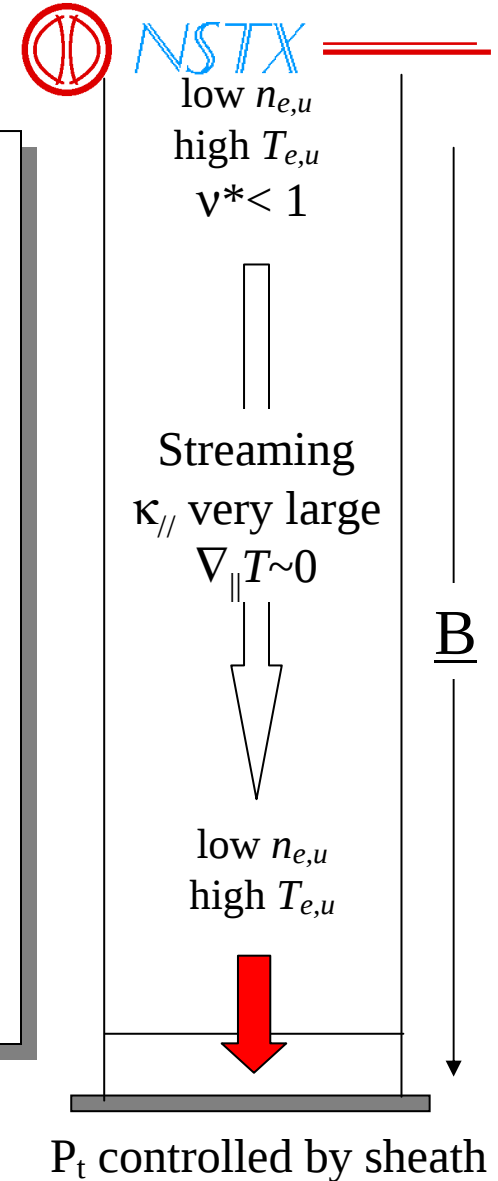
Time trace of discharge parameters



The sheath-limited regime

Consider low upstream density conditions -

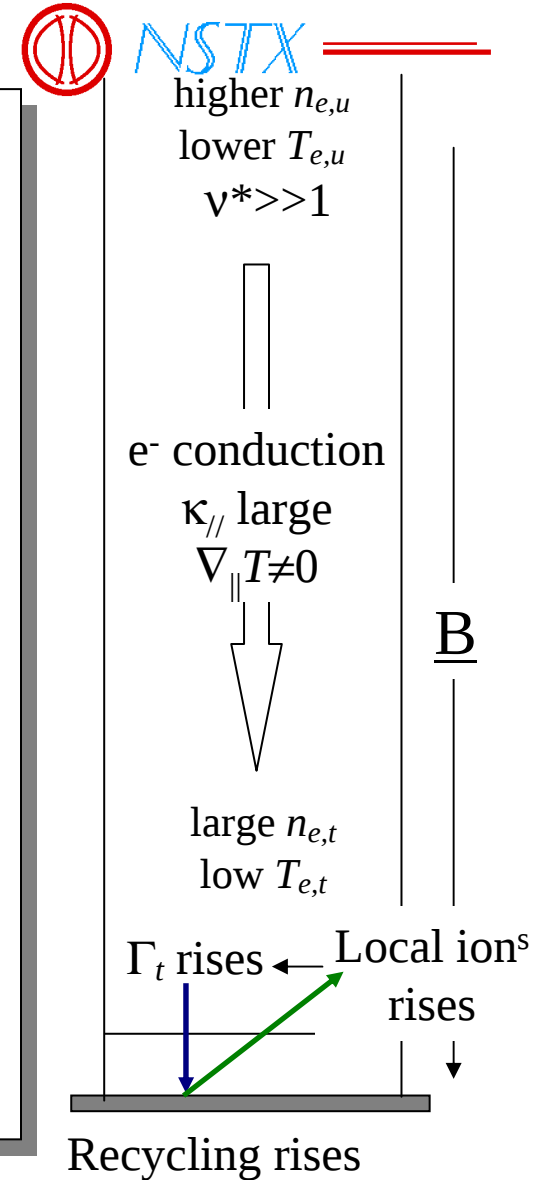
- $n_{e,u}$ low $\Rightarrow$ upstream temperature $T_{e,u}$ high
- e-e collisional mean free path, $\lambda_{ee} \propto T_e^2/n_e$ is long compared to distance along field lines to target, $L_{||}$
 $\Rightarrow$ low collisionality, $\nu^*(= L_{||}/\lambda_{ee}) < 1$
- Power carried along SOL by streaming
 $\Rightarrow$ heat conductivity $\kappa_{||}$ very large, small temperature gradients along SOL ($\nabla_{||} T \sim 0$)
- Plasma pressure ($p \sim nk(T_e + T_i) + mnv^2$) constant along SOL ($\nabla_{||} p \sim 0$)
 $\text{high } T_{e,u} \Rightarrow \text{high target temperatures } T_t$
- Power to target, P_t , controlled by sheath



The conduction-limited regime

As upstream density rises -

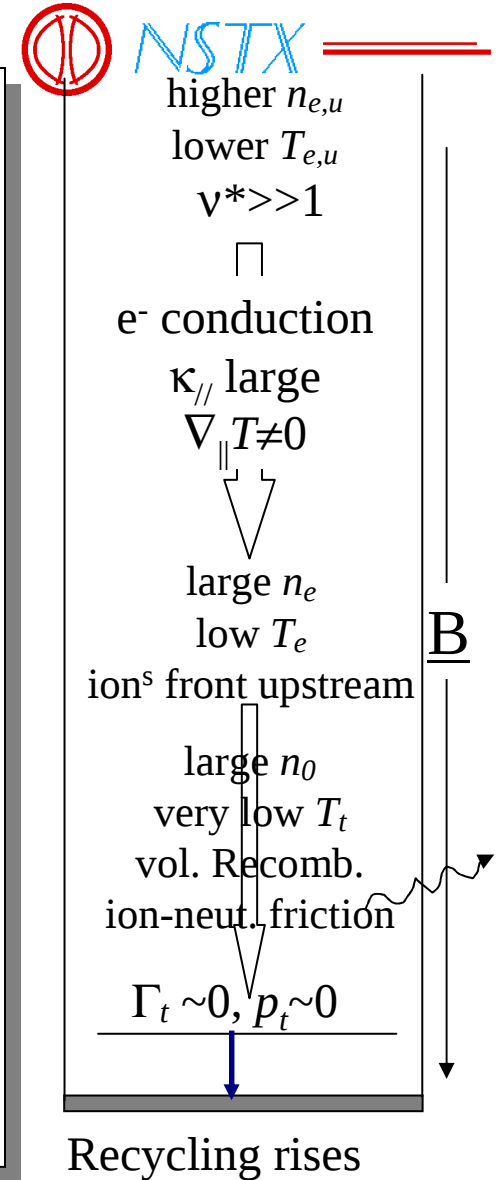
- $n_{e,u}$ rises $\Rightarrow T_{e,u}$ falls
- λ_{ee} shortens and $v^* \gg 1$
- Streaming replaced by e^- conduction
 - $\Rightarrow$ heat conductivity $\kappa_{||}$ falls, temperature gradients develop along SOL ($\nabla_{||} T \neq 0$)
 - $\Rightarrow T_t$ falls even more than $T_{e,u}$
- Plasma pressure still conserved $\nabla_{||} p \sim 0$
 - $\Rightarrow n_t$ rises significantly, ionisation m.f.p. λ_{ion} falls
- Ion flux to target Γ_t rises
 - $\Rightarrow$ recycling (release of neutrals by ion impact) increases
- $\lambda_{ion} < \text{scale length of SOL}$
 - $\Rightarrow$ ionisation near target increases, further raising Γ_t



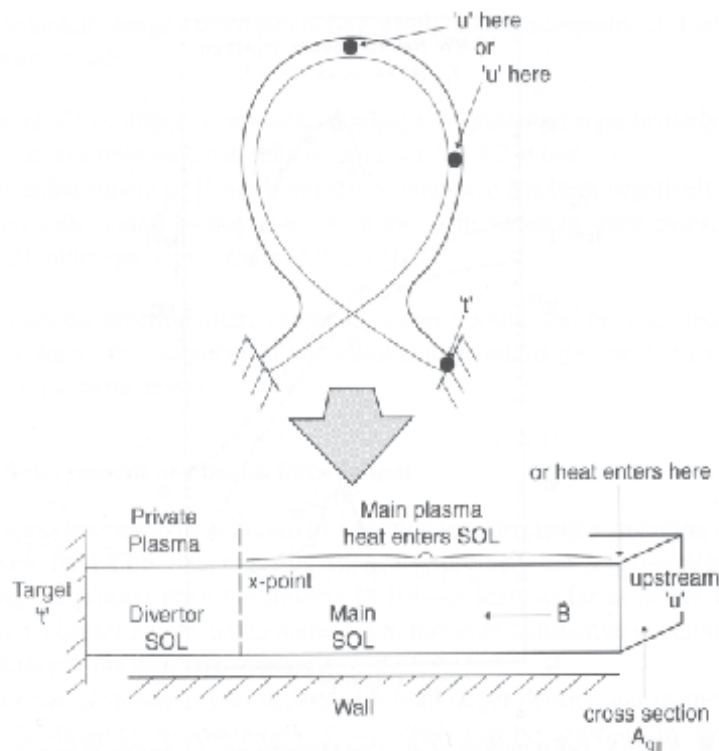
The detached regime

At still higher upstream density -

- T_t falls to $\sim 5\text{eV}$
 - $\Rightarrow$ local radiation losses dramatically increase
 - $\Rightarrow$ cools T_t still further, to $\sim 1\text{eV}$ or less
- Ionisation front moves up to higher temperature region
 - $\Rightarrow$ ionisation near target falls
- Volume recombination begins close to target
 - further increasing the neutral density
 - removing energy through neutral losses
- At high enough neutral densities
 - ion-neutral friction removes momentum from flowing ions
 - $\Rightarrow$ plasma pressure falls near target ($\nabla_{\parallel} p \neq 0$), $p_t \sim 0$
 - $\Rightarrow$ ion flux to target falls, $\Gamma_t \sim 0$



The two-point model (2PM)



§ 0D divertor model
 § Simply relating upstream parameters ('u', $T_{e,u}$, $n_{e,u}$, etc) to the target ones ('t', $T_{e,t}$, $n_{e,t}$, etc)
 § No attempt to model parallel variation of T_e , n_e



$$2n_t T_t = n_u T_u \quad \text{Pressure balance}$$

$$T_u^{7/2} = T_t^{7/2} + \frac{7}{2} \frac{q_{\parallel} L_c}{\kappa_{0e}} \quad \text{Power balance}$$

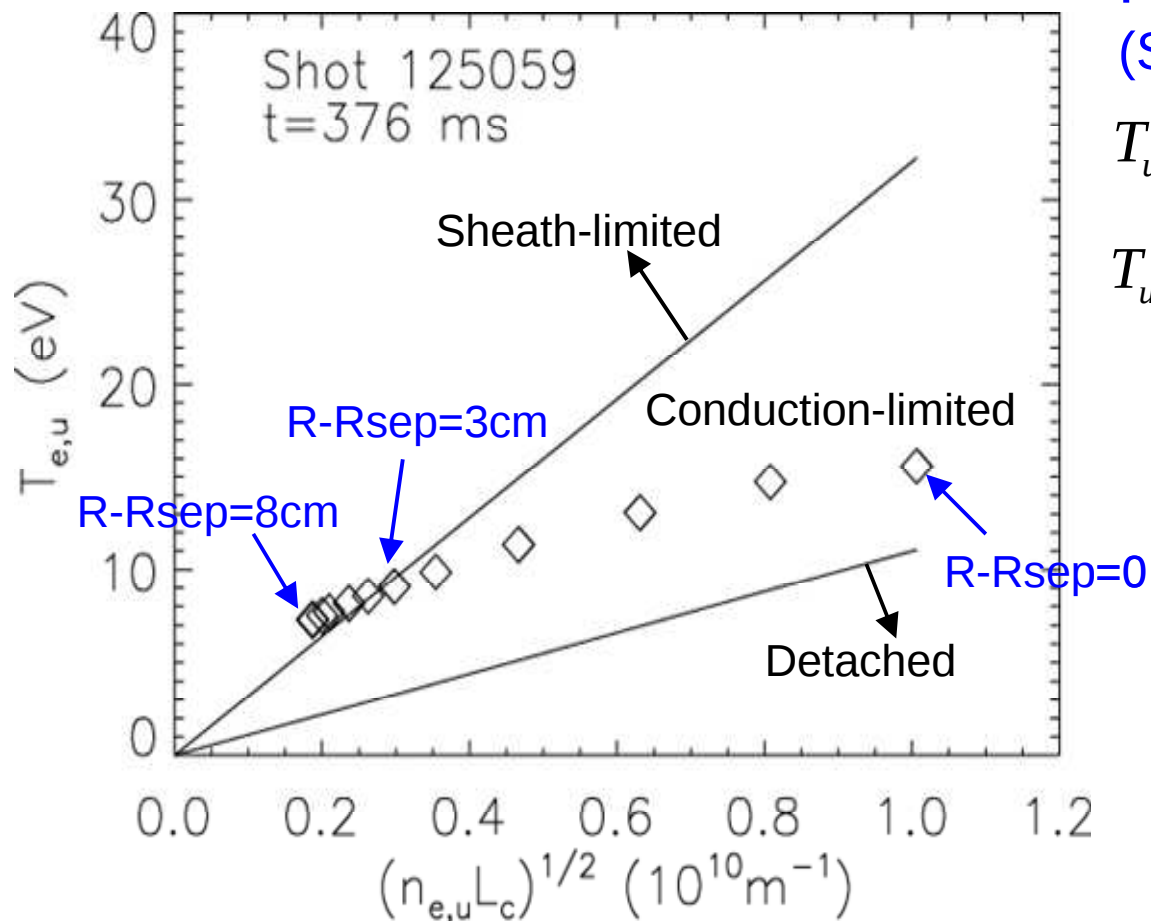
$$q_{\parallel} = \gamma n_t k T_t c_{st} \quad \text{Power across the sheath}$$

Figure from "The Plasma Boundary of Magnetic Fusion Devices",
 P.C.Stangeby, IoP Publishing (2000)

NSTX Near SOL in conduction-limited regime



SOL plasma regime judged from the upstream temperature and density, T_{eu} and n_{eu} , and the parallel connection length, L_c



From the 2PM analysis
(S.K.Erents, Nucl. Fusion 2000)

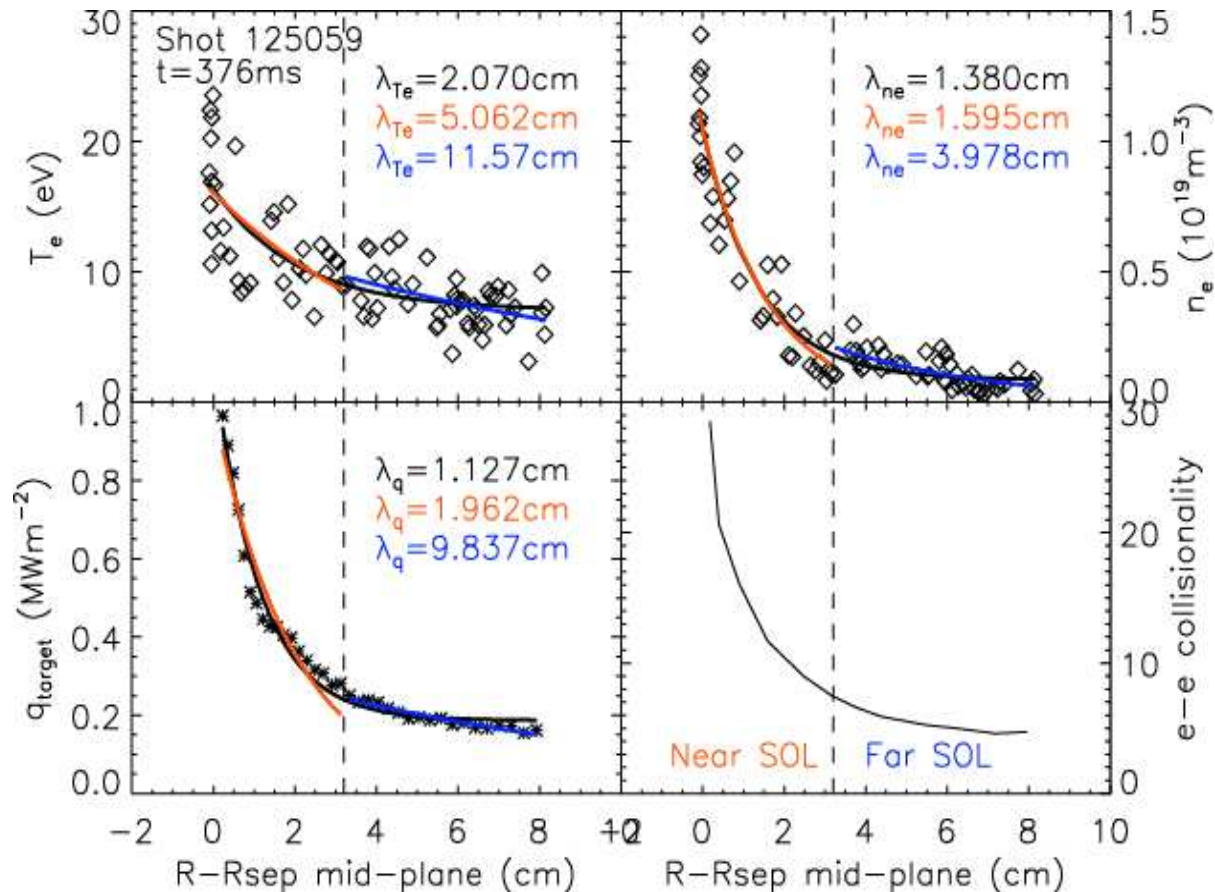
$$T_u|_{cond \leftrightarrow sh} \approx 3.2 \times 10^{-9} (n_u L_c)^{1/2}$$

$$T_u|_{cond \leftrightarrow det} \approx 1.1 \times 10^{-9} (n_u L_c)^{1/2}$$

Near SOL ($R-Rsep \leq 3cm$)
conduction-limited regime

Far SOL ($R-Rsep \geq 3cm$)
sheath-limited regime

NSTX SOL parameter profiles



§ T_e , n_e , and v_{ee}^* :
probe measurement

§ q_{target} :
IR measurement

§ All profiles mapped to
the mid-plane

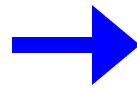
- Offset exponential fitting to the whole profile
- Simple exponential fitting to the near SOL profile
- Simple exponential fitting to the far SOL profile

Conventional λ_{Te}/λ_q ratio in conduction-limited regime



Assume $\parallel$ electron conduction dominates the SOL transport

$$q_{\parallel} \approx q_{\parallel}^e = -\kappa_0 T_e^{5/2} \frac{dT_e}{ds_{\parallel}}$$



$$T_e \sim \left(\frac{7}{2} \frac{q_{\parallel} L_c}{\kappa_0} \right)^{2/7}$$

Electron heat conduction equation

If there exists significant $\nabla_{\parallel} T_e$

Assume simple exponential profiles

$$T_e = T_{e0} \exp\left(-\frac{R - R_{sep}}{\lambda_{Te}}\right)$$

$$q_{target} = q_0 \exp\left(-\frac{R - R_{sep}}{\lambda_q}\right)$$

$$\lambda_{Te} = \frac{7}{2} \lambda_q$$

The observed λ_{Te}/λ_q ratio for the whole profile is not 7/2



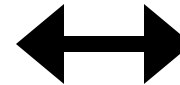
Observation

Profiles follow approximately offset exponential function

$$\text{Use } a = a_1 + a_0 \exp\left(-\frac{R - R_{sep}}{\lambda_a}\right)$$

to fit T_e and q_{target} profiles

$$\lambda_{Te}/\lambda_q \sim 1.8$$



Conventional prediction

$\lambda_{Te}/\lambda_q = 7/2$
is expected for
conduction-limited
regime from 2PM

λ_{Te}/λ_q ratio for the near SOL is closer to 7/2



Observation

The near SOL ($0 \leq R - R_{sep} \leq 3\text{cm}$) is expected to be dominated by conduction, thus in the **conduction-limited regime**

Use simple exponential

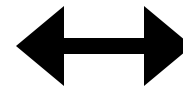
$$a = a_0 \exp\left(-\frac{R - R_{sep}}{\lambda_a}\right)$$

to fit T_e and q_{target} profiles

$$\lambda_{Te}/\lambda_q \sim 2.6$$

Conventional prediction

$\lambda_{Te}/\lambda_q = 7/2$
is expected for
conduction-limited regime from 2PM

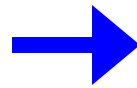


Offset exponential function put in the conduction equation



Assume $\parallel$ electron conduction dominates the SOL transport

$$q_{\parallel} \approx q_{\parallel}^e = -\kappa_0 T_e^{5/2} \frac{dT_e}{ds_{\parallel}}$$



$$T_e \sim \left(\frac{7}{2} \frac{q_{\parallel} L_c}{\kappa_0} \right)^{2/7}$$

Electron heat conduction equation

If there exists significant $\nabla_{\parallel} T_e$

Assume offset exponential profiles

$$T_e = T_{e1} + T_{e0} \exp\left(-\frac{R - R_{sep}}{\lambda_{Te}}\right)$$

$$q_{target} = q_1 + q_0 \exp\left(-\frac{R - R_{sep}}{\lambda_q}\right)$$



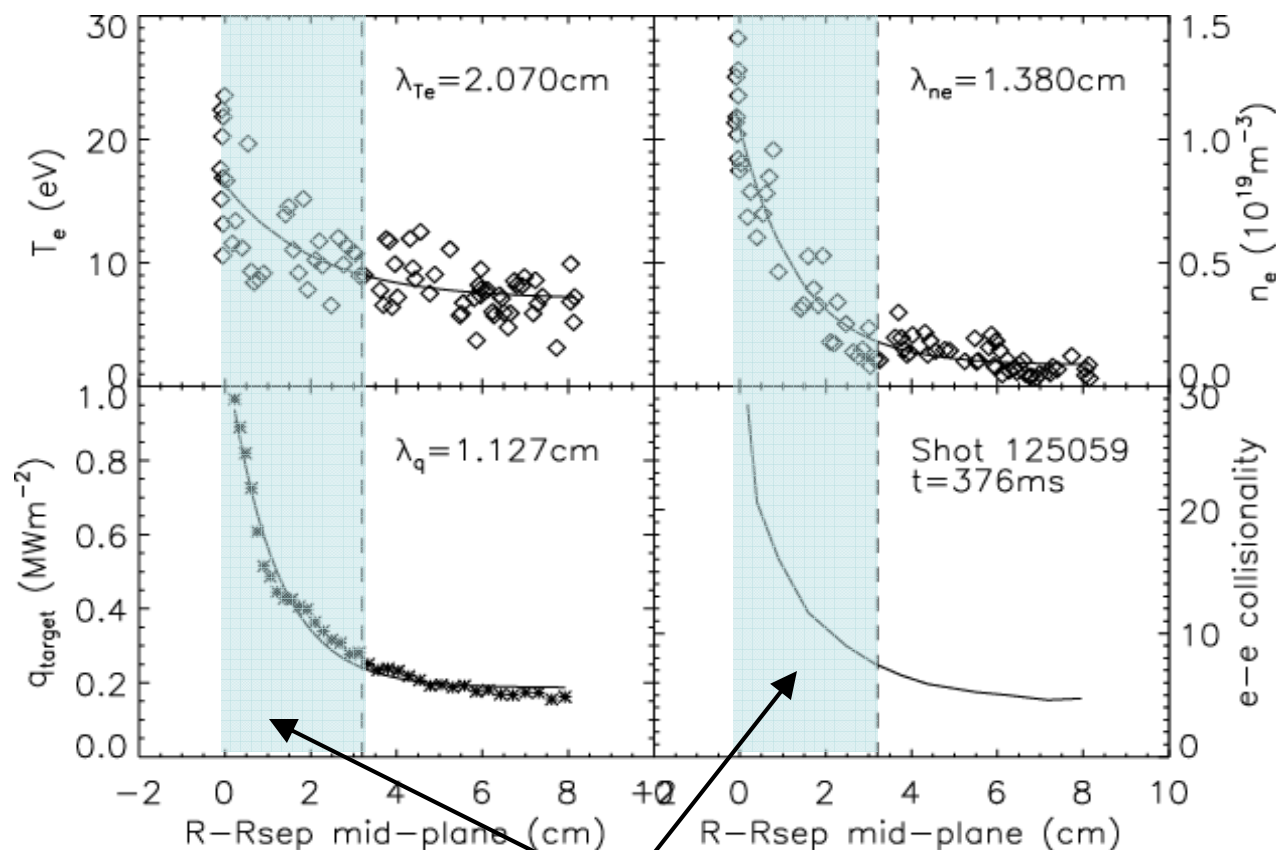
$$\lambda_{Te} = \frac{7}{2} \lambda_q \left(\frac{T_e - T_{e1}}{T_e - C q_1 T_e^{-5/2}} \right)$$

$$\text{where, } C = \frac{7}{2} \frac{L_c}{\kappa_0}$$

Additional λ_{Te}/λ_q ratio factor well matches experiment



Profiles fitted to the offset exponential function



Observation

$$\lambda_{Te}/\lambda_q = 1.84$$



Prediction

$$\left(\frac{T_e - T_{e1}}{T_e - Cq_1 T_e^{-5/2}} \right) = 0.63$$

$$\lambda_{Te}/\lambda_q = 2.21$$

Additional factor, $\left(\frac{T_e - T_{e1}}{T_e - Cq_1 T_e^{-5/2}} \right)$, tested in the near SOL

Conventional λ_{Te}/λ_q ratio in sheath-limited regime



Electron energy balance equation

$$L_c \frac{d}{dr} \left[n \chi_{\perp} \frac{d(kT_e)}{dr} + \frac{5}{2} kT_e D_{\perp} \frac{dn}{dr} \right] = \frac{1}{2} n c_s \gamma_s^e kT_e$$

Power flow into the SOL

Power reaching target
through the sheath

Assume simple
exponential profiles

$$T_e = T_{e0} \exp\left(-\frac{R - R_{sep}}{\lambda_{Te}}\right) \quad q_{target} = q_0 \exp\left(-\frac{R - R_{sep}}{\lambda_q}\right)$$

$$\frac{1}{\lambda_q} = \frac{1}{\lambda_n} + \frac{3}{2\lambda_{Te}}$$

λ_{Te}/λ_q ratio for the far SOL is far from prediction



NSTX

Observation

The far SOL ($R - R_{sep} \geq 3\text{cm}$) is expected to be in the **sheath-limited regime** from the conventional categorization

Use simple exponential

$$a = a_0 \exp\left(-\frac{R - R_{sep}}{\lambda_a}\right)$$

to fit T_e and q_{target} profiles

$$\lambda_q = 10\text{cm}$$

Conventional prediction

$\lambda_q = 2.6\text{cm}$
is expected for
sheath-limited regime from 2PM



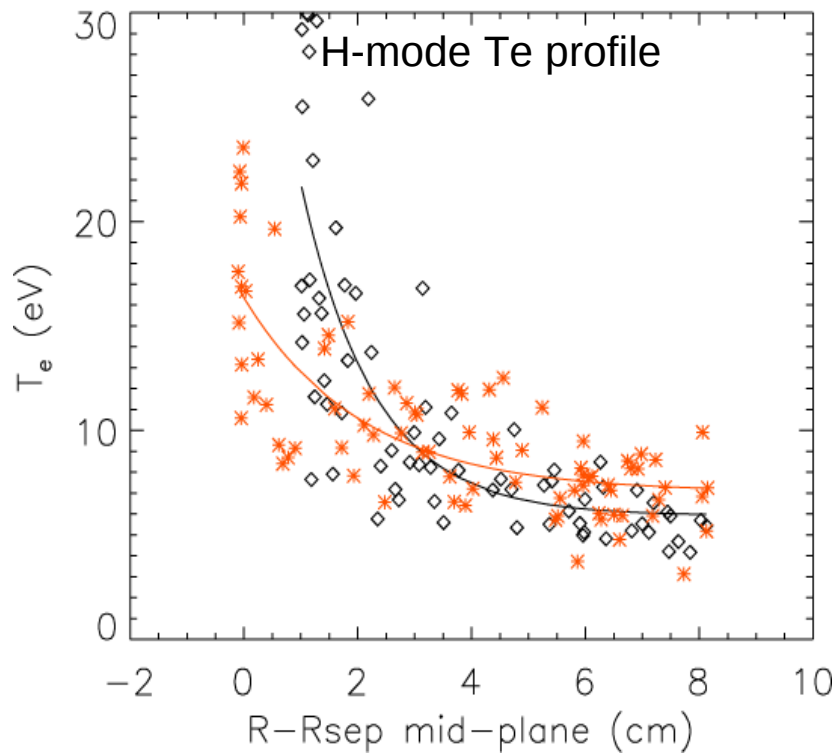
SOL decay length dependence on plasma conditions

SOL width decreases with increasing I_p



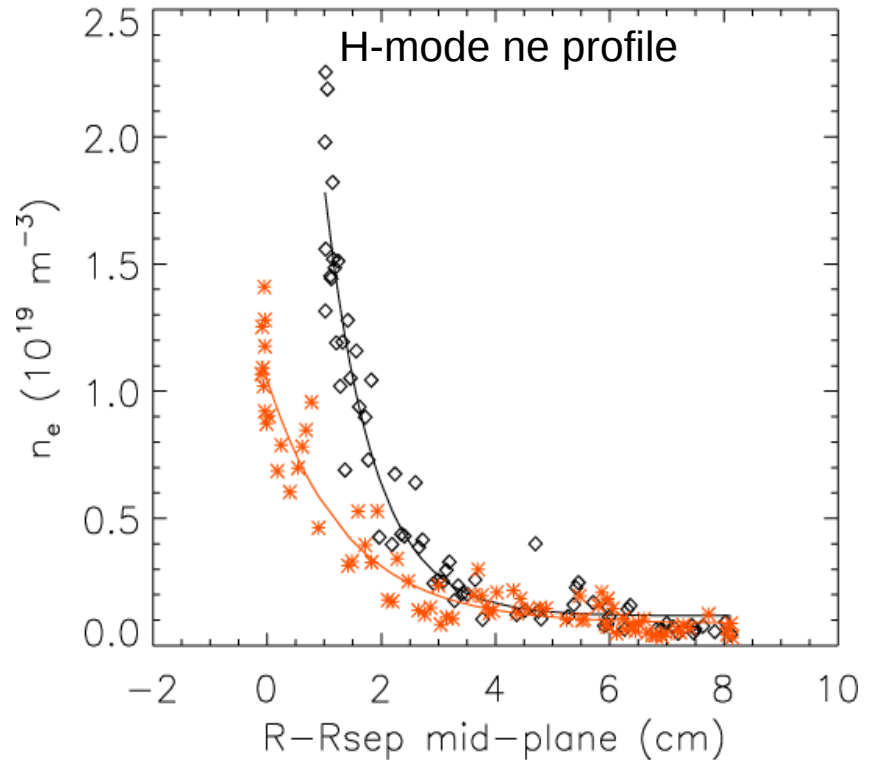
125059, $I_p=800\text{kA}$, $\lambda_{Te}=2.07\text{cm}$

125069, $I_p=900\text{kA}$, $\lambda_{Te}=1.28\text{cm}$



125059, $I_p=800\text{kA}$, $\lambda_{ne}=1.38\text{cm}$

125069, $I_p=900\text{kA}$, $\lambda_{ne}=0.84\text{cm}$

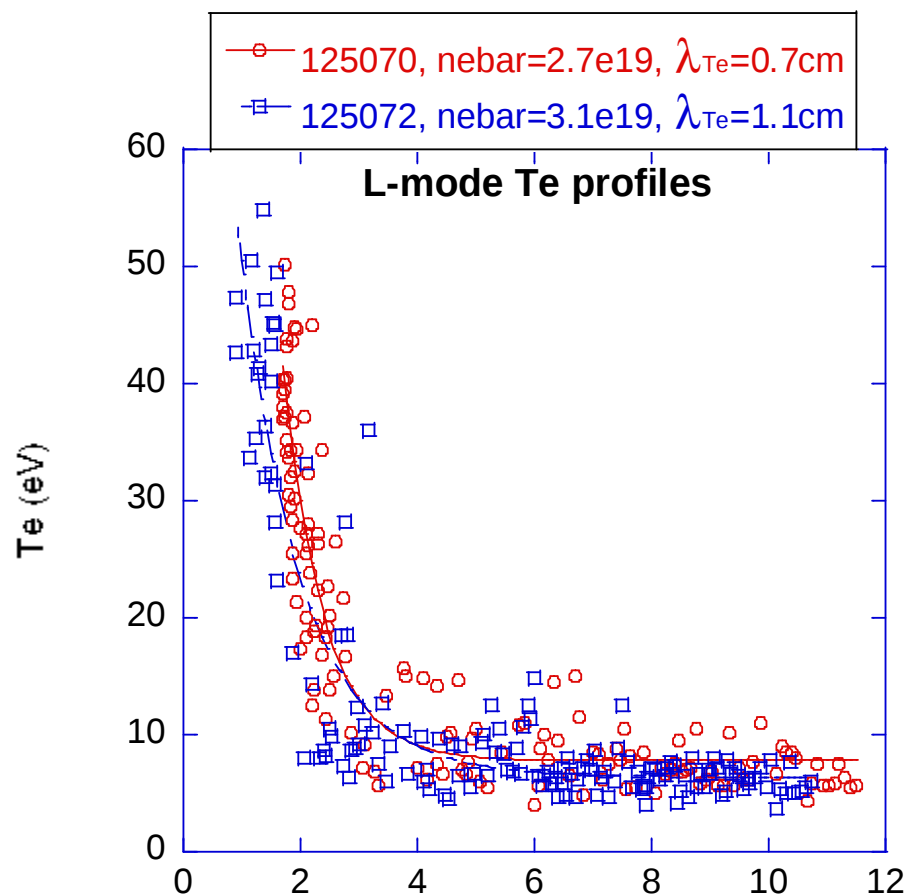


$n_{bar} = 4.0 \text{ (} \times 10^{19} \text{ m}^{-3} \text{)}$

$P_{NBI} = 1\text{MW}$

Conventional SOL width scaling laws
do not address I_p dependence

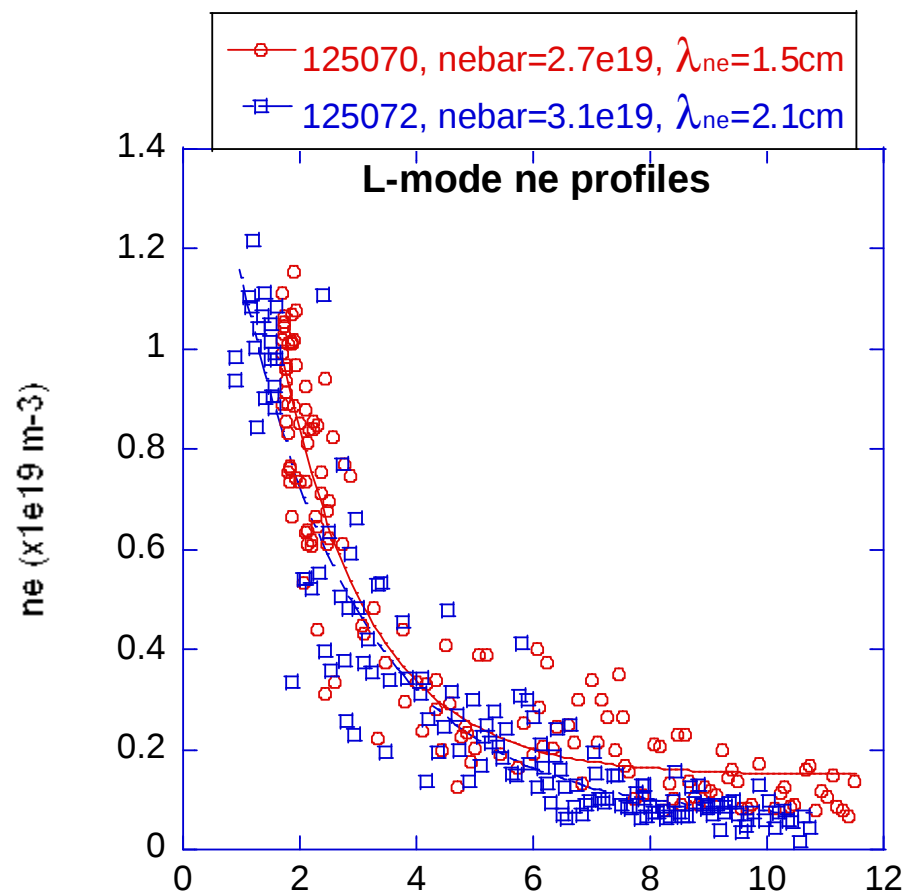
SOL width increases with increasing density



R-Rsep Mid-plane (cm)

$I_p=700$ kA

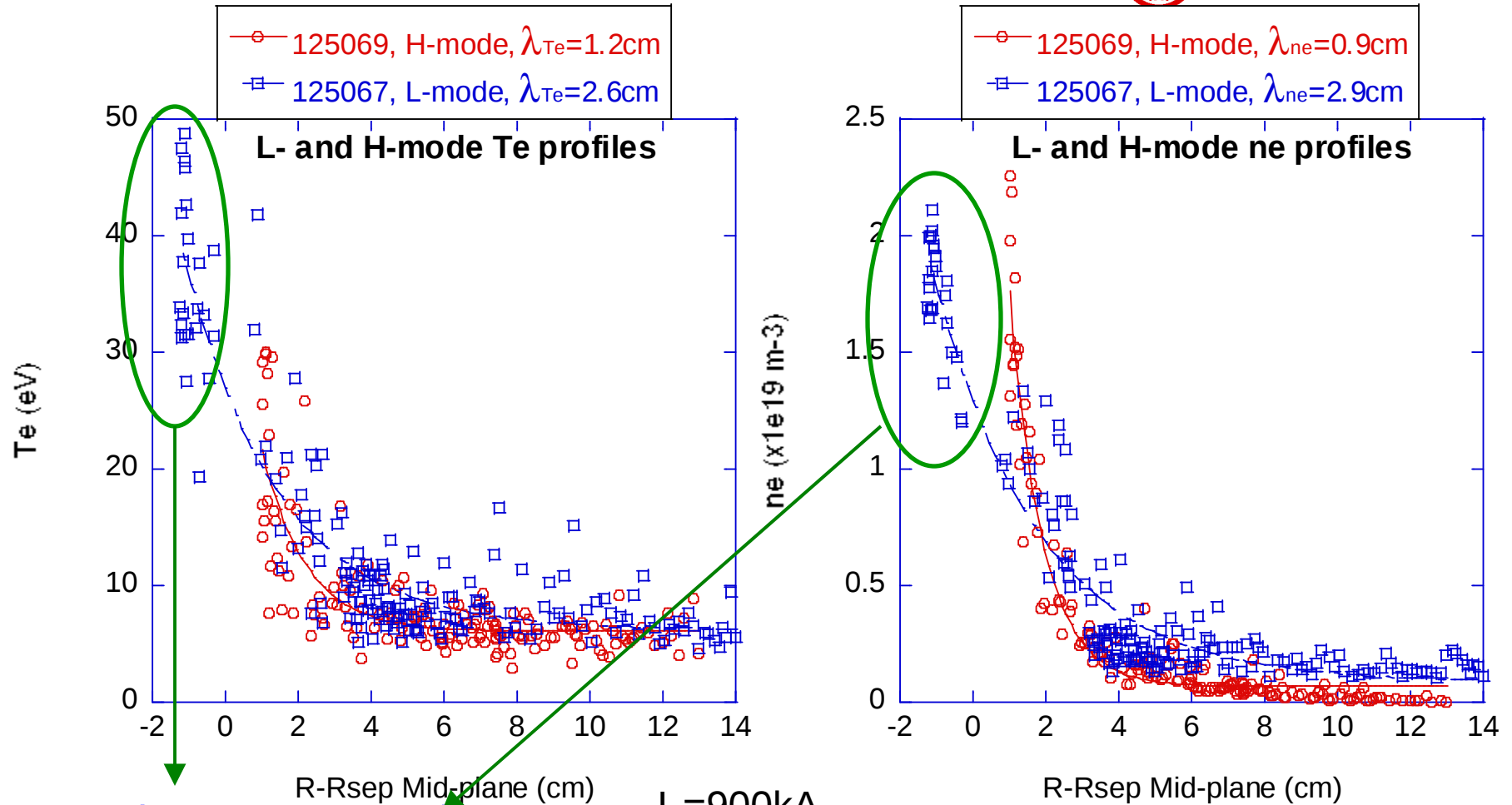
$P_{NBI}=1$ MW



R-Rsep Mid-plane (cm)

This result is consistent with
conventional scaling laws

H-mode has narrower SOL width than L-mode



Probe was plunged past the separatrix!!

$I_p=900\text{kA}$
 $P_{\text{NBI}}=1\text{MW}$
 $n_{\text{bar}}=4.0 (\times 10^{19} \text{ m}^{-3})$

Summary



1. NSTX **near SOL** is in the **conduction-limited regime** and the transport is dominated by **parallel electron conduction**
2. NSTX **far SOL** is in the **sheath-limited regime** and does not follow classical transport processes
3. NSTX SOL plasma profiles have offset values in the far SOL and **offset exponential function** can be used to re-evaluate the relation between T_e and heat flux decay lengths (λ_{T_e} and λ_q) in the **near SOL**
the **additional ratio factor** better reproduces the experimental results
4. Dependences of near SOL width on plasma parameters have been confirmed ($I_p \uparrow$ $\lambda_{T_e, ne, q} \downarrow$, $n_e \uparrow$ $\lambda_{T_e, ne, q} \uparrow$)
H-mode SOL width is narrower than in L-mode

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